

Nondipole laser-assisted photoionization: the streaking regime

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INTRODUCTION & AIM

What is a “Nondipole” laser?

Dipole approx.

$$\mathbf{A}(\mathbf{r}, t) = \mathbf{A}_0(t) \quad B = \nabla \times \mathbf{A} = 0$$

$$E = \hbar\omega \quad \mathbf{p} = \mathbf{E} \cdot \hat{\mathbf{K}}$$

$$\mathbf{e} \text{ oscillates in polarization direction}$$

$$\beta_0 < 1 < \lambda$$

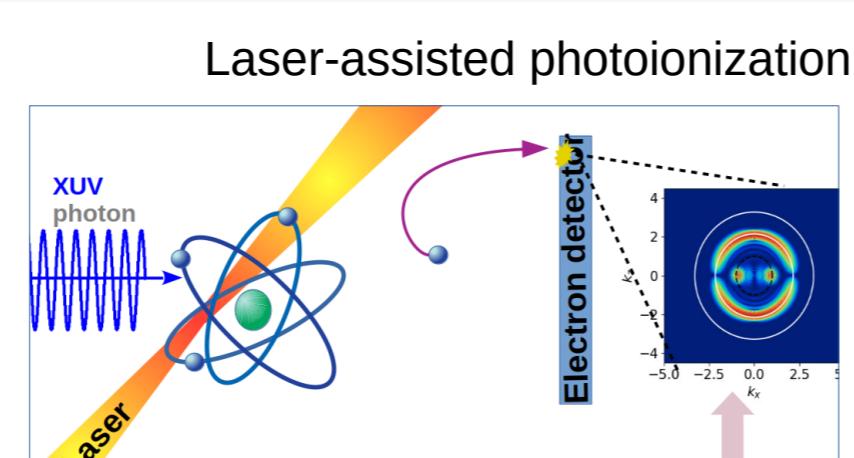
Nondipole

$$\mathbf{A}(\mathbf{r}, t)$$

$$E = \hbar\omega \quad \mathbf{p} = \frac{E}{c} \hat{\mathbf{K}}$$

$$\mathbf{e} \text{ oscillates in polarization direction and propagation direction}$$

$$\beta_0$$



Let us consider a space-dependent IR laser field at the lowest order in 1/c,

$$\mathbf{A}(\eta) \simeq \mathbf{A}(\eta)|_{r=0} + [(r \cdot \nabla) \mathbf{A}(\eta)]|_{r=0}$$

$$\simeq \mathbf{A}_0(t) + \frac{\hat{z} \cdot \mathbf{r}}{c} \mathbf{E}_0(t),$$

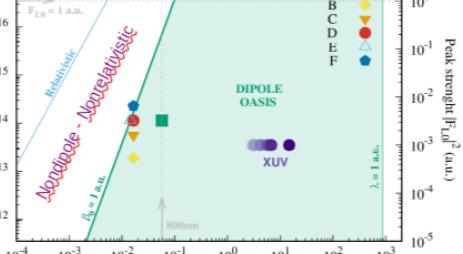
DIPOLE approximation (1st term only)

NONDIPOLE nonrelativistic approximation: both terms

$$\chi_f^{VND}(\mathbf{r}, t) = (2\pi)^{-3/2} \exp(i \mathbf{I}(\mathbf{k}, t) \cdot \mathbf{r})$$

$$\times \exp\left\{\frac{i}{2} \int_t^\infty \mathbf{I}^2(\mathbf{k}, t') dt'\right\}$$

Nondipole Gordon Volkov wave function describes a free electron in a nondipole IR laser field



$$\Pi(\mathbf{k}, t) = \mathbf{k} + \mathbf{A}_0(t) + [\mathbf{k} \cdot \mathbf{A}_0(t) + \frac{1}{2} \mathbf{A}_0^2(t)] \frac{\hat{z}}{c}.$$

METHOD

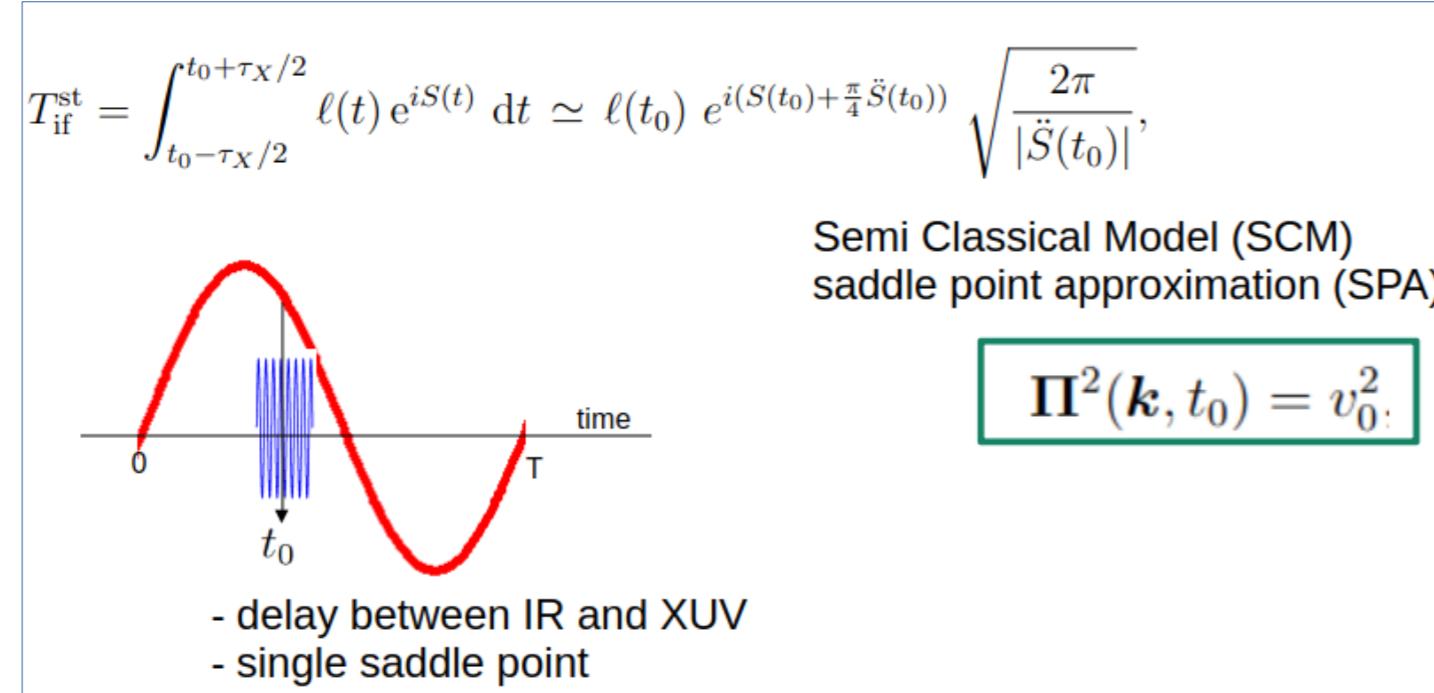
XUV + IR LAPE

Laser Assisted Photoionization Emission

$$T_{if} = -i \int_{-\infty}^{+\infty} dt \langle \chi_f^-(\mathbf{r}, t) | H_{int}(\mathbf{r}, t) | \phi_i(\mathbf{r}, t) \rangle,$$

$$T_{if}^{IR} \text{ (Direct Ioniz)} + T_{if}^{XUV} \text{ (LAPE)}$$

XUV ionization assisted by IR



- delay between IR and XUV

- single saddle point

- ionization time

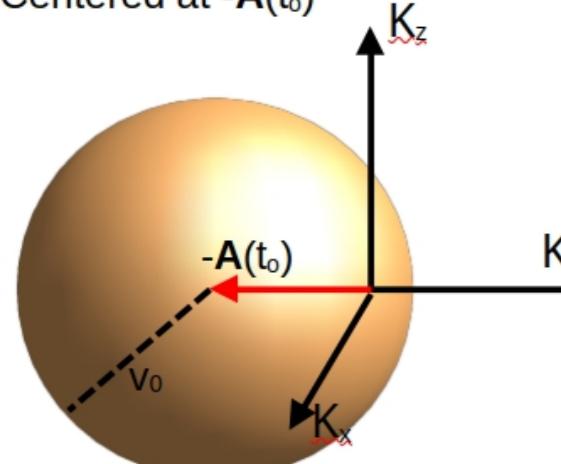
SPA

$$\Pi^2(\mathbf{k}, t_0) = v_0^2$$

$$[\mathbf{k} + \mathbf{A}(t_0) + (\dots)/c]^2 = v_0^2$$

Nondipole: forward-deformed spheres

Semiclassical allowed momenta OVOID-shaped shell in 3D k-space Centered at $-\mathbf{A}(t_0)$



In streaking conditions the stationary time t_s is the same as t_0 , the delay between the IR and the short pulse XUV.

Those values of \mathbf{k} satisfying its equation for real values of t_s define a quasi-sphere [centered at $-\mathbf{A}(t_0)$ and radius v_0], of classically allowed momenta

Dipole approximation: dashed lines determine the spheres centered at $-\mathbf{A}(t_0)$.

As it rotates for circularly polarized IR laser, the sphere also rotates in the plane perpendicular to z axis.

REFERENCES

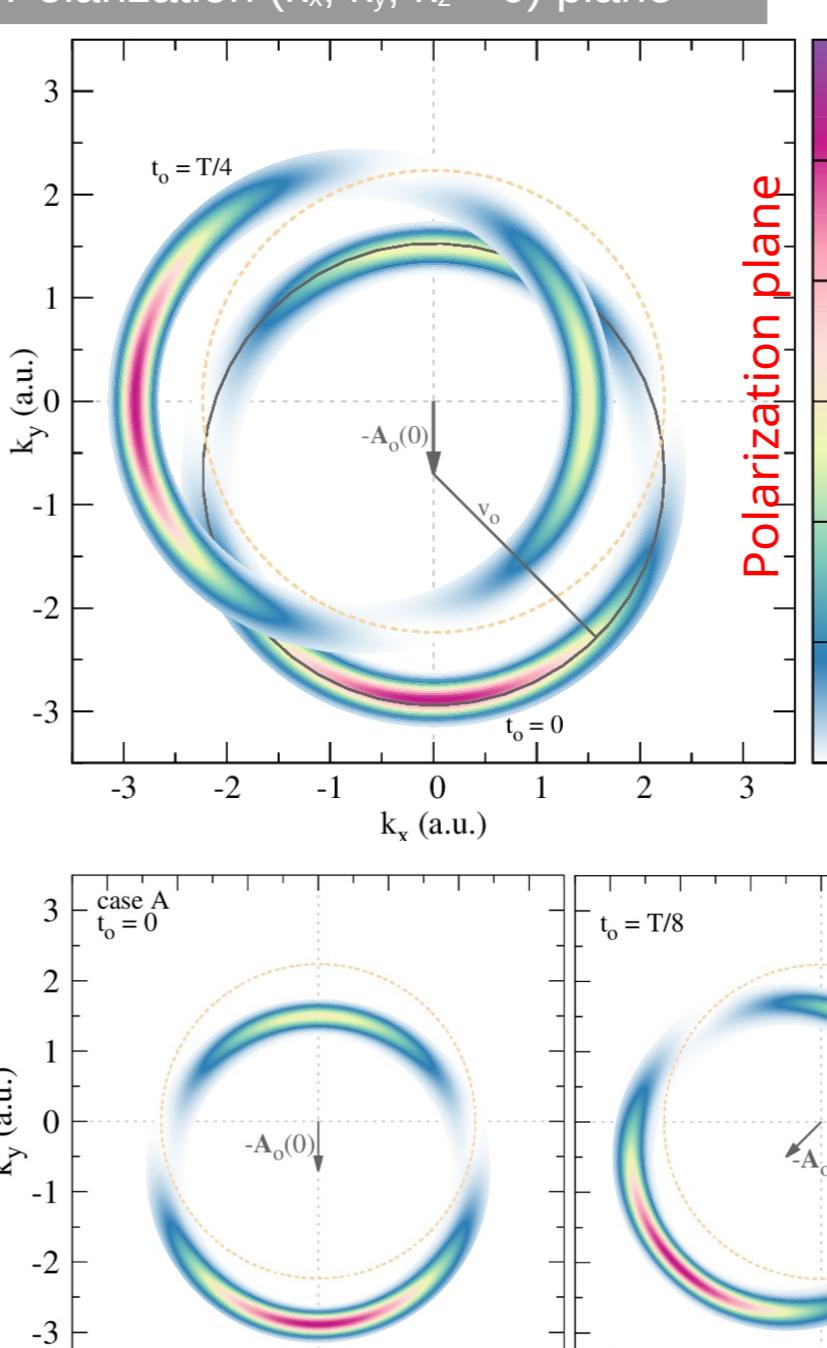
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RESULTS & DISCUSSION

Streaking H(1s)
XUV \sin^2 envelope
Circular IR

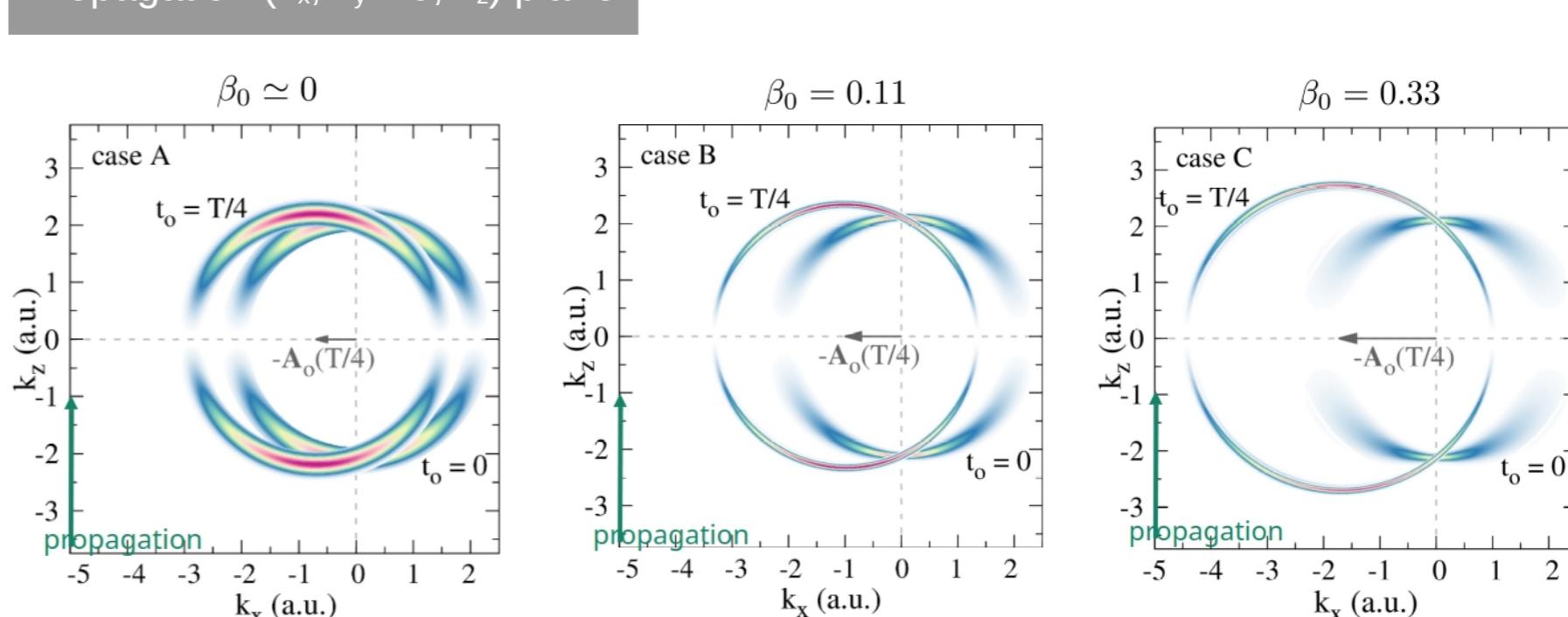
IR propagation
IR polarization
XUV polarization

Polarization ($k_x, k_y, k_z = 0$) plane



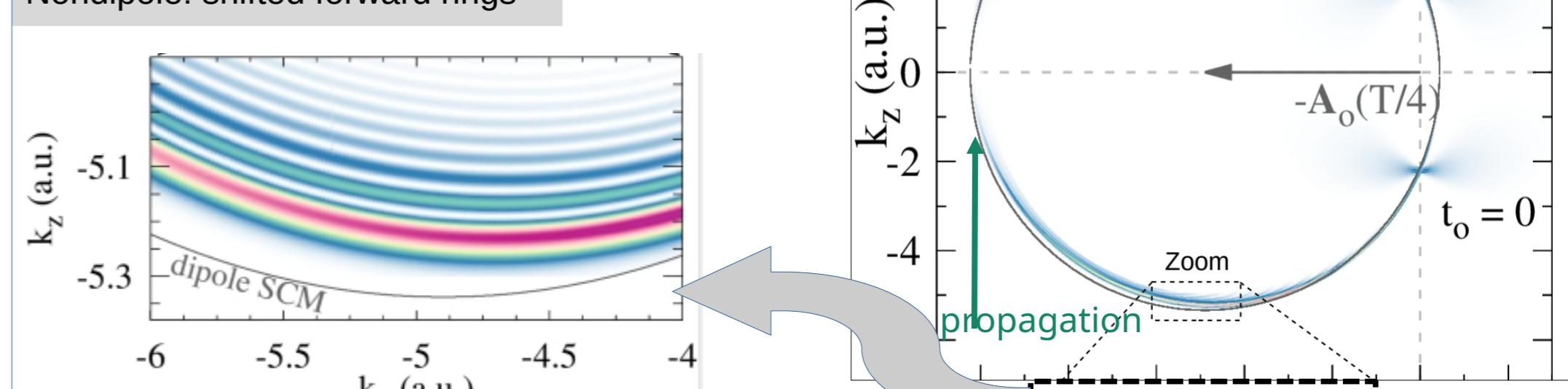
Changing the ionization times t_0 , the PMD rotates as in attoclock process.

Propagation ($k_x, k_y = 0, k_z$) plane



SCM: rings with radius v_0 , centered at $-\mathbf{A}(t_0)$

Nondipole: shifted forward rings



CONCLUSION

We have studied LAPE process in a nondipole nonrelativistic SFA description. As particular case, we consider H(1s) ionized by circularly polarized IR laser and train of short XUV pulses.

The STREAKING PMD is predominantly distributed on a surface predicted by the semiclassical model in momentum space.

PMD is non-zero in the dipole forbidden $k_z=0$ plane; where Cooper-like minima are observed along the $E = v_0^2 / 2$ line.

STREAKING pattern shifts in the direction opposite to the instantaneous IR polarization vector, changing the ionization times t_0 , the PMD rotates as in attoclock process.