

THEORETICAL AND EXPERIMENTAL EXPLORATION OF ORGANIC SYNTHESIS ROUTES TO OBTAIN NATURAL RUBBER ANALOGUES

David Mauricio Ramírez Sanchez

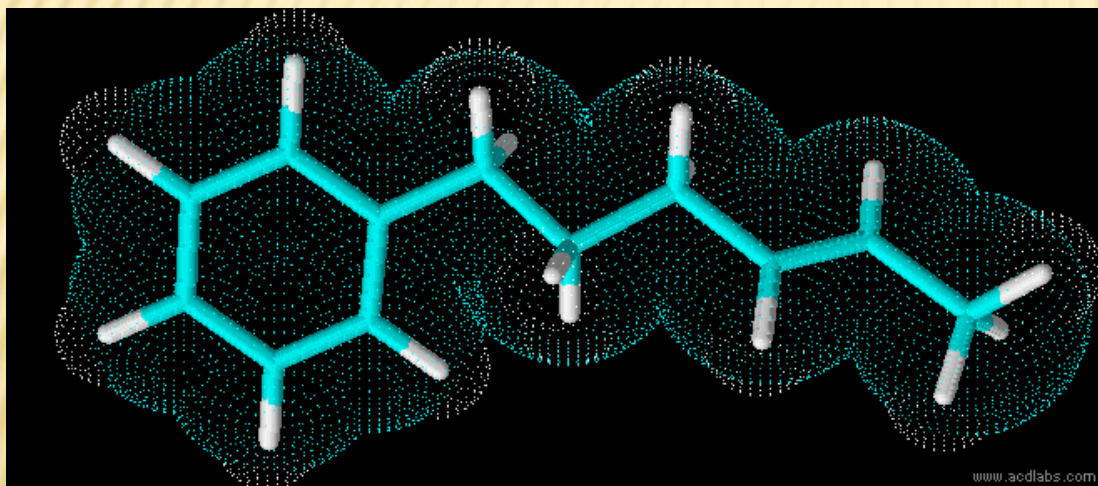
Centro de Bioinformática y Simulación Molecular, Universidad de Talca, Talca, Chile.

Danilo Gonzalez Forero

*Departamento de Química, Facultad de Ciencias, Universidad Nacional de Colombia,
Bogotá, Colombia.*

-
- ✘ Introduction
 - ✘ Issue
 - ✘ Justification
 - ✘ Objectives
 - ✘ Framework
 - ✘ Methodology
 - ✘ Analysis and Results
 - ✘ Conclusions
 - ✘ Recommendations
 - ✘ References

INTRODUCTION



National Industry requires synthetic compounds with a high molecular weight to replace natural rubber with its elasticity, resistency, softness and resilience properties among others.

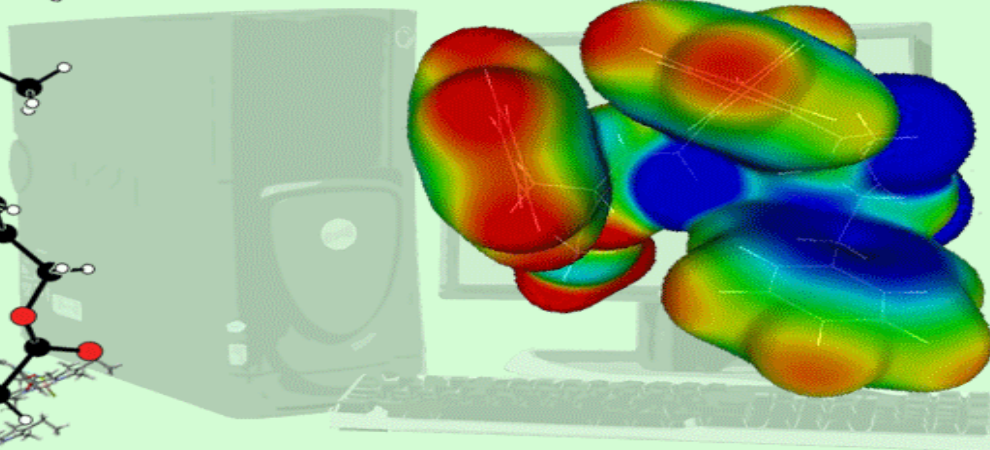
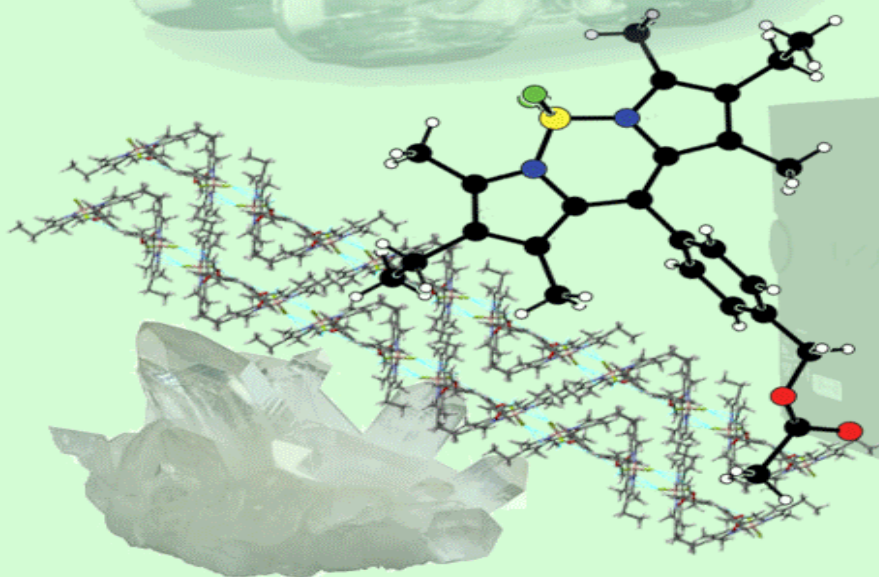
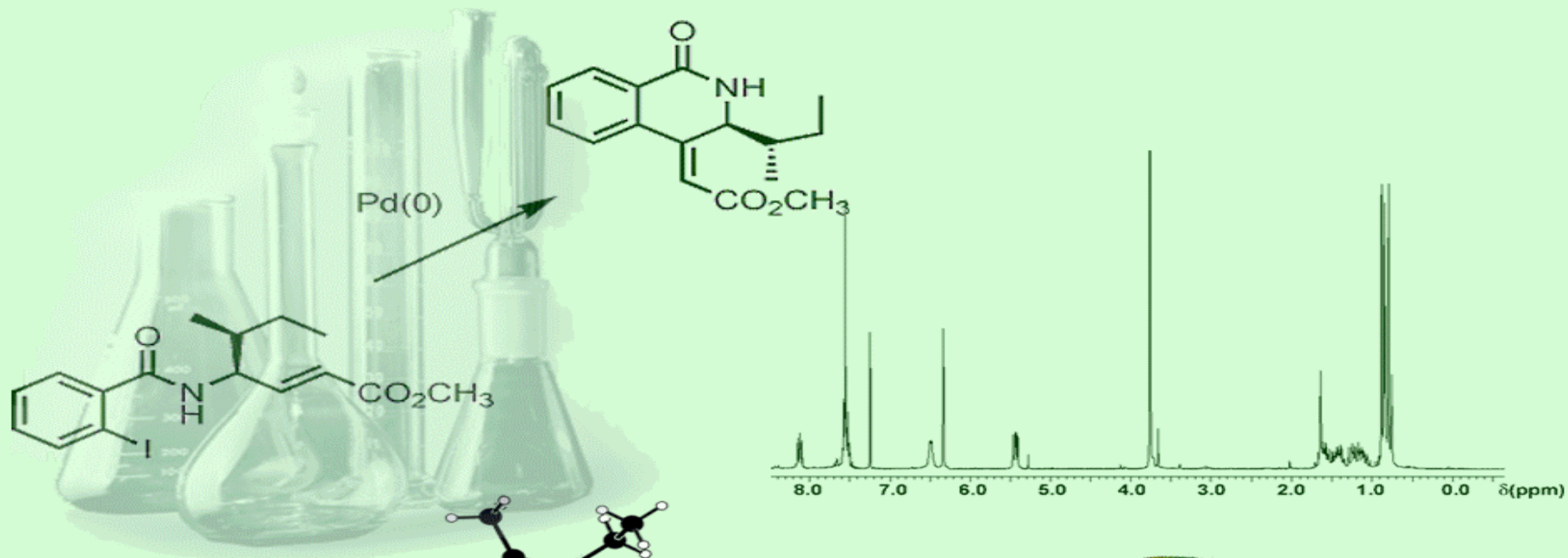
It has theoretical tools that are not normally used in the national industry when the predictability potential they have is not known. The use of these tools in leading countries, has encouraged the development of these new technologies and their application to this industry could prompt more lights on how to improve processes.

In this work, the polymers synthesis processes are taken from dienes to obtain compounds similar to E-polyisoprene or natural rubber as a starting point for a theoretical study, using a semi-empirical calculation method and the theory of punctual groups applied to chemistry.

JUSTIFICATION



JUSTIFICATION



OBJECTIVES

× General

To explore in a theoretical and experimental way, possible organic synthesis routes to obtain one or more compounds with analogous properties to natural rubber.

× Specific

- × Design of synthesis routes for different monomeric units involved in the polymer obtainment.
- × Theoretical determination of conditions to obtain the polymer(s) of interest.
- × Design of synthesis routes for the polymer(s) of interest.
- × Synthesis of polymer(s) of interest based on theoretical and computational studies previously carried out.

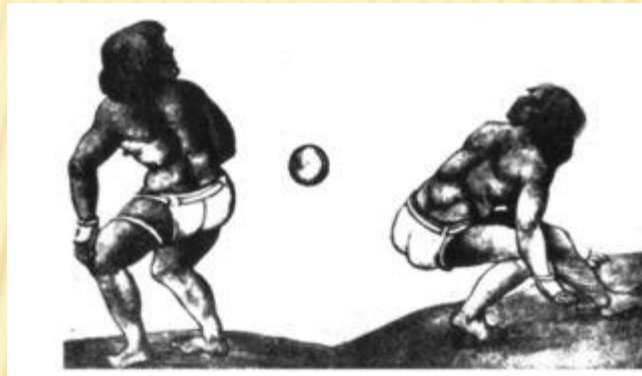
FRAMEWORK

✘ Natural Rubber

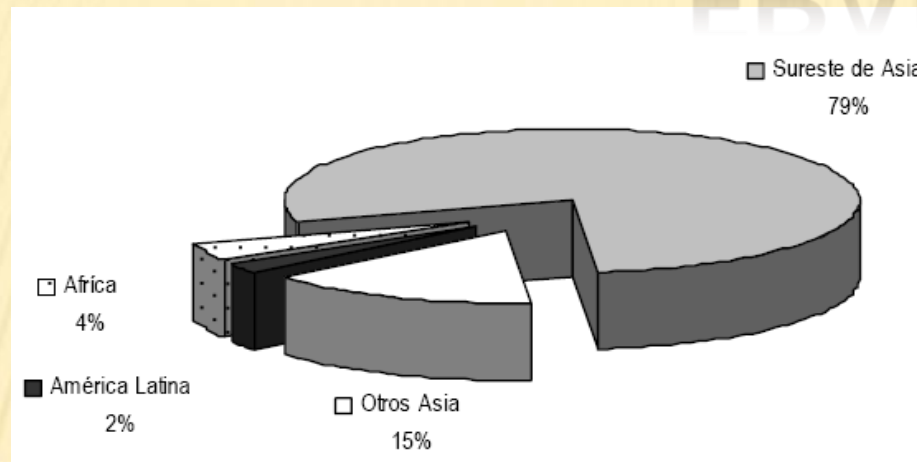
+ Used by ancient Mesoamerican



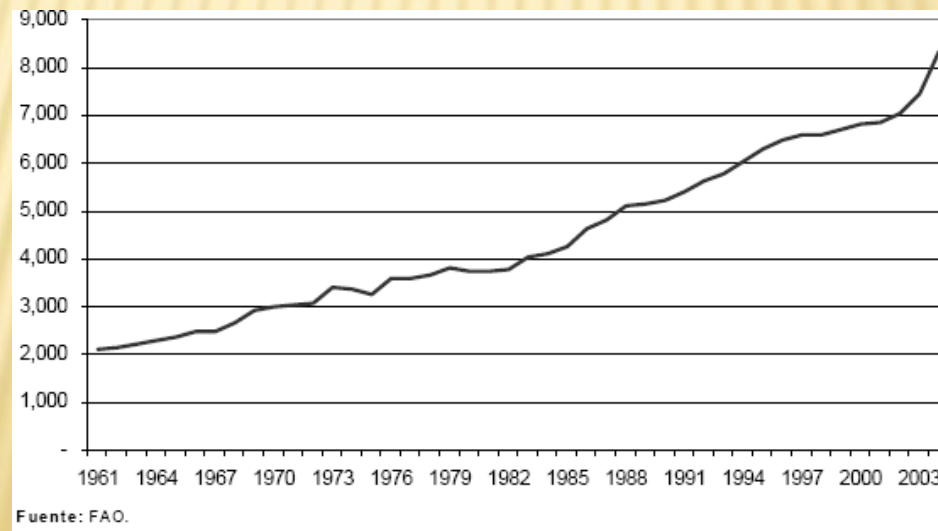
Elastic castile



FRAMEWORK



Taken from *International Rubber Study Group. Distribution of natural rubber global production in 2004.*



FRAMEWORK

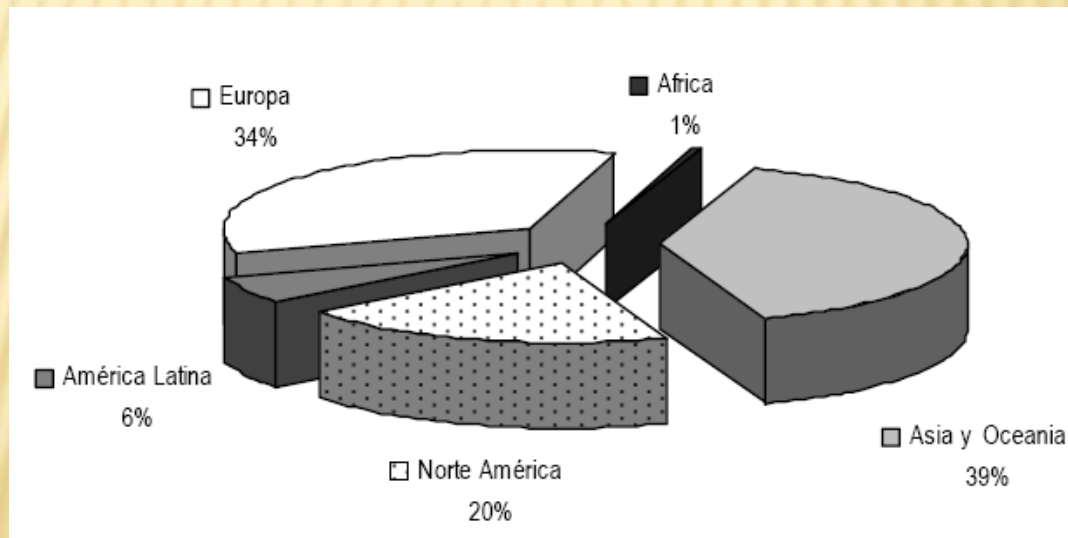
STATISTICAL SUMMARY OF WORLD RUBBER SITUATION

('000 tonnes)

	2006	2007					2008				
	Year	Q1	Q2	Q3	Q4	Year	Q1	Q2	Q3	Q4	Year
NATURAL RUBBER PRODUCTION											
Latin America	202	59	65	50	54	228	64	69	52		
Africa	426	112	111	115	116	454	110	105	115		
Asia	9331	2371	1978	2436	2611	9396	2406	2031	2604		
TOTAL (1)	9701	2453	2072	2525	2675	9726	2501	2139	2731		
NATURAL RUBBER CONSUMPTION											
North America	1148	290	298	284	284	1157	273	317	324		
Latin America	528	134	142	146	142	565	145	144	134		
European Union	1302	373	358	320	327	1377	321	321	294		
Other Europe	252	67	68	68	70	273	68	67	66		
Africa	120	30	30	30	28	117	28	27	27		
Asia/Oceania	5961	1500	1552	1688	1651	6391	1651	1467	1731		
TOTAL (1)	9329	2395	2447	2536	2504	9884	2462	2342	2576		
WORLD SUPPLY-DEMAND SURPLUS/DEFICIT	372	58	-375	-11	171	-158	39	-203	155		
WORLD STOCKS (2)	2334	2392	2017	2006	2177	2177	2326	2460	2968		
SYNTHETIC RUBBER PRODUCTION											
North America	2685	690	700	705	695	2790	675	655	595		
Latin America	660	173	173	168	171	684	183	189	177		
European Union	2733	682	704	700	695	2782	701	687	613		
Other Europe	1307	345	326	298	327	1296	339	308	278		
Africa	67	18	18	18	17	71	21	22	19		
Asia/Oceania	5357	1426	1503	1452	1535	5915	1483	1571	1487		
TOTAL (1)	12719	3334	3424	3341	3440	13538	3402	3431	3169		
SYNTHETIC RUBBER CONSUMPTION											
North America	2217	517	543	545	524	2129	492	494	482		
Latin America	804	209	207	221	224	861	221	228	233		
European Union	2523	650	670	636	669	2623	702	690	552		
Other Europe	967	237	279	270	271	1057	247	245	236		
Africa	99	29	28	25	24	105	29	27	26		
Asia/Oceania	5737	1501	1635	1620	1591	6347	1653	1718	1651		
TOTAL (1)	12481	3174	3412	3348	3331	13264	3357	3422	3204		
WORLD SUPPLY-DEMAND SURPLUS/DEFICIT	238	160	12	-7	109	274	45	9	-35		

Synthetic Rubber

- ✘ C.Schonbein (1846) Nitrocellulose
- ✘ A.Hofmann (1907) First synthetic rubber (Conjugated dienes)
- ✘ World war two ID Increase of new polymers
- ✘ Did not replace natural rubber completely
 - + Radial tires, footwear, condoms



Taken from *International Rubber Study Group*. . *Distribution of natural rubber global production in 2004..*

Polimerization types

+ Condensation



Polyester

+ Ionic

× Anionic



Poly(acrylonitrile)

× Cationic



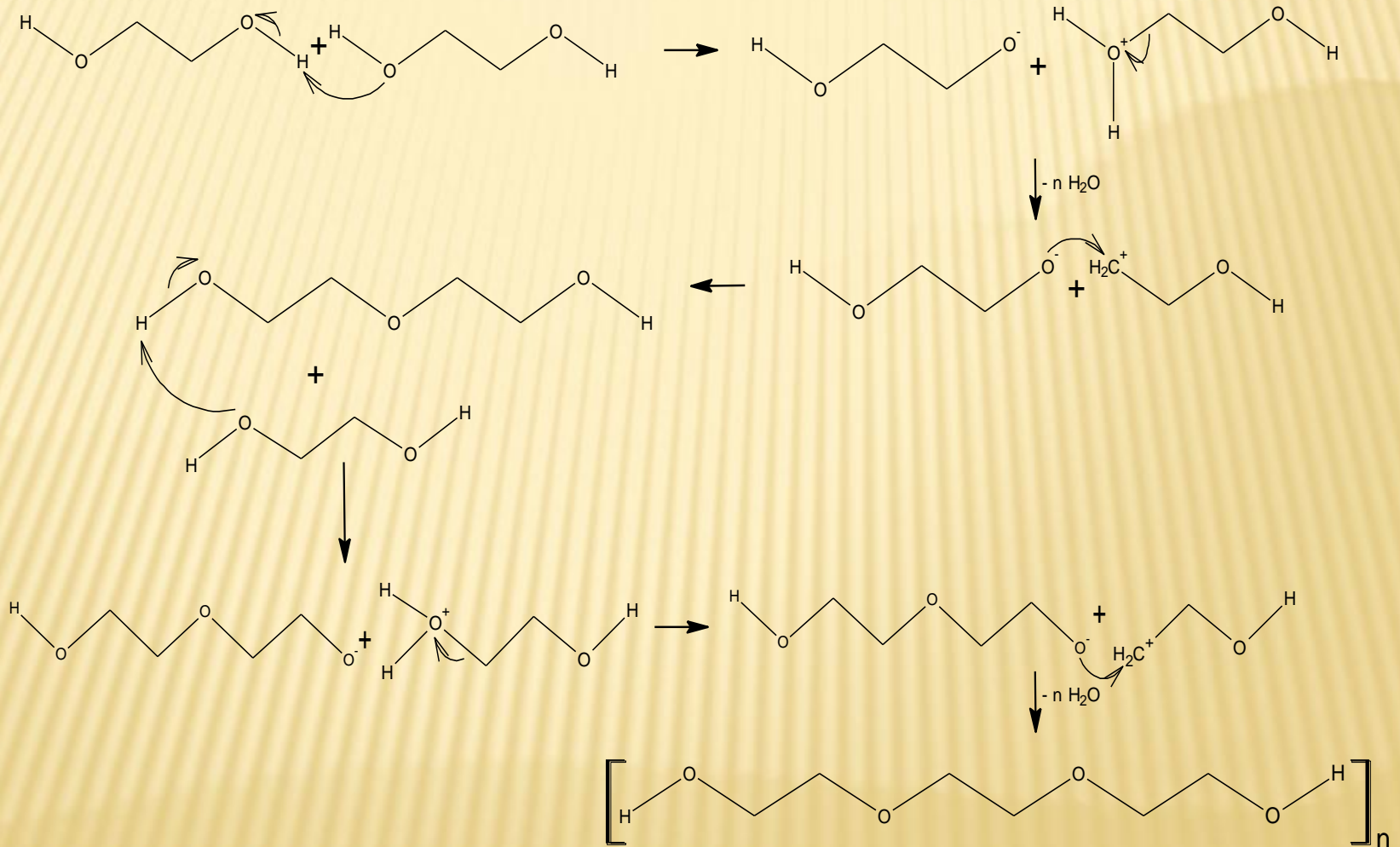
Poly(isobutene)

+ Free Radicals

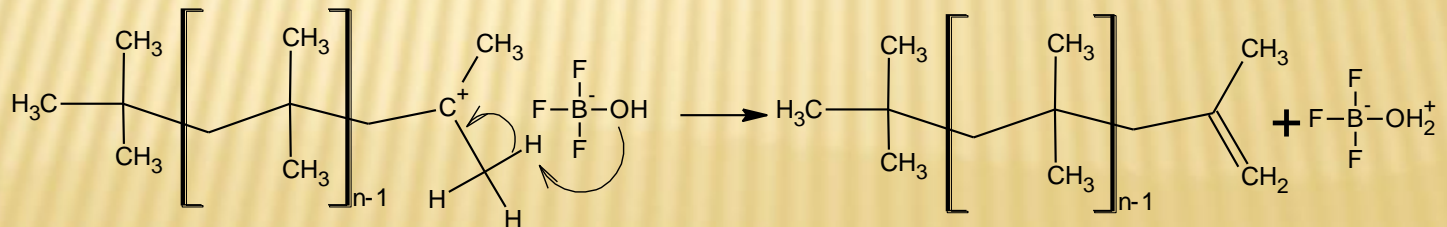
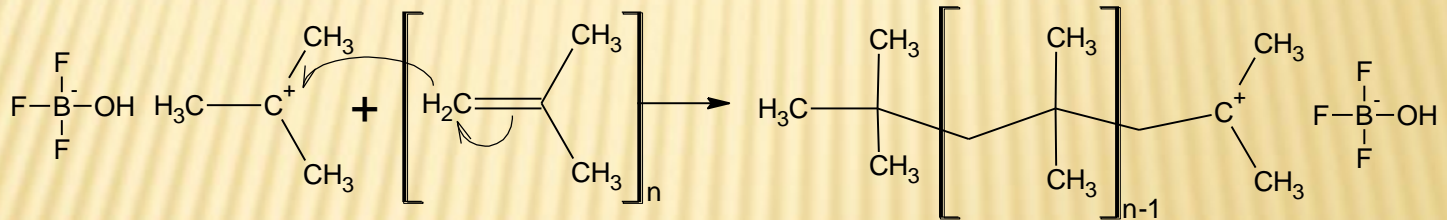
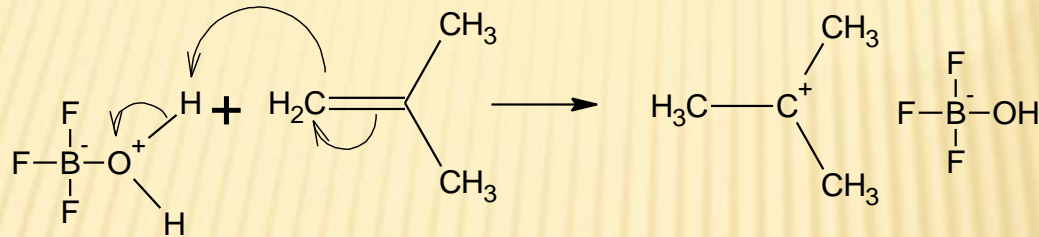
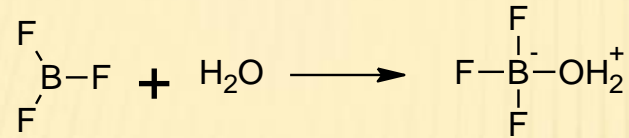
Synthetic rubber



Condensation



Cationic



Polymerization Means

+ Emulsion

SBR

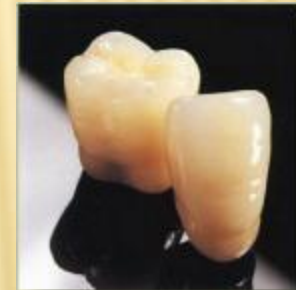


+ Suspension



Poly(Vinylacrylate)

+ Solution



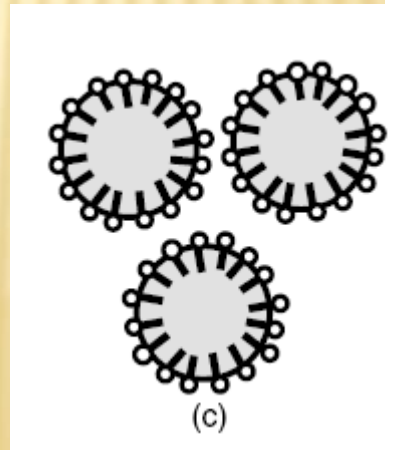
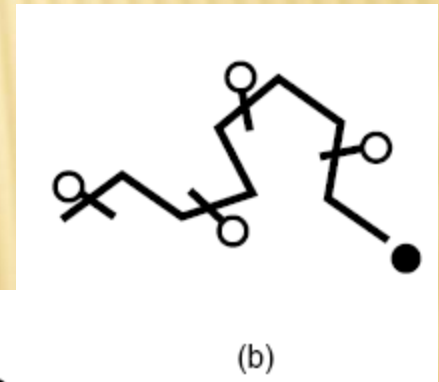
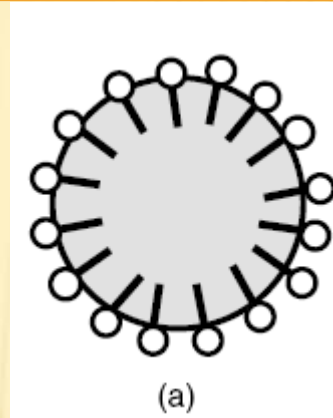
+ “Bulk”



Poly(methylmethacrylate)

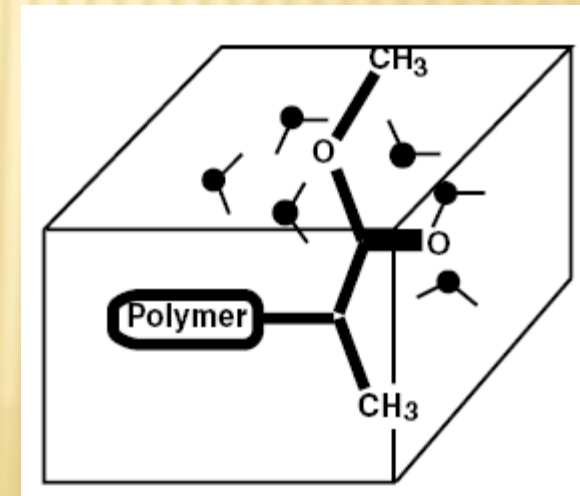
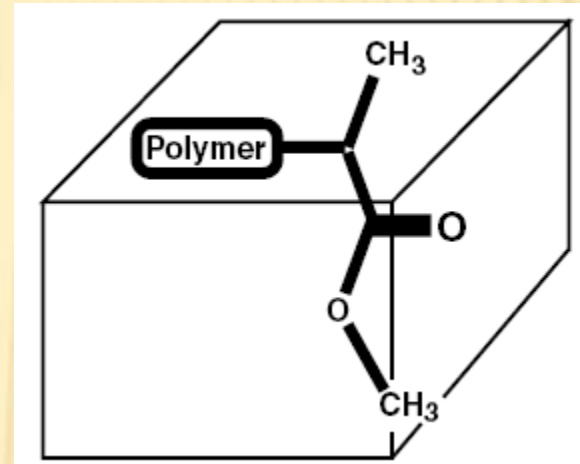
Emulsion

- + Virtually occurs in nanoreactors (micelles)
 - × Water (Non-polluting)
 - ★ Good heat dissipater
 - × Water Soluble Initiator
 - × Slightly water soluble Monomers
 - × Emulsificant
- + A colloidal dispersion of water polymer is produced.
- + There is not precipitation



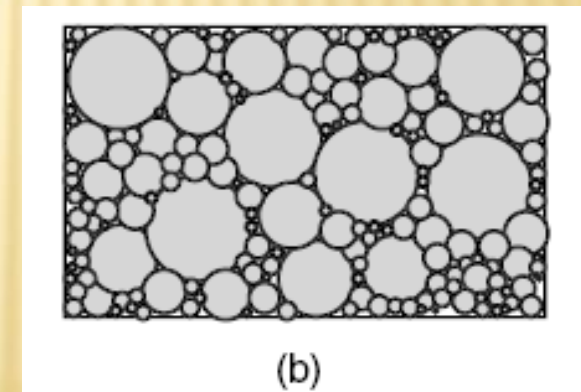
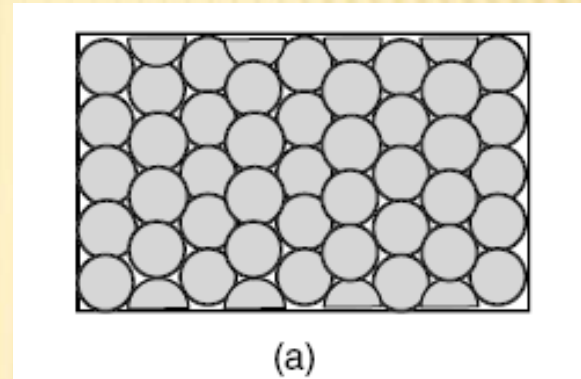
Solution

- ✘ Low viscosity obtained solutions
- ✘ Avoids interweaving
- ✘ Low reaction rate and low molecular weight
- ✘ The solvent acts as chain transfer agent
- ✘ Easy polymer extraction
- ✘ Precipitation may occur



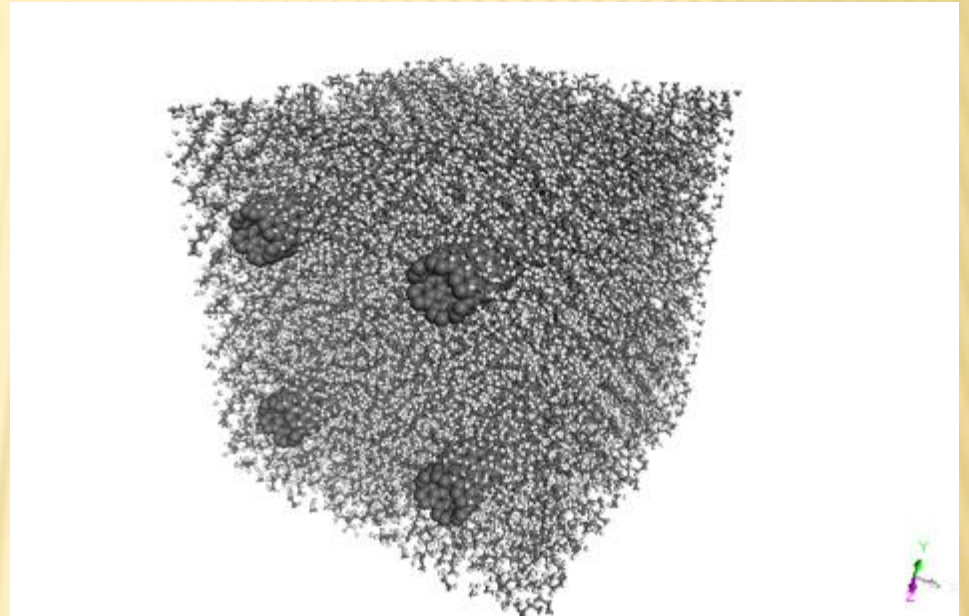
Suspension

- Dispersed monomers by strong agitation
- Both monomer and polymer are insoluble in dispersing medium
- Polymerization occurs while dispersion
- Soluble initiator (peroxides generally)
- Aqueous phase
 - Heat exchange



“Bulk”

- Conversion of monomers in polymers by heat or radiation
- Monomers: liquid, solid or gas
- Do not use solvents or dispersing medium
- It is not industrially important (small-scale)



Radiopolymerization

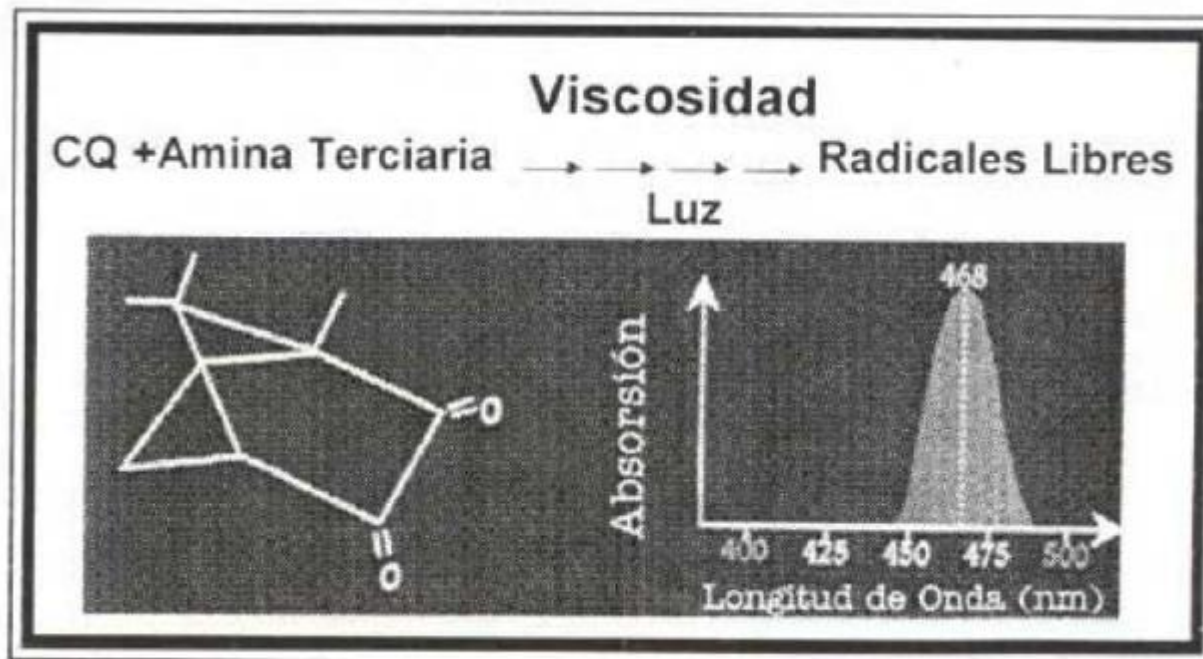
- ✘ Uses an ionizing radiation source
- ✘ Induces free radicals when initiating polymerization

Gamma radiation
source ^{60}Co



Photopolymerization

- ✘ Used in dental medicine
- ✘ Camphoroquinone (photoinitiator agent)



Vulcanization

- ✘ Treatment applied to rubber (natural and synthetic)
- ✘ Generally with S, compounds with S or peroxides among others (based on its final usage)
- ✘ Crosslinking creation



→
Vulcanización



✘ Computational Methods

- + Force Field

- + Semi-Empirical Methods

 - ✘ MNDO

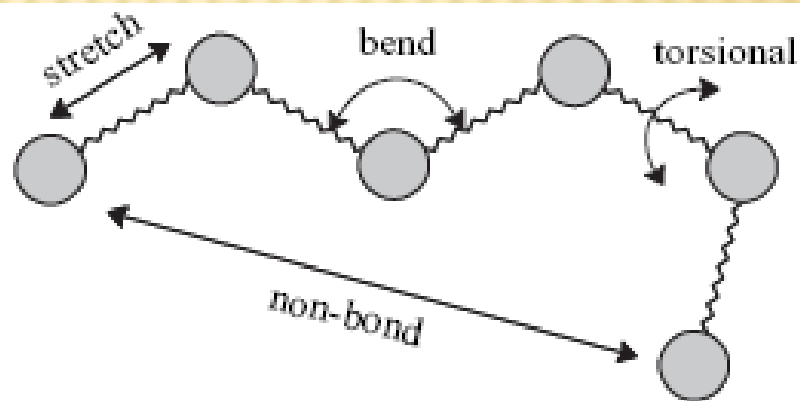
 - ✘ AM1

 - ✘ PM3

Force Field Energy

- ✘ The electron energy is a parametric function of nuclear coordinates
- ✘ Dynamic treatment is realized with classic mechanic tools.
- ✘ Minimum energy in surface potential is sought translated in a more stable geometry.

$$E_{\text{FF}} = E_{\text{str}} + E_{\text{bend}} + E_{\text{tors}} + E_{\text{vdw}} + E_{\text{el}} + E_{\text{cross}}$$



Semi-empirical methods

- × Decrease of computational cost
- × Use data obtained experimentally
- × It has into account only valence electrons
- × They are parameterized
 - + MNDO (*Modified Neglect of Diatomic Overlap*) ($s, p(px, py, pz)$)
 - × First model (approximation of two integral electrons)
 - × Problems with predictions
 - * Hydrogen bridges
 - * Low ΔH_f reliability
 - + AM1 (Austin Model 1) ($S, P(px, py, pz)$)
 - × Uses a modification of nuclear expression
 - × Description of hydrogen bridges
 - × Approximations overexploitation
 - × Adds repulsion function
 - + PM3 (Parametric Model 3) ($s, p(px, py, pz), /d$)
 - × Similar to AM1, but different parametrization
 - × Better thermochemical properties prediction
 - × Problems with
- × Studied molecule \approx parametrized molecules, reliable results

METHODOLOGY

PHASE ONE { LITERATURE REVIEW
EXPERIMENTAL EXPLORATION

PHASE TWO { TECHNICAL STUDY OF POSSIBLE SYNTHESIS ROUTES
DESIGN OF POSSIBLE SYNTHESIS ROUTES

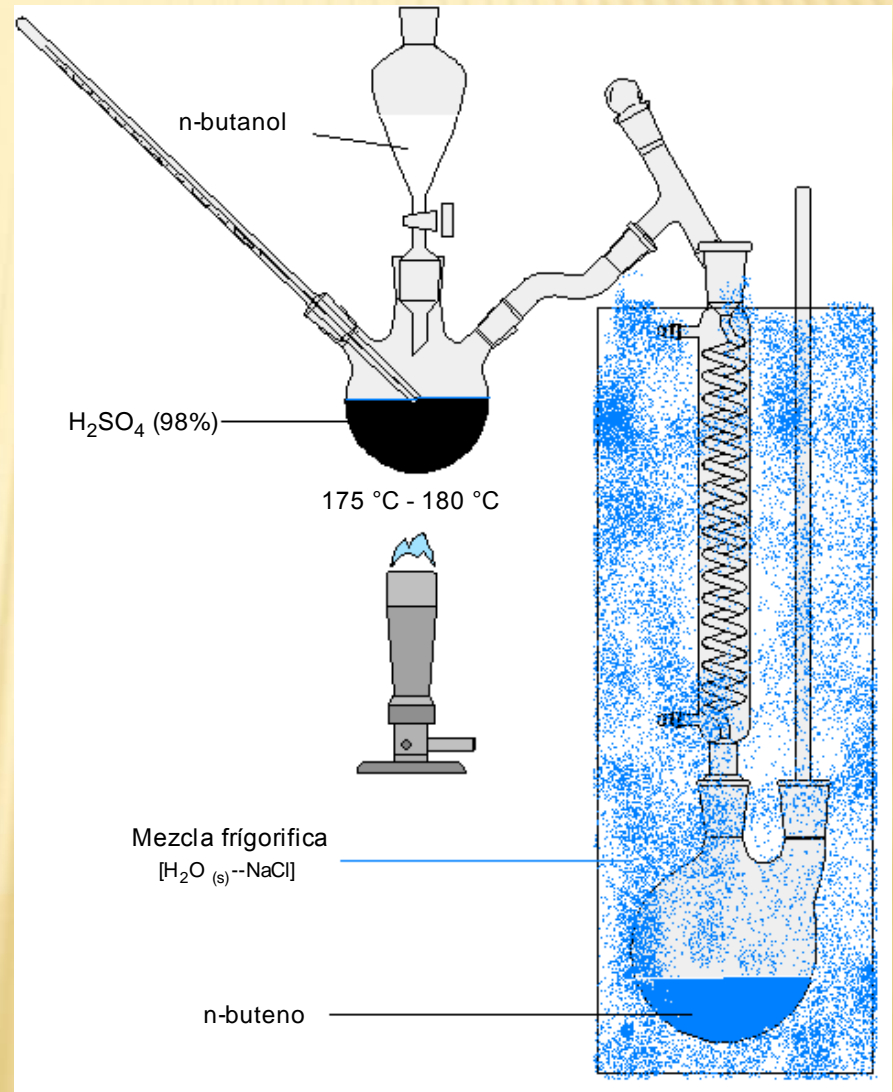
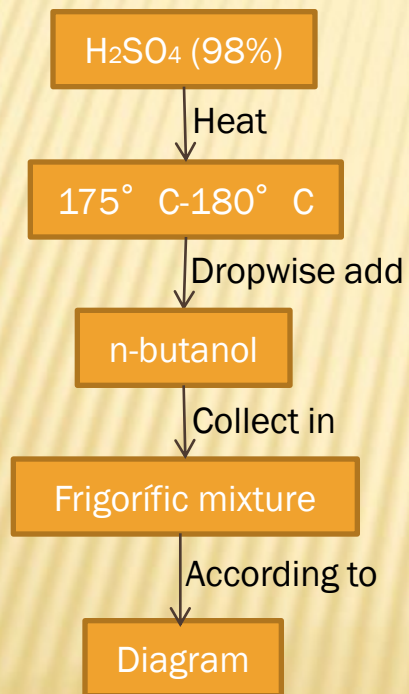
PHASE THREE { EXPERIMENTAL TESTING OF SYNTHESIS ROUTES

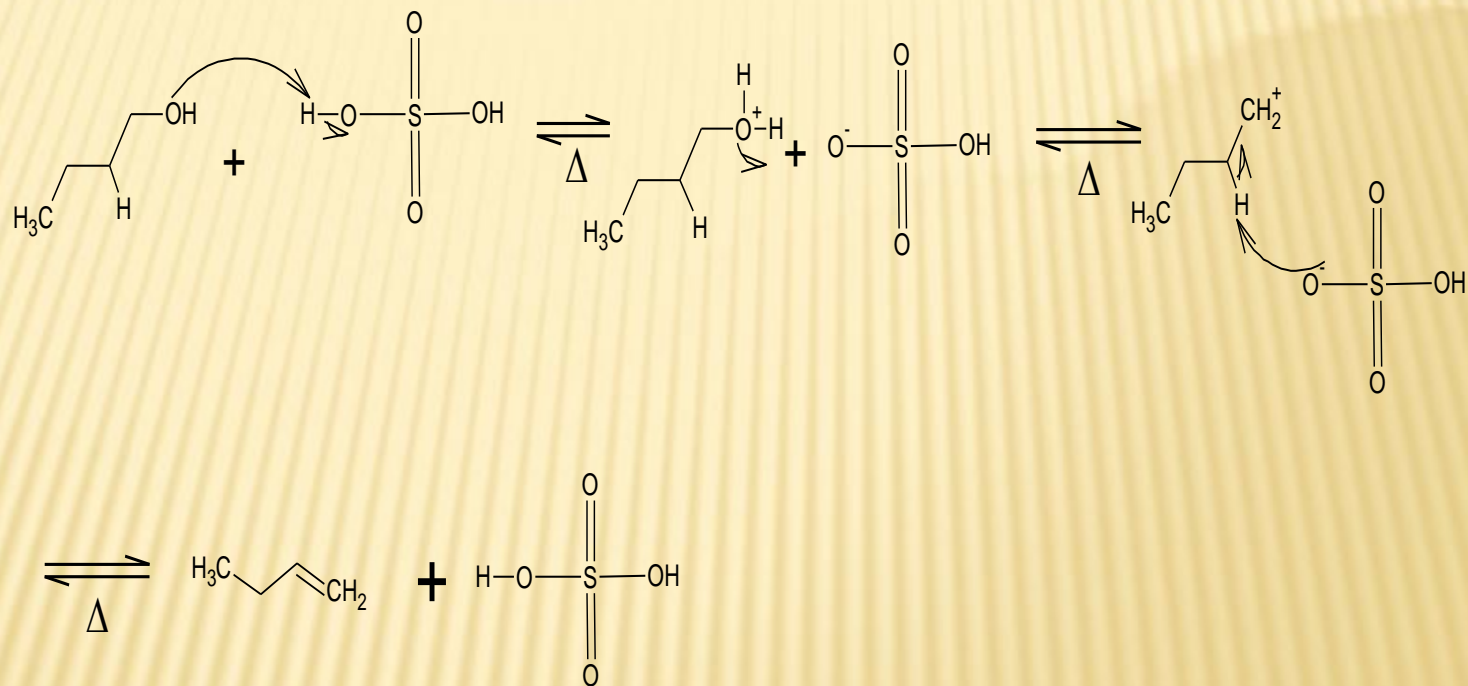
PHASE FOUR { FINAL REPORT

RESULTS AND ANALYSIS

PHASE ONE

- Obtainment of n-butene





Reaction mechanism to dehydrate n-butanol

PHASE TWO

- Theoretical study of possible synthesis routes by semiempirical methods.

Condensation.

- Ionic

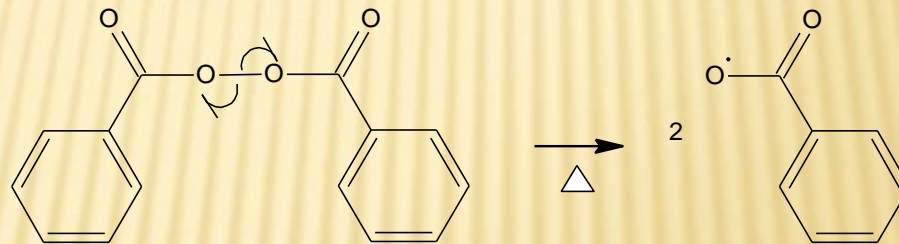
- Cationic

- Anionic

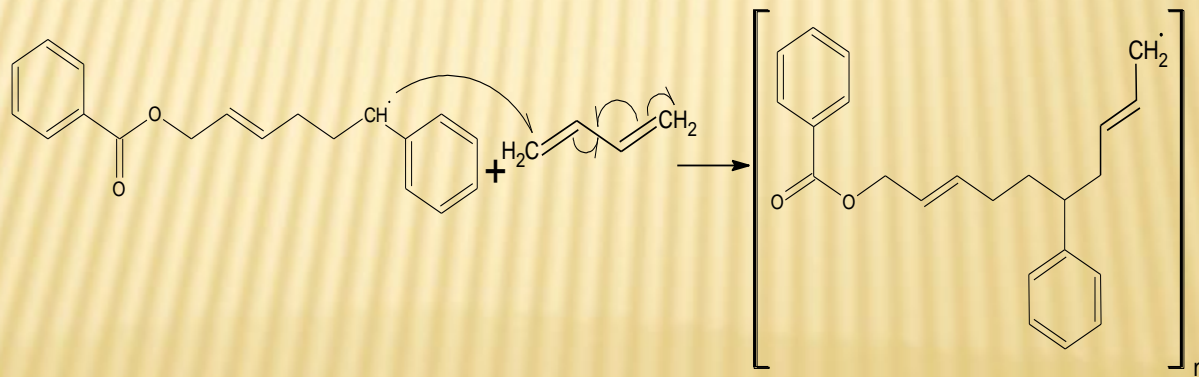
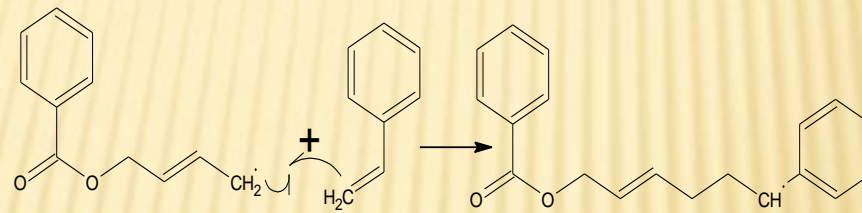
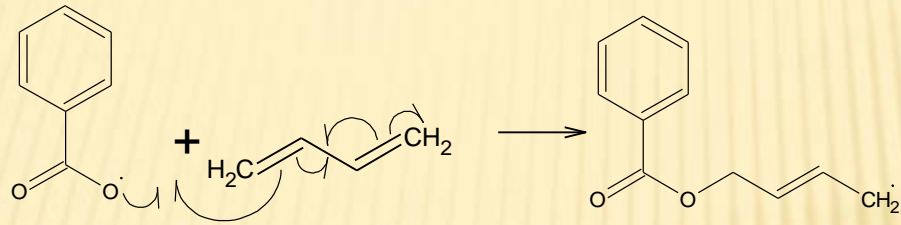
- Free Radicals

✘ Polimerization by free radicals

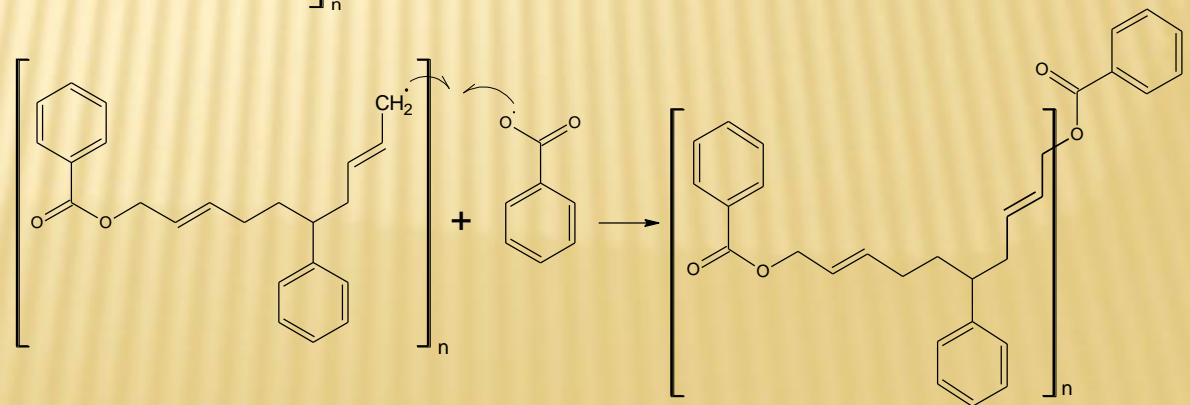
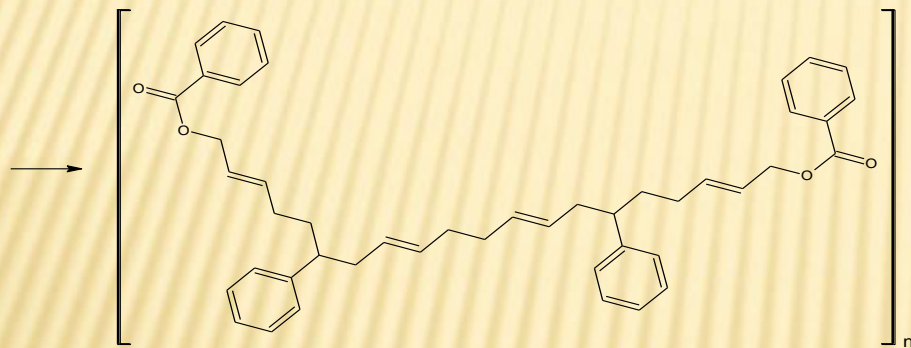
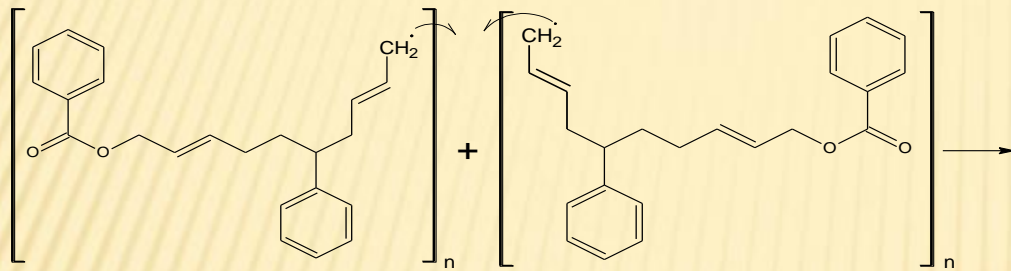
- Iniciation



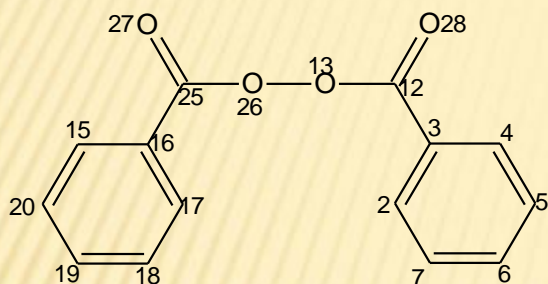
- Propagation



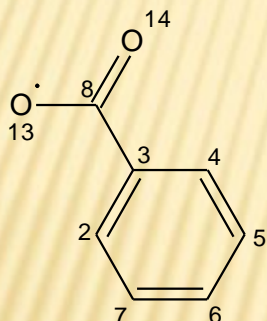
- Finalization



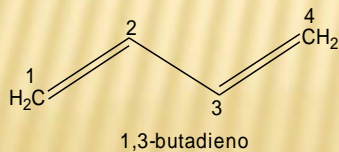
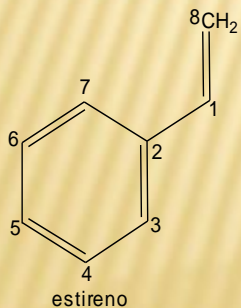
Values of HOMO and LUMO orbitals



peroxido de benxioilo		Orbitales	
N° atomo	Atomo	HOMO	LUMO
12	C	-0.00108	0.31809
13	O	-0.01689	-0.10687
25	C	0.00037	0.08477
26	O	0.01835	-0.00781
27	O	0.06258	-0.07301
28	O	0.00466	-0.28112



radical oxidanilo (fenilcarbonil)		Orbitales	
N° atomo	Atomo	HOMO	LUMO
3	C	-0.00012	-0.32957
8	C	-0.00298	-0.59240
13	O	0.00258	0.27140
14	O	-0.00389	0.42479



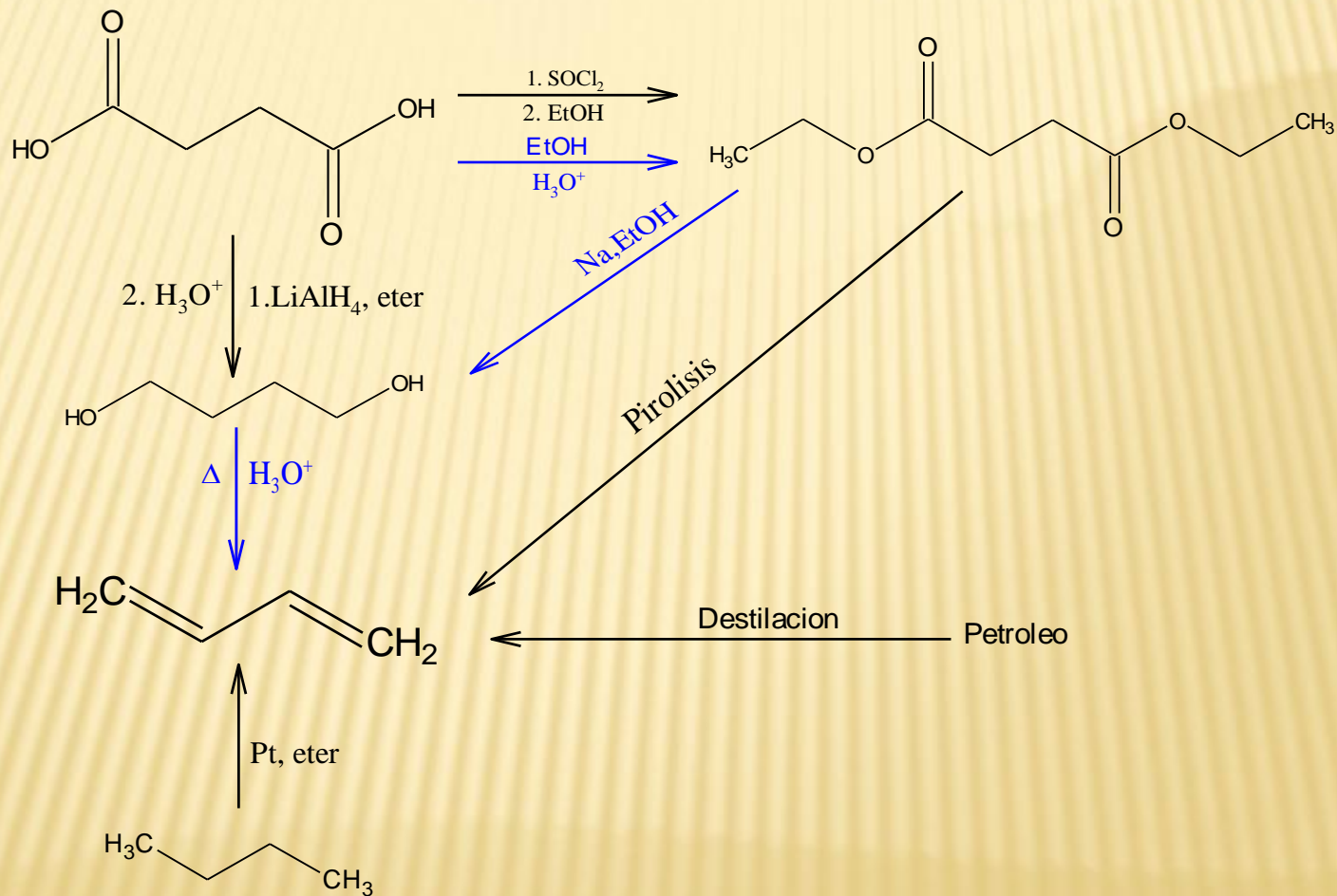
estireno		Orbitales	
N° atomo	Atomo	HOMO	LUMO
1	C	-0.32554	-0.29831
2	C	0.45588	-0.46489
3	C	0.29950	0.30725
4	C	-0.19624	0.20270
5	C	-0.45539	-0.47282
6	C	-0.18323	0.19400
7	C	0.30632	0.31038
8	C	-0.47244	0.44930

1,3-butadieno		Orbitales	
N° atomo	Atomo	HOMO	LUMO
1	C	0.55776	0.56016
2	C	0.42639	-0.42306
3	C	-0.42713	-0.42420
4	C	-0.55961	0.56195

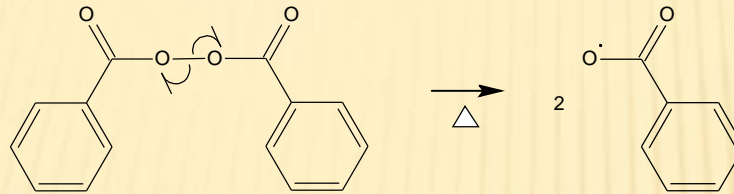
- Theoretical study of possible synthesis routes by groups theory
- Polyestirene obtainment
 - Phenylcarbonyl radical obtainment from a thermal decomposition of benzoyl peroxide.
 - Radical 1-phenyl-2-oxi(phenylcarbonyl)]etilo obtainment from phenylcarbonyl radical and styrene. *[Chain propagation]*.
 - Polystyrene obtainment from two growing chains and, a growing chain and the phenylcarbonyl radical. *[ending]*

□ SBR obtainment

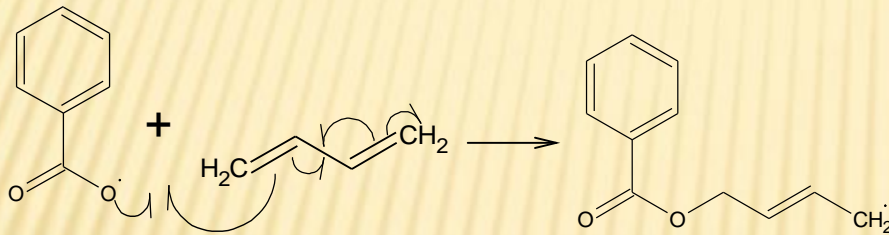
□ 1,3-butadiene obtainment



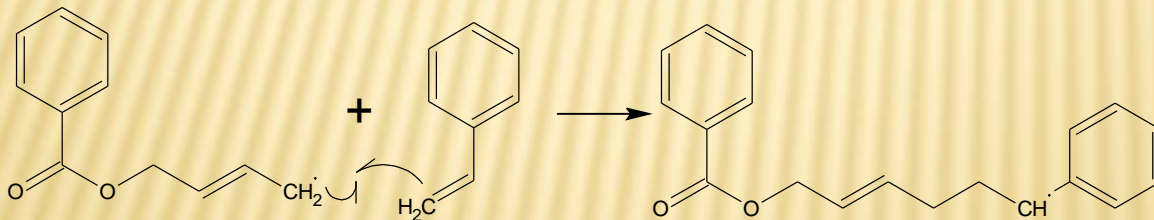
- Reaction mechanism to obtain SBR



INICIATION



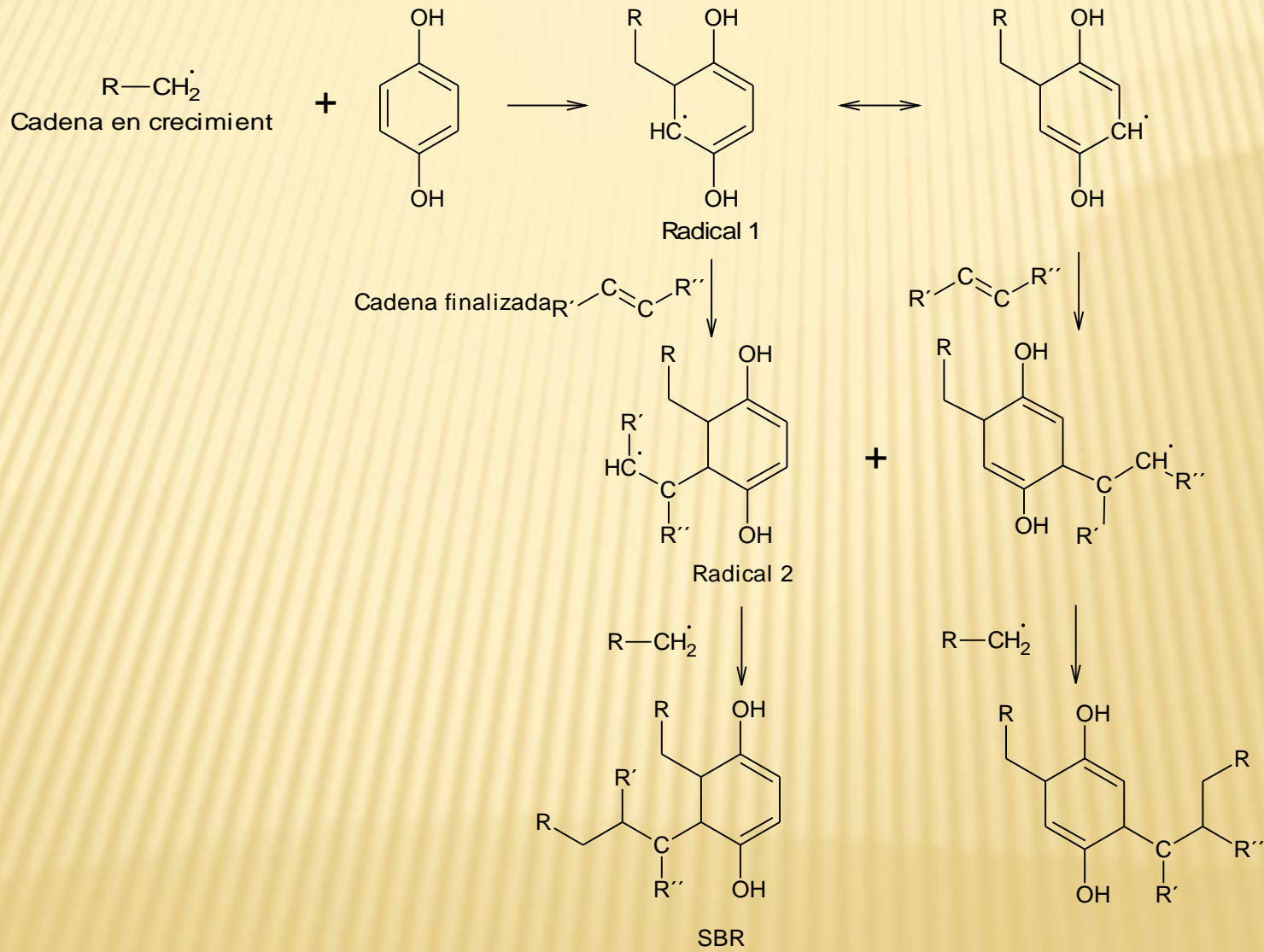
radical (2E)-4-[oxy(phenylcarbonyl)]-2-buten-1-ilo



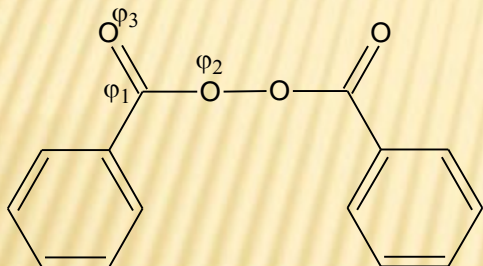
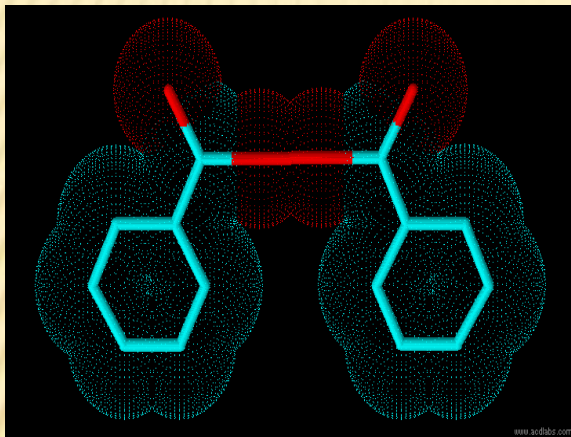
radical (2E)-6-fenil-1-[oxi(phenylcarbonyl)]-2-hexen-6-ilo
Growing chain

PROPAGATION

FINALIZATION AND CROSSLINKING



Benzoyl peroxide



Cs	E	δ_h
A'	1	1
A''	1	-1

Reduced Group

Cs	E	δ_h
Γ_{total}	3	-3

$$A': \frac{1}{2} \{ (1^*1^*1^*3) + (1^*-1^*1^*-3) \} = 0$$

$$A'': \frac{1}{2} \{ (1^*1^*1^*3) + (1^*-1^*1^*-3) \} = 3$$

Projection operators

$$\begin{aligned} PA''\phi_1 &= (1) E \phi_1 + (-1) \delta_h \phi_1 \\ &= \phi_1 + \phi_1 = 2\phi_1 \approx \phi_1 \end{aligned}$$

$$\begin{aligned} PA''\phi_2 &= (1) E \phi_2 + (-1) \delta_h \phi_2 \\ &= \phi_2 + \phi_2 = 2\phi_2 \approx \phi_2 \end{aligned}$$

$$\begin{aligned} PA''\phi_3 &= (1) E \phi_3 + (-1) \delta_h \phi_3 \\ &= \phi_3 + \phi_3 = 2\phi_3 \approx \phi_3 \end{aligned}$$

Secular equation

$$\begin{aligned} A'' &= \int \phi_1 (H - E) \phi_1 d_\Gamma + \int \phi_1 (H - E) \phi_2 d_\Gamma + \int \phi_1 (H - E) \phi_3 d_\Gamma \\ &= H_{11} - E + H_{12} - ES_{12} + H_{13} - ES_{13} \end{aligned}$$

$$\begin{aligned} A'' &= \int \phi_2 (H - E) \phi_1 d_\Gamma + \int \phi_2 (H - E) \phi_2 d_\Gamma + \int \phi_2 (H - E) \phi_3 d_\Gamma \\ &= H_{21} - ES_{21} + H_{22} - E + H_{23} - ES_{23} \end{aligned}$$

$$\begin{aligned} A'' &= \int \phi_3 (H - E) \phi_1 d_\Gamma + \int \phi_3 (H - E) \phi_2 d_\Gamma + \int \phi_3 (H - E) \phi_3 d_\Gamma \\ &= H_{31} - ES_{31} + H_{32} - ES_{32} + H_{33} - E \end{aligned}$$

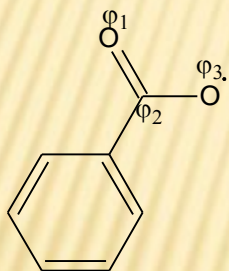
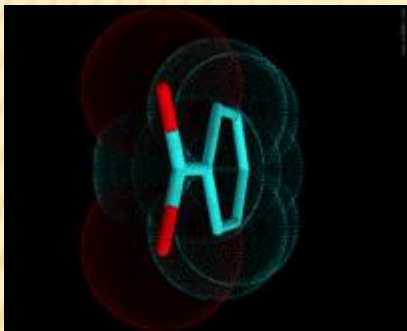
$$A^{\wedge} = \begin{vmatrix} H_{11} - E & H_{12} - ES_{12} & H_{13} - ES_{13} \\ H_{21} - ES_{21} & H_{22} - E & H_{23} - ES_{23} \\ H_{31} - ES_{31} & H_{32} - ES_{32} & H_{33} - E \end{vmatrix} = \begin{vmatrix} \alpha & \beta & \beta \\ H_{11} - E & H_{12} & H_{13} \\ \beta & \alpha & 0 \\ H_{21} & H_{22} - E & H_{23} \\ \beta & 0 & \alpha \\ H_{31} & H_{32} & H_{33} - E \end{vmatrix} = 0$$

Replacing according Hückel approximation and solving matrix

$$A^{\wedge} = \begin{vmatrix} -E & 1 & 1 \\ 1 & -E & 0 \\ 1 & 0 & -E \end{vmatrix} = 0 \Rightarrow -E^3 + 2E = 0$$

$$E_1 = 0 ; E_2 = 1.44 ; E_3 = -1.44$$

Phenylcarbonyl radical



C_{2v}	δyz	δxz	C_2	E
A_1	1	1	1	1
A_2	-1	-1	1	1
B_1	-1	1	-1	1
B_2	1	-1	-1	1

Reduced Groups

C_{2v}	δyz	δxz	C_2	E
Γ_{total}	1	-3	-1	3

$$A_1: \frac{1}{4} \{ (1 \cdot 1 \cdot 1 \cdot 1) + (1 \cdot -3 \cdot 1 \cdot 1) + (1 \cdot -1 \cdot 1 \cdot 1) + (1 \cdot 3 \cdot 1 \cdot 1) \} = 0$$

$$A_2: \frac{1}{4} \{ (1 \cdot 1 \cdot 1 \cdot -1) + (1 \cdot -3 \cdot 1 \cdot -1) + (1 \cdot -1 \cdot 1 \cdot -1) + (1 \cdot 3 \cdot 1 \cdot -1) \} = 1$$

$$B_1: \frac{1}{4} \{ (1 \cdot 1 \cdot 1 \cdot -1) + (1 \cdot -3 \cdot 1 \cdot 1) + (1 \cdot -1 \cdot 1 \cdot -1) + (1 \cdot 3 \cdot 1 \cdot 1) \} = 0$$

$$B_2: \frac{1}{4} \{ (1 \cdot 1 \cdot 1 \cdot 1) + (1 \cdot -3 \cdot 1 \cdot -1) + (1 \cdot -1 \cdot 1 \cdot -1) + (1 \cdot 3 \cdot 1 \cdot 1) \} = 2$$

$$\Gamma = 1 A_2 + 2 B_2 \approx A_2 + B_2$$

Projection Operators

$$PA_2\phi_1 = (-1)\delta yz \phi_1 + (-1)\delta xz \phi_1 + (1)C_2 \phi_1 + (1)E \phi_1$$

$$= -\phi_3 + \phi_1 - \phi_3 + \phi_1 = 2\phi_1 - 2\phi_3 \approx \phi_1 - \phi_3 = \psi_1$$

$$PB_2\phi_1 = (1)\delta yz \phi_1 + (-1)\delta xz \phi_1 + (-1)C_2 \phi_1 + (1)E \phi_1$$

$$= \phi_3 + \phi_1 + \phi_3 + \phi_1 = 2\phi_1 + 2\phi_3 \approx \phi_1 + \phi_3 = \psi_2$$

$$PA_2\phi_2 = (-1)\delta yz \phi_2 + (-1)\delta xz \phi_2 + (1)C_2 \phi_2 + (1)E \phi_2$$

$$= -\phi_2 + \phi_2 - \phi_2 + \phi_2 = 0$$

$$PB_2\phi_2 = (1)\delta yz \phi_2 + (-1)\delta xz \phi_2 + (-1)C_2 \phi_2 + (1)E \phi_2$$

$$= \phi_2 + \phi_2 + \phi_2 + \phi_2 = 4\phi_2 \approx \phi_2 = \psi_3$$

$$PA_2\phi_3 = (-1)\delta yz \phi_2 + (-1)\delta xz \phi_2 + (1)C_2 \phi_2 + (1)E \phi_2$$

$$= -\phi_1 + \phi_3 - \phi_1 + \phi_3 = \phi_3 - \phi_1 = \psi_4$$

$$PB_2\phi_3 = (1)\delta yz \phi_2 + (-1)\delta xz \phi_2 + (-1)C_2 \phi_2 + (1)E \phi_2$$

$$= \phi_1 + \phi_3 + \phi_1 + \phi_3 = 2\phi_1 + 2\phi_3 \approx \phi_1 + \phi_3 = \psi_5$$

Secular equation

$$A_2: \int \psi_1(H-E)\psi_1 d\tau + \int \psi_1(H-E)\psi_4 d\tau = H_{11} - E + H_{14} - ES_{14}$$

B₂:

Normalization

Replacing ϕ in ψ of Hamiltonian (beign $\alpha = 0$ y $\beta = 1$)

$$H_{11} = \int \psi_1 H \psi_1 = \int \left[\frac{1}{\sqrt{2}} (\phi_1 - \phi_3) \right] H \left[\frac{1}{\sqrt{2}} (\phi_1 - \phi_3) \right] d_\Gamma = \frac{1}{2} \int (\phi_1 - \phi_3) H (\phi_1 - \phi_3) d_\Gamma$$

$$H_{11} = \frac{1}{2} \left[\overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha - \overbrace{\int \phi_1 H \phi_3 d_\Gamma}^0 - \overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 + \overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha \right] = 0$$

$$H_{14} = \int \psi_1 H \psi_4 = \int \left[\frac{1}{\sqrt{2}} (\phi_1 - \phi_3) \right] H \left[\frac{1}{\sqrt{2}} (\phi_3 - \phi_1) \right] d_\Gamma = \frac{1}{2} \int (\phi_1 - \phi_3) H (\phi_3 - \phi_1) d_\Gamma$$

$$H_{14} = \frac{1}{2} \left[\overbrace{\int \phi_1 H \phi_3 d_\Gamma}^0 - \overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha - \overbrace{\int \phi_3 H \phi_3 d_\Gamma}^\alpha + \overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 \right] = 0$$

$$H_{44} = \int \psi_4 H \psi_4 = \int \left[\frac{1}{\sqrt{2}} (\phi_3 - \phi_1) \right] H \left[\frac{1}{\sqrt{2}} (\phi_3 - \phi_1) \right] d_\Gamma = \frac{1}{2} \int (\phi_3 - \phi_1) H (\phi_3 - \phi_1) d_\Gamma$$

$$H_{44} = \frac{1}{2} \left[\overbrace{\int \phi_3 H \phi_3 d_\Gamma}^\alpha - \overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 - \overbrace{\int \phi_1 H \phi_3 d_\Gamma}^0 + \overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha \right] = 0$$

$$H_{41} = \int \psi_4 H \psi_1 = \int \left[\frac{1}{\sqrt{2}} (\phi_3 - \phi_1) \right] H \left[\frac{1}{\sqrt{2}} (\phi_1 - \phi_3) \right] d_\Gamma = \frac{1}{2} \int (\phi_3 - \phi_1) H (\phi_1 - \phi_3) d_\Gamma$$

$$H_{41} = \frac{1}{2} \left[\overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 - \overbrace{\int \phi_3 H \phi_3 d_\Gamma}^\alpha - \overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha + \overbrace{\int \phi_1 H \phi_3 d_\Gamma}^0 \right] = 0$$

$$H_{22} = \int \psi_2 H \psi_2 = \int \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] H \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] d_\Gamma = \frac{1}{2} \int (\phi_1 + \phi_3) H (\phi_1 + \phi_3) d_\Gamma$$

$$H_{22} = \frac{1}{2} \left[\overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha + \overbrace{\int \phi_1 H \phi_0 d_\Gamma}^0 + \overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 + \overbrace{\int \phi_3 H \phi_3 d_\Gamma}^\alpha \right] = 0$$

$$H_{23} = \int \psi_2 H \psi_3 = \int \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] H [\phi_2] d_\Gamma = \frac{1}{\sqrt{2}} \int (\phi_1 + \phi_3) H (\phi_2) d_\Gamma$$

$$H_{23} = \frac{1}{\sqrt{2}} \left[\overbrace{\int \phi_1 H \phi_2 d_\Gamma}^\beta + \overbrace{\int \phi_3 H \phi_2 d_\Gamma}^\beta \right] = \frac{2}{\sqrt{2}}$$

$$H_{25} = \int \psi_2 H \psi_5 = \int \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] H \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] d_\Gamma = \frac{1}{2} \int (\phi_1 + \phi_3) H (\phi_1 + \phi_3) d_\Gamma$$

$$H_{25} = \frac{1}{2} \left[\overbrace{\int \phi_1 H \phi_1 d_\Gamma}^\alpha + \overbrace{\int \phi_1 H \phi_3 d_\Gamma}^0 + \overbrace{\int \phi_3 H \phi_1 d_\Gamma}^0 + \overbrace{\int \phi_3 H \phi_3 d_\Gamma}^\alpha \right] = 0$$

$$H_{32} = \int \psi_3 H \psi_2 = \int [\phi_2] H \left[\frac{1}{\sqrt{2}} (\phi_1 + \phi_3) \right] d_\Gamma = \frac{1}{\sqrt{2}} \int (\phi_2) H (\phi_1 + \phi_3) d_\Gamma$$

$$H_{32} = \frac{1}{\sqrt{2}} \left[\overbrace{\int \phi_2 H \phi_1 d_\Gamma}^\beta + \overbrace{\int \phi_2 H \phi_3 d_\Gamma}^\beta \right] = \frac{2}{\sqrt{2}}$$

$$H_{33} = \int \psi_3 H \psi_3 = \int [\phi_2] H [\phi_2] d_\Gamma = \int (\phi_2) H (\phi_2) d_\Gamma$$

$$H_{33} = \left[\overbrace{\int \phi_2 H \phi_2 d_\Gamma}^\alpha \right] = 0$$

$$H_{35} = \int \psi 3 H \psi 5 = \int [\phi 2] H \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] d_{\Gamma} = \frac{1}{\sqrt{2}} \int (\phi 2) H (\phi 1 + \phi 3) d_{\Gamma}$$

$$H_{35} = \frac{1}{\sqrt{2}} \left[\overbrace{\int \phi 2 H \phi 1 d_{\Gamma}}^{\beta} + \overbrace{\int \phi 2 H \phi 3 d_{\Gamma}}^{\beta} \right] = \frac{2}{\sqrt{2}}$$

$$H_{52} = \int \psi 5 H \psi 2 = \int \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] H \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] d_{\Gamma} = \frac{1}{2} \int (\phi 1 + \phi 3) H (\phi 1 + \phi 3) d_{\Gamma}$$

$$H_{52} = \frac{1}{2} \left[\overbrace{\int \phi 1 H \phi 1 d_{\Gamma}}^{\alpha} + \overbrace{\int \phi 1 H \phi 3 d_{\Gamma}}^{\circ} + \overbrace{\int \phi 3 H \phi 1 d_{\Gamma}}^{\circ} + \overbrace{\int \phi 3 H \phi 3 d_{\Gamma}}^{\alpha} \right] = 0$$

$$H_{53} = \int \psi 5 H \psi 3 = \int \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] H [\phi 2] d_{\Gamma} = \frac{1}{\sqrt{2}} \int (\phi 1 + \phi 3) H (\phi 2) d_{\Gamma}$$

$$H_{53} = \frac{1}{\sqrt{2}} \left[\overbrace{\int \phi 1 H \phi 2 d_{\Gamma}}^{\beta} + \overbrace{\int \phi 3 H \phi 2 d_{\Gamma}}^{\beta} \right] = \frac{2}{\sqrt{2}}$$

$$H_{55} = \int \psi 5 H \psi 5 = \int \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] H \left[\frac{1}{\sqrt{2}} (\phi 1 + \phi 3) \right] d_{\Gamma} = \frac{1}{2} \int (\phi 1 + \phi 3) H (\phi 1 + \phi 3) d_{\Gamma}$$

$$H_{55} = \frac{1}{2} \left[\overbrace{\int \phi 1 H \phi 1 d_{\Gamma}}^{\alpha} + \overbrace{\int \phi 1 H \phi 3 d_{\Gamma}}^{\circ} + \overbrace{\int \phi 3 H \phi 1 d_{\Gamma}}^{\circ} + \overbrace{\int \phi 3 H \phi 3 d_{\Gamma}}^{\alpha} \right] = 0$$

Replacing according to Hückel approximation and solving the matrix

$$A_2 = \begin{vmatrix} -E & 0 \\ 0 & -E \end{vmatrix} = 0 \Rightarrow E^2 = 0 \quad E_1 = 0$$

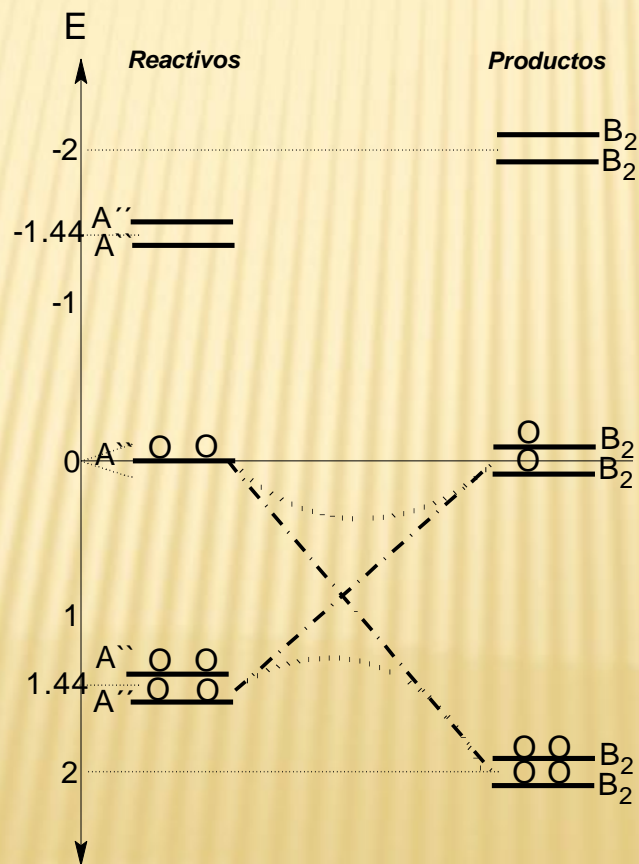
$$B_2 = \begin{vmatrix} -E & \frac{2}{\sqrt{2}} & 0 \\ \frac{2}{\sqrt{2}} & -E & \frac{2}{\sqrt{2}} \\ 0 & \frac{2}{\sqrt{2}} & -E \end{vmatrix} = 0 \Rightarrow -E^3 + 4E = 0$$

$$E_2 = 0$$

$$E_3 = 2$$

$$E_4 = -2$$

Correlation diagram to create two oxidanilo radicals (phenylcarbonyl)



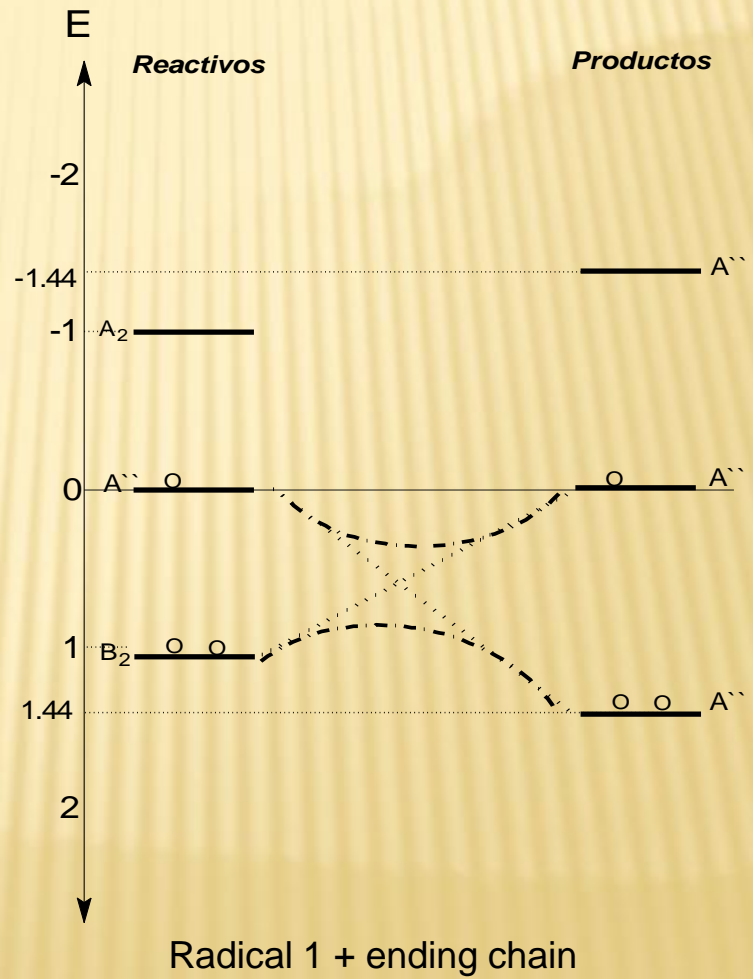
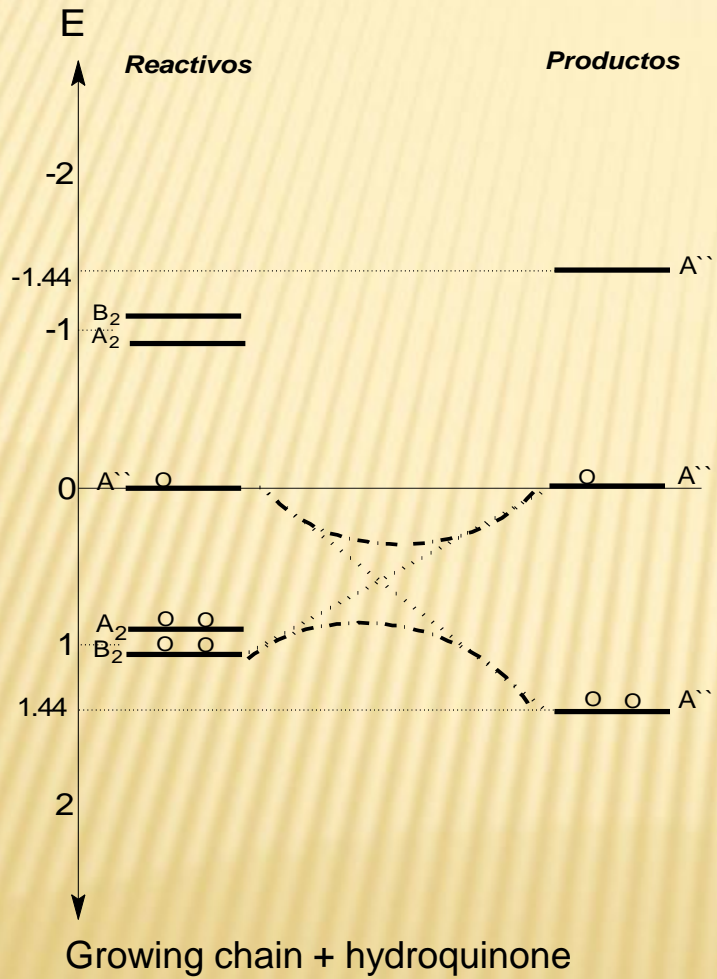
Valores de energías seculares en las moléculas involucradas en la obtención de SBR

Moléculas estudiadas	Grupo puntual de simetría	Energías seculares (β)
Peroxido de benzoilo	C_{2v}	$E_1=1; E_2=-1$
Radical oxidanilo(fenilcarbonil)	C_{2v}	$E_1=0; E_2=2; E_3=-2$
Estireno	C_{2v}	$E_1=1; E_2=-1$
1,3-butadieno	C_{2v}	$E_1=0,62; E_2=1,62; E_3=-0,62; E_4=-1,62$
radical (2E)-4-[oxy(fenilcarbonil)]-2-buten-1-ilo	C_s	$E_1=0; E_2=1,44; E_3=-1,44$
radical (2E)-6-fenil-1-[oxi(fenilcarbonil)]-2-hexen-6-ilo	C_s	$E_1=0; E_2=1,44; E_3=-1,44$
Hidroquinona	C_{2v}	$E_1=1; E_2=-1; E_3=1; E_4=-1$
Radical 1	C_s	$E_1=0; E_2=1,44; E_3=-1,44$
Radical 2	C_s	$E_1=0; E_2=1,44; E_3=-1,44$
Cadena finalizada	C_{2v}	$E_1=1; E_2=-1$
SBR	C_1	$E_1=1; E_2=-1$

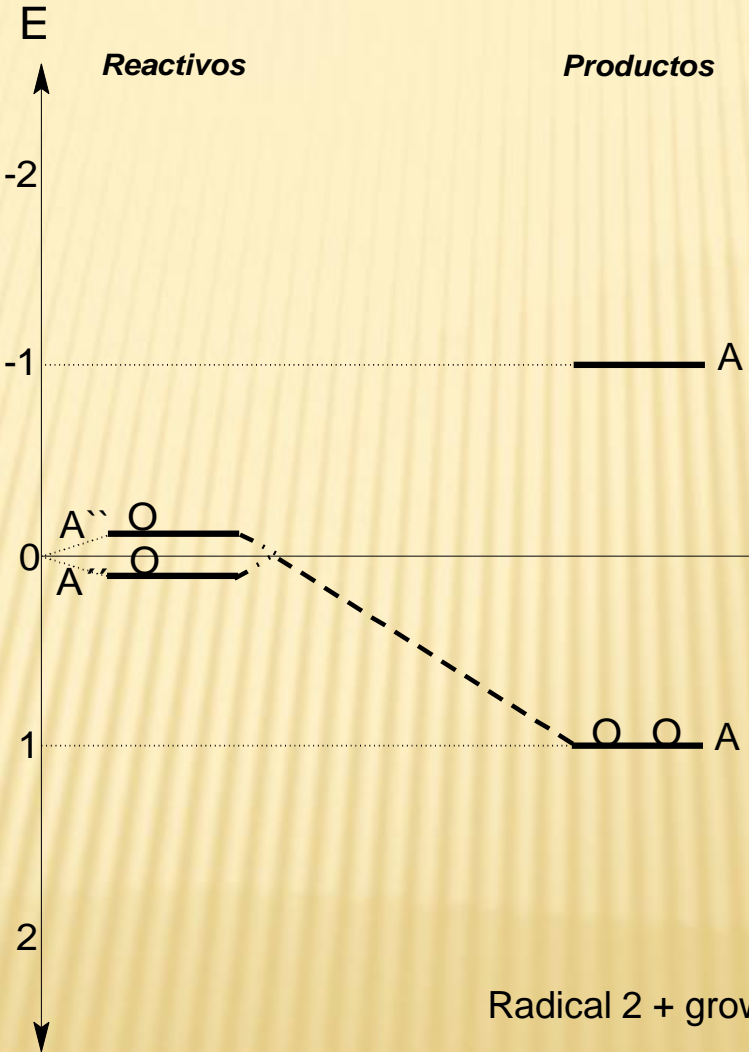
Correlation diagrams

Radical 1

Radical 2



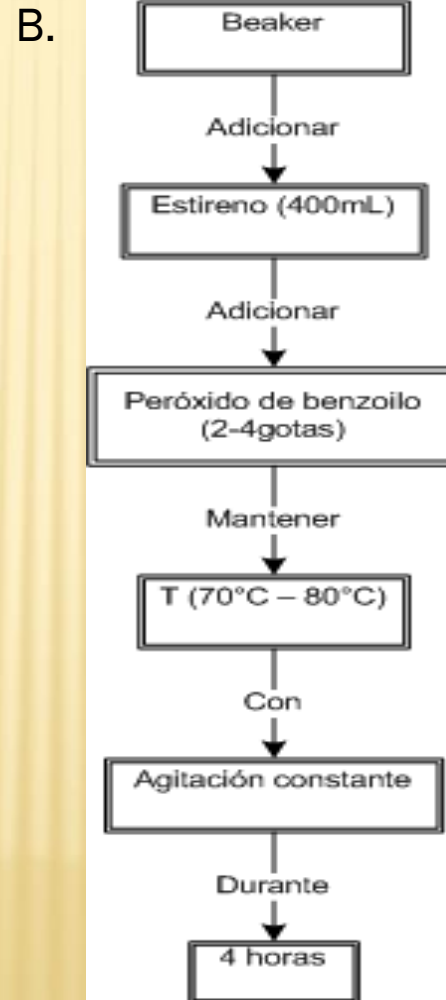
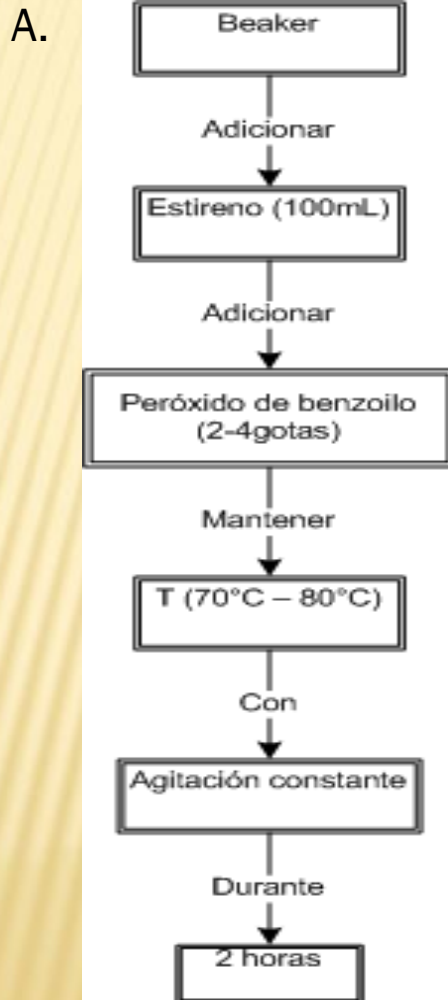
SBR



Radical 2 + growing chain

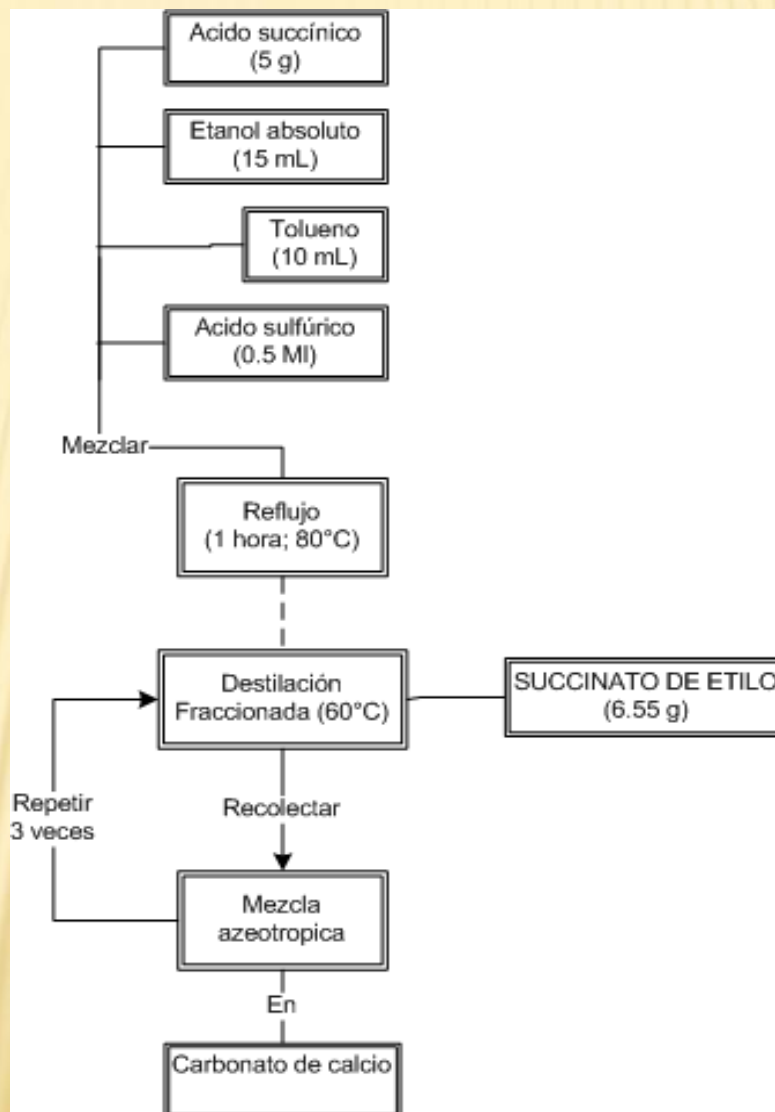
■ Design of possible synthesis routes

□ Polystyrene synthesis route

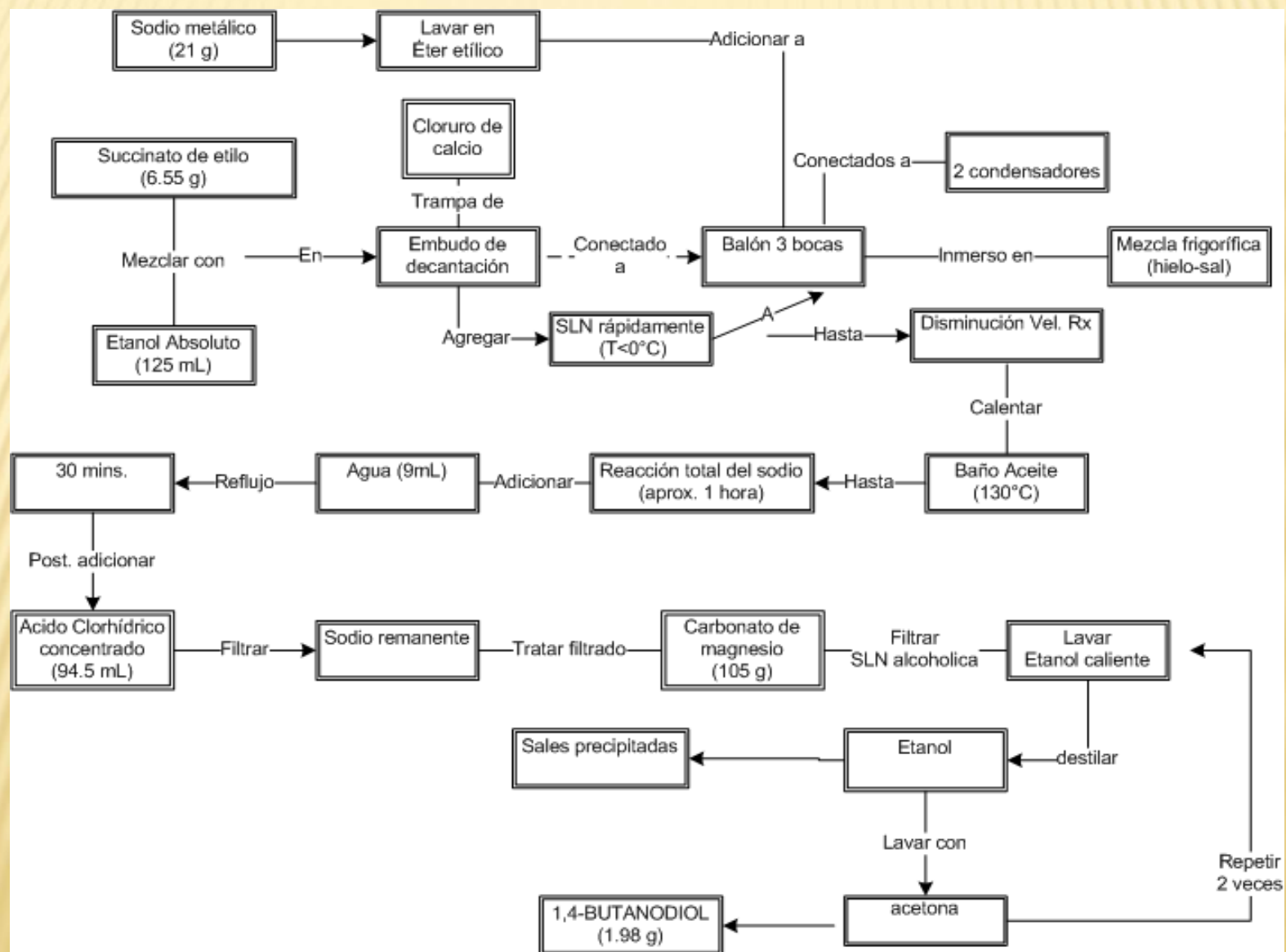


□ Synthesis routes for 1,3-butadiene

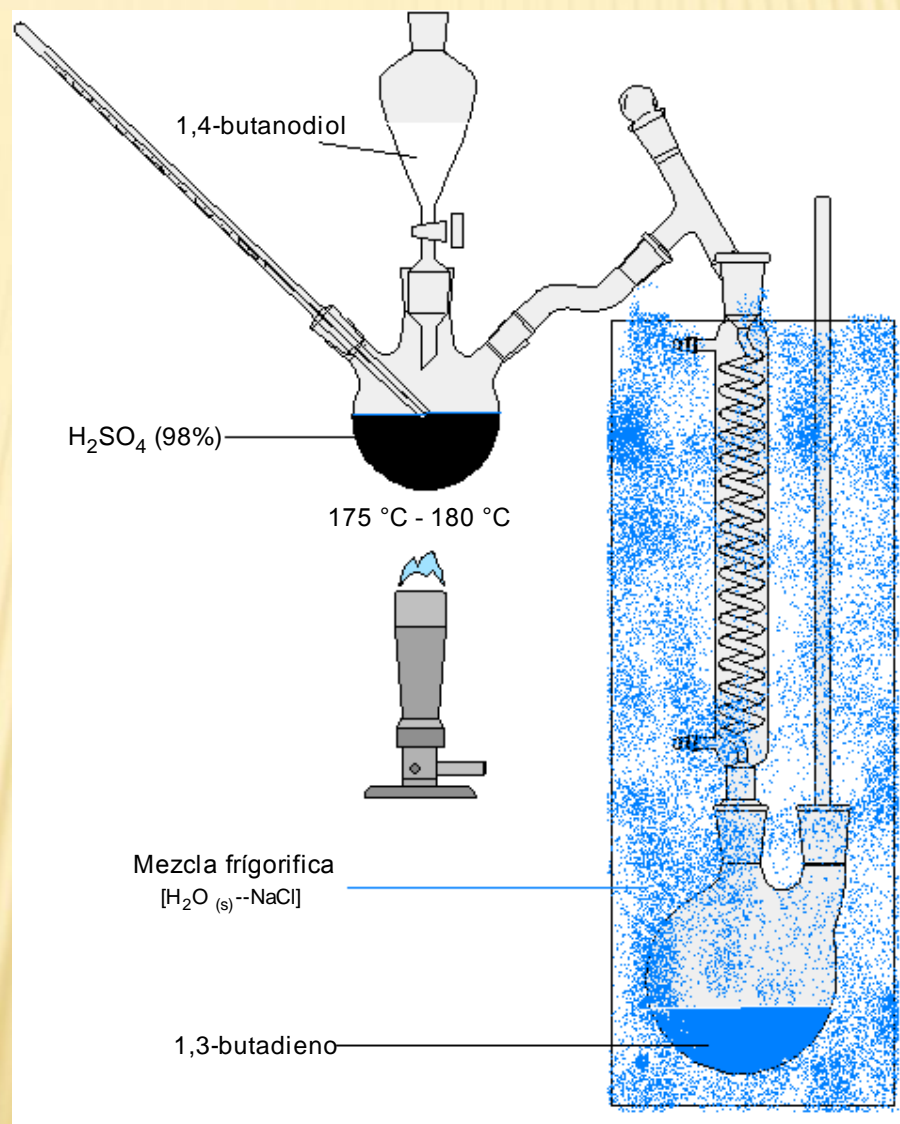
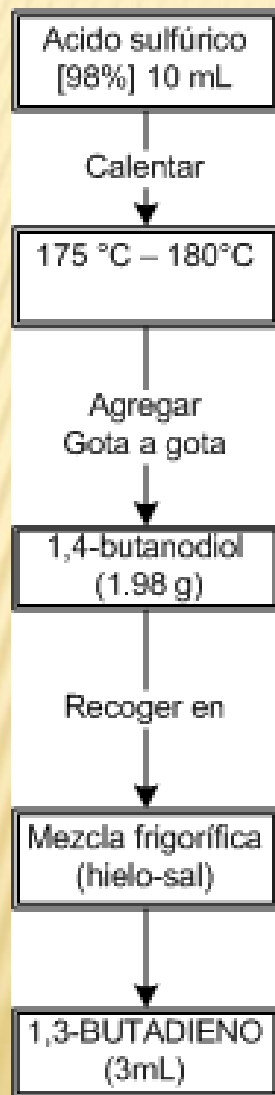
1. Ethyl succinate obtainment



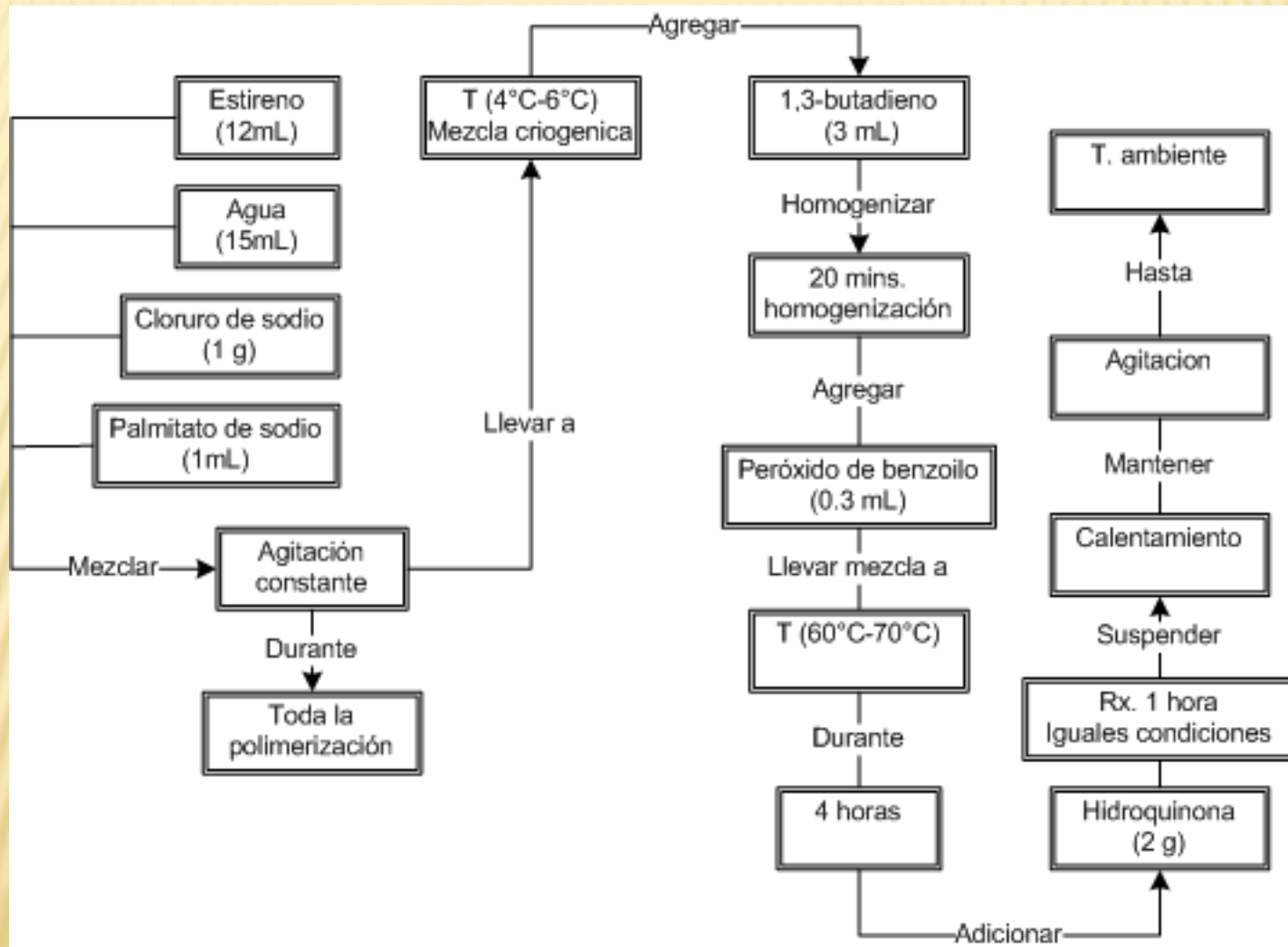
2. 1,4-butannodiol obtainment



3. 1,3-butadieno obtainment

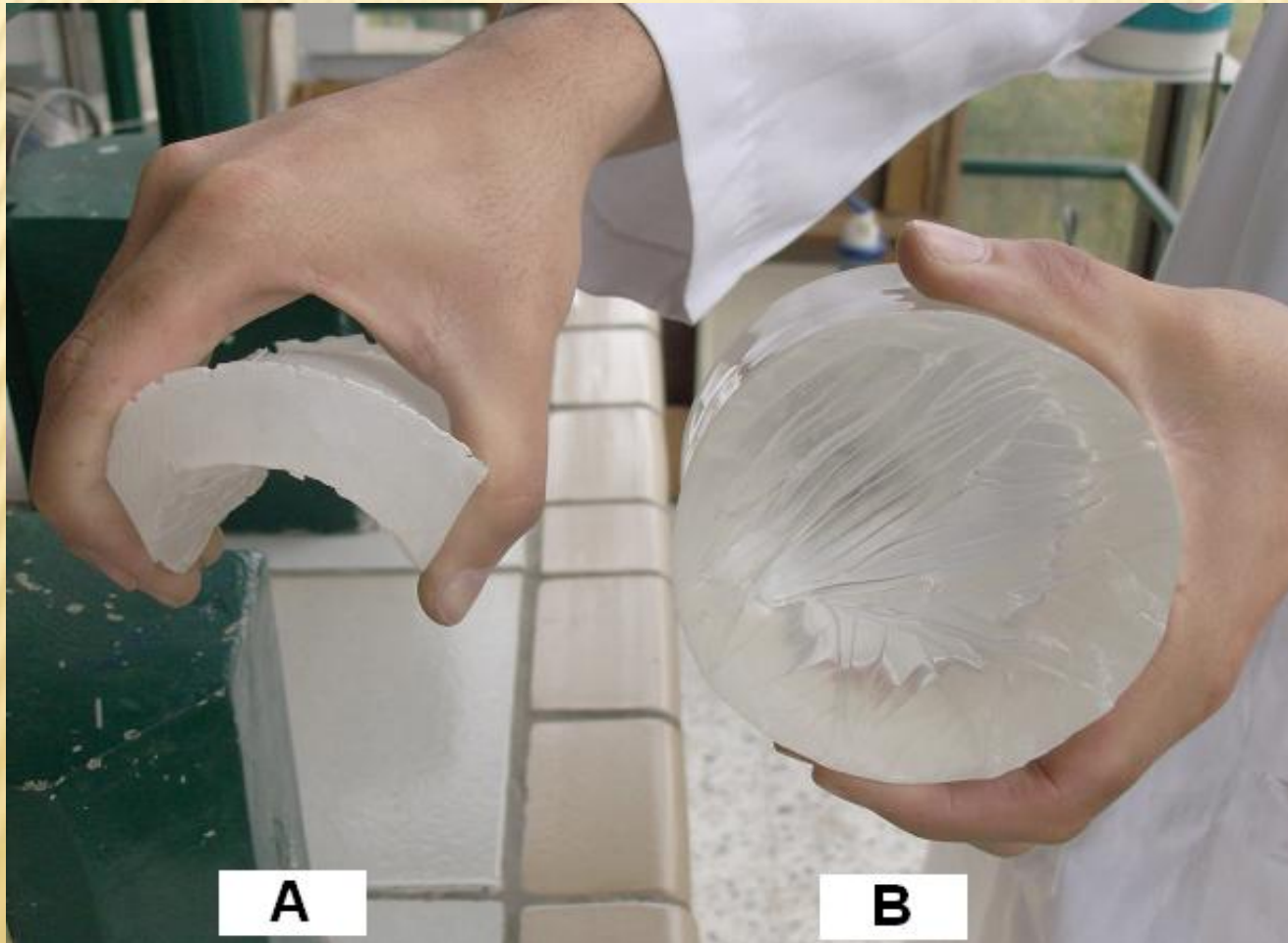


□ Synthesis route for SBR



PHASE THREE

- ✘ Experimental testing of synthesis routes



- A. Semirigid polystyrene
- B. Rigid Polystyrene



SBR films and elasticity demonstration

SBR



CONCLUSIONS

- ✘ Four possible synthetic routes similar to natural rubber using the semi-empirical AM1 method were studied. The results show that the highest electronic densities are found on the active atom in the radical compared to the electronic densities of ions and atoms of interest in a possible condensation.
- ✘ It was determined that the free radical synthesis does not show symmetry restrictions by the study group theory, and it is possible to perform by thermal power with low activation energy thresholds.
- ✘ Two synthetic routes were designed. The first one for obtaining polystyrene, the second one for obtaining SBR. These were selected for experimental corroboration of results, which yields of 90% for polystyrene and 75% for the SBR were obtained. To these synthesis routes modifications were made regarding the reported in literature to study them with theoretical tools and determine their predictive capacity to design polymer synthesis similar to natural rubber. In a future, it is expected that others can explore unknown synthesis routes are not known since this investigation showed that the used methods are reliable.

RECOMMENDATIONS

- ✘ Quantitative technique tests are recommended according to the Colombian Technical Standards and American Society for Testing Materials of the synthesized polymers. For this, proper amounts to make the test tubes must be taken.
- ✘ Furthermore, from this study, the searching of another crosslinking and ending agents, emulsifiers, among other additives to compare results and optimize the process are recommended.
- ✘ In the same way, it must promote and deepening the usage of resources the Universidad Distrital Francisco José de Caldas regarding theoretical and computational chemistry to study manifold chemistry systems.

REFERENCES

- × Hosler D., Burkett S. L., Tarkanian M. J.; Prehistoric Polymers: Rubber Processing in Ancient Mesoamerica; Science, New Series, Vol. 284, No. 5422, (Jun. 18, 1999), pp. 1988-1991.
- × Randolph R.; Rubber in Brazil: Dominance and Collapse, 1876-1945; The Business History Review, Vol. 51, No. 3, (Autumn, 1977), pp. 341-366.
- × http://www.ch.ic.ac.uk/local/organic/tutorial/steinke/CEP_polysynthsimple2003.pdf
- × Garvey B. S.; The Scientific Monthly, Vol. 52, No. 1, (1941), pp. 48-55.
- × Ministerio de agricultura y desarrollo rural; Acuerdo Sectorial de Competitividad. Cadena Productiva del Caucho Natural y su Industria. Bogotá (2002)
- × CONIF; Zonificación de áreas aptas para el cultivo del caucho en Colombia” (1997).
- × Espinal C.F., Martínez H. J., González E. D.; La cadena de caucho en Colombia, una mirada global de su estructura y su dinámica; Documento de trabajo No. 94; Ministerio de Agricultura y Desarrollo Rural, Observatorio agrocadenas Colombia, (2005).
- × Carey F. A.; Organic Chemistry; cuarta edición; Mc Graw Hill.
- × Baxendale, H.J. , Introducción to free radical polymerization, University of Manchester (1983).
- × Harkins W. D.; Soap Solutions: Salt, Alcohol, Micelles, Rubber: The Scientific Monthly, Vol. 70, No. 4 (Apr., 1950), pp. 220-228.
- × H.B. Klevens, Anal. Chem. 22 1141 (1950).
- × W.V. Smith, J. Am. Chem. Soc. 70, 3695 (1948).
- × W.D. Harkins, the physical chemistry of surface films, Reinhold, N.Y., (1952).
- × H.B. Klevens, J. Colloid Sci, 2, 365 (1947).
- × I.M. Kolthoff et al., J. Polymer Sci. 6, 73 (1951).
- × C.W. Carr et al., J. Polymer Sci. 5, 191 (1950).
- × W.D. Harkins et al., J. Am. Chem. Soc 68, 220 (1946).
- × H.B. Klevens, Anal. Chem. 22 1141 (1950).
- × H.W. Starkweather et al., Chem. Eng. News. 39, (1947) pg 210
- × B. M. G. Zwicker, Ind. Eng. Chem. 44, 774 (1953).
- × H.F. Mark. Avancing Fronts in Chemistry, Reinhold, N.Y. (1945) pp 7.

-
- ✗ W. E. Cass, *J. Am. Chem. Sec.* 68,1967 (1946); 69,500 (1947); P. D. Bartlett et al., *ibid.*, 69,2299 (1947).
 - ✗ Office of Technical Services, *P. B.* 20,078 or *F. I. A. T.* 720; of *P. B.* 67,620.
 - ✗ Cf. A. Sibelberg and W. Kuhn, *J. polymer Science* 13,21 (1954),
 - ✗ W.C. Mast et al., U.S., 2,588,398 (USA).
 - ✗ B. M. Marks, U.S. 2,576,720 (du Pont).
 - ✗ H. R. Dittmar, U. S. 2,163,305 (du Pont).
 - ✗ E. W. Fawcett et al., U. S. 2,153,853 and Brit. 471,590 (I.C.I.).
 - ✗ Mehl, Hickel R, Kunzelmann KH (1997): Physical properties and gap formation of light-cured composites with and without "soft-start-polymerization." *J dent* 25: pp 321-323.
 - ✗ Van Viack LH.; *Elements of Materials Science and Engineering*, ed 5. Reading, M.A, Addison Wesley (1985).
 - ✗ Anusavice K., Phillips J.; *Science of Dental Materials*, ed 10. Philadelphia, WB Saunders (1996).
 - ✗ Smith D.; *Addition polymers: Formation and Characterization*. London, Butterworths (1979).
 - ✗ Figueroa C.; *Aspectos generales en la producción de combinados de madera-plástico mediante radiaciones ionizantes*. Comisión Chilena de Energía Nuclear, Santiago (1979).
 - ✗ Murayama T.; *Composite materials centering around WPC*. Forest Experiment Station, Ministry of Agriculture and Forestry (1977).
 - ✗ Robert L. Bebb.; *Environmental Health Perspectives*, Vol. 17 (Oct., 1976), pp. 95-102.
 - ✗ Ramachandran K. I., Deepa G., Namboori K.; *Computational chemistry and molecular modelling, principles and applications*. Springer. 2008. pp 141-142.
 - ✗ D. J. Rigby and R. J. Roe, *J. Chem. Phys.* 87, 7285 (1987).
 - ✗ D.R. Pansé; P.J. Phillips., *Polymer Data Handbook*, edited by J.E. Mark .Oxford University Press Inc.(1999) pp 341-346; 607-616.
 - ✗ C.E. Schildknecht et al., *Polymer Processes, Chemical technology of plastics resins, rubbers, additives and fibres*. Interscience Publishers Inc., New York.(1956) pp 111-171.
 - ✗ Jie Jack Li *NAME REACTIONS a collection of detailed reactions mechanisms*. 2008.
 - ✗ *CRC Handbook of chemistry and physics*. Ed. 84. 2004.

-
- ✗ ChemDat. La base de datos de los productos química de Merck.
 - ✗ G.J. Antlfinger et al., Ind. Eng. Chem, Vol 45 (1953) pp 182.
 - ✗ R.G. Gilbert; S.C. Thickett.; Emulsion polymerization: State of the arts kinetics and mechanism. Polymer, 48, Elsevier (2007) pp 6965-6991.
 - ✗ Rigby D.; Eichinger B.E.; Polymer Modeling. Current Opinion in Solid State and Materials Science 5 (2001) pp. 445–450.
 - ✗ Monte Carlo and molecular dynamics simulations in polymer science. Kurt Binder. pp 274-278.
 - ✗ Rappaport D.C. The Art Of Molecular Dynamics Simulation pp 245-257.
 - ✗ Jensen F. Introduction to computational chemistry. Wiley and sons. Chichester UK. (2007) pp. 445-450.
 - ✗ Cotton A.; La teoría de grupos aplicada a la química; segunda edición; Ed. Limusa; México (1983) pp.163-169.
 - ✗ R. B. Woodward; R. Hoffmann; J. Amer. Chem. Soc.; 87, (1965) pp. 2046
 - ✗ Nguyen T.; Las reglas de Woodward-Hoffmann; Ed. Reverte; (1974) pp. 101-105.
 - ✗ R. B. Woodward; R. Hoffmann; Conservación de la simetría orbital; Ed. Alhambra S.A.; 1ª Edición; Madrid; (1972) pp. 35 – 41.
 - ✗ Mc Murry J.; Química Orgánica; Séptima Edición; Ed. Cengage Learning; Mexico (2008) pp. 796.
 - ✗ Vogel`s; Textbook of Practical Organic Chemistry; 5th Edition; Ed. Longman Group UK Limited (1989) pp 702.
 - ✗ Kluchesby E. F., Wakefield B.; Polymerization inhibition and stopping agents; Industrial and Engineering Chemistry; Vol. 41, No. 8. Pp 1768-1771.
 - ✗ ASTM D638:2003