

MODELLING, ANALYSIS AND SENSORY METRICATION TOWARDS A QUANTITATIVE UNDERSTANDING OF COMPLEXITY IN SYSTEMS

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01 INTRODUCTION

Modelling and metrication of the complexity of service tertiary education institutions, is an systems, e.g. underdeveloped problem space in the literature of complex systems. The presented preliminary model aims to improve decision-making capabilities knowledge within and education systems. Complexity is here holistically examined with respect to the core functional elements (FE), physical elements (PE) intricacy of connectivity (loC) and with the flow of signals in normal systemic associated operations.

02 OBJECTIVES

Develop:

- architecture for generic higher • System institution.
- Quantitative system complexity model based on system elements count, contextual questioning and pyramid modelling approach.
- Better understand the complexity of a service system in to **improve management** and **decision-making** capabilities.

04 CONCLUSION

A novel heuristic to identify the complexity domain of a system based on a complexity scale is presented. The measure indicates a moderately-intricate level of complexity for the preliminary Teaching and Learning system. The low CS places this system in the second quartile of this complexity domain, thus indicating that the complexity management and **decision-making** difficulty for the system is low. The level of knowledge required to manage complexity in this instance is low to moderate. The method is intended to be suitable for heterogenous systems and a full analysis of a generic teriary education institution will be done for future research.

03 METHODS & ANALYSIS

education





Pyramid Modelling Approach

Complexity score (CS) calculated based on the ratio between actual count (AC) and peak count (PC); divided into quartiles.



Complexity Scores



Hybrid Structural Interaction Matrix (HSIM)

Matrix (BIM).

System elements BIM i\j C1 C2 C3 ... SC1 SC2 ...

F1 1	0	1	 1	1	 1
F2 1	0	0	 1	0	 0
F3 1	0	0	 1	0	 0
SF1 1	0	0	 1	0	 0
SF2 1	0	0	 1	0	 1
SF3 1	0	1	 1	1	 1
SF4 1	0	0	 1	0	 0
SF5 1	0	0	 1	0	 0

		•				
	Sub-System ()	Sub-System (n)			[1]	if i had a direct of
	•	v	_	e	$ij = \begin{cases} 1 \\ 0 \end{cases}$	n <i>t</i> has a direct ei
()	Function ()	Function (n)			(0)	if <i>i</i> has no direct
	•		-	↓	1	
ent	Component ()	Component (n-1)		Component (n)		
	•		▼		•	
ent	Sub- Component ()	Sub- Component (n-3)	Sub- Component (n-2)	Sub- Component (n-1)	Sub- Component (n)	
		•		•	•	
n)	Parts (1n)	Parts (1n)	Parts (1n)	Parts (1n)	Parts (1n)	

 $[phy.(\alpha d_{c(p_{(i)})} + \beta d_{sc(p_{(i)})} + \gamma d_{p(p_{(i)})})] + [fun.(\alpha d_{c(f_{(i)})} + \beta d_{sc(f_{(i)})})] + [ioc.(f_{(ij)})]]$

Contextual questioning to create Binary Interaction



Moderately-Intricate Complexity