

Novel Topological Weyl Semimetallic Phase in Layered Material : Fe_3Sn



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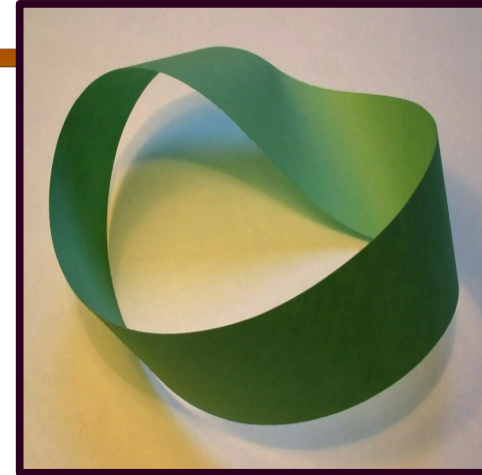
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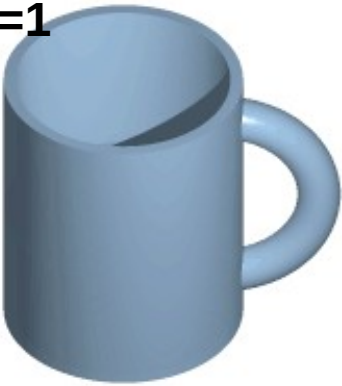
What is Topology ?

$g=0$



Topology: Branch of mathematics aiming to identify properties of various objects under continuous deformations [1].

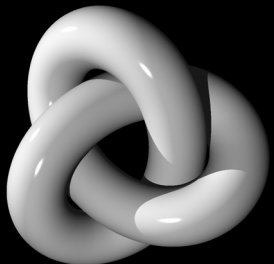
$g=1$



Gauss Bonnet- Theorem: Integrate curvature over surface area gives the result as integer.

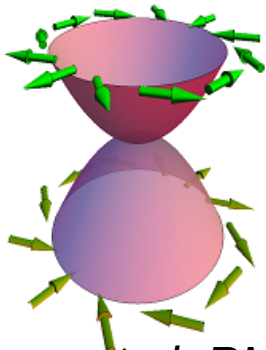
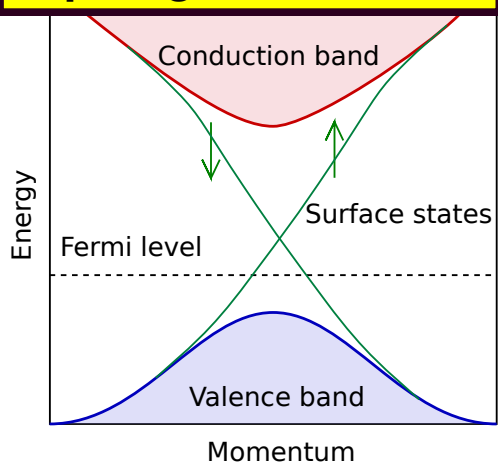
$$\frac{1}{2\pi} \int_{T^2} K dA = 2 - 2g \dots \dots \dots (1)$$

The curvature can be changed locally, but the net integrated value remains constant.



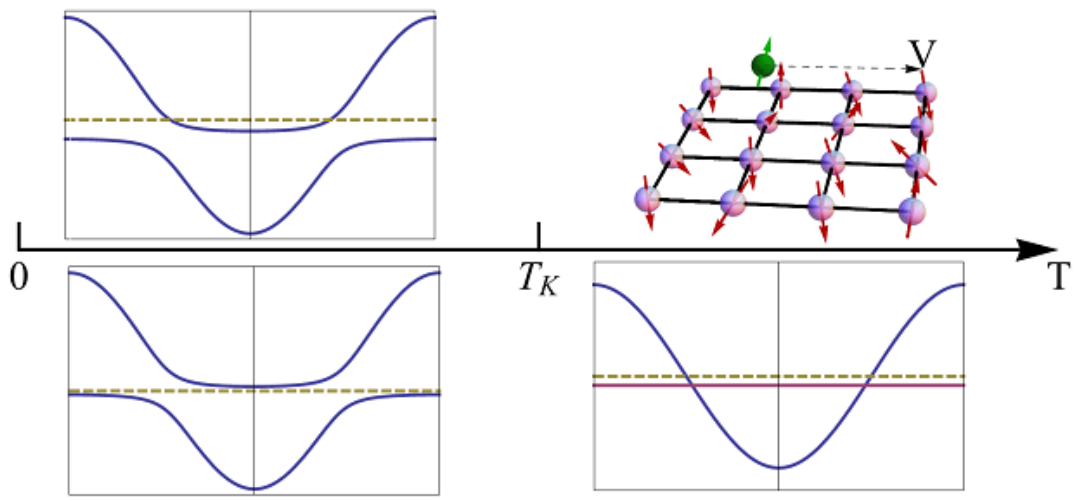
[1] <https://en.wikipedia.org/wiki/Topology>

Topological Insulator



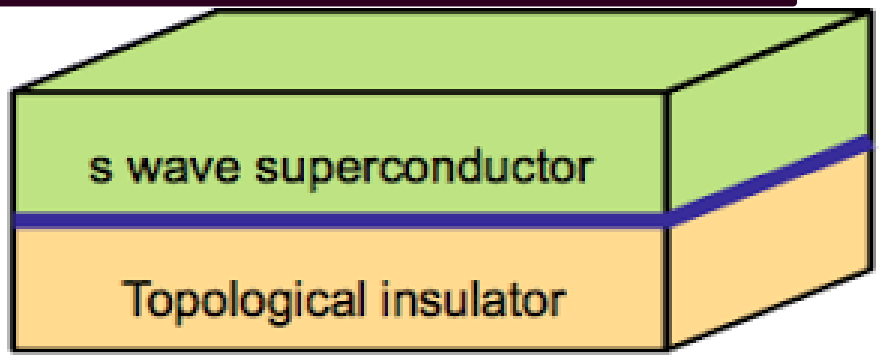
Hasan et al., *RMP*, **82**, 3045(2010)

Kondo Insulator

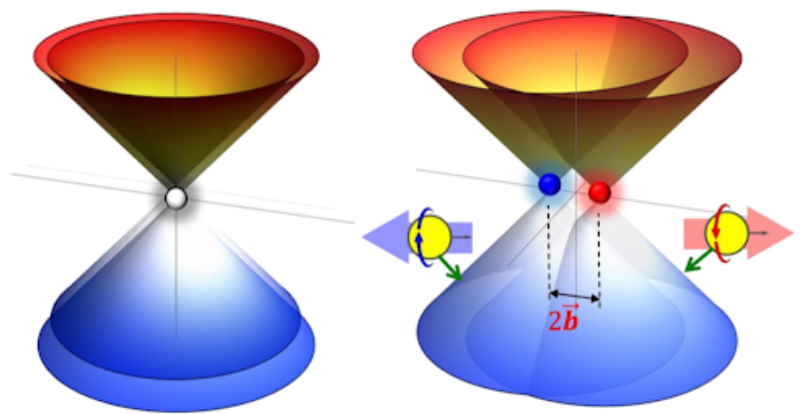
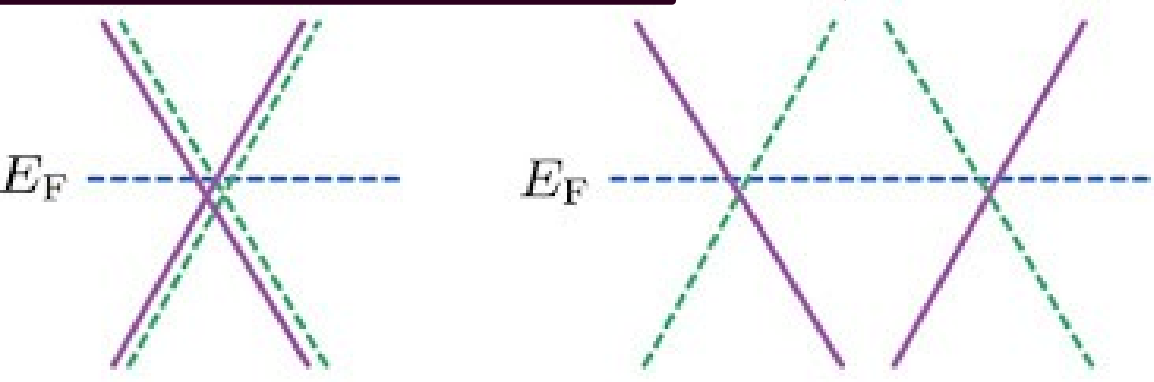


Topological Materials

Topological Superconductors



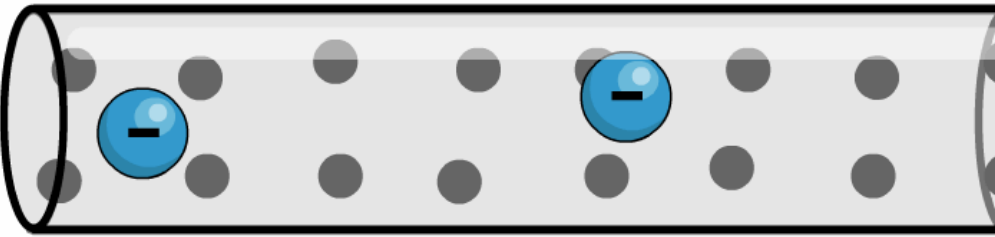
Topological Semimetals



Why to study Topology ?

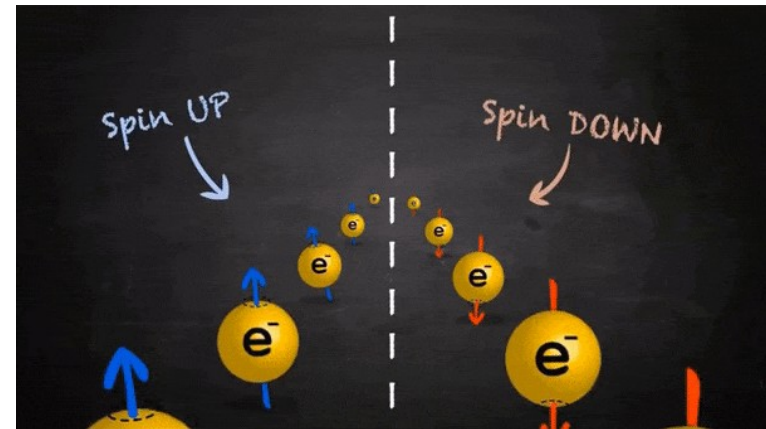
• Drawbacks of Electronics

- Slow – information carrier is electron having mass and charge
- Conduction through bulk : Loss of huge amount energy in the form of heat
- Based on classical bit (0 and 1)



• Probable Solutions

- Fast – Fermi arc transport
- Conduction through surfaces preserves huge amount of heat loss
- Quantum bit



Dirac and Weyl Equations

- Dirac introduced linearized momentum for relativistic free particle,

$$H_D = E = c \vec{\alpha} \cdot \vec{p} + \beta m c^2 \dots \dots \dots (2)$$

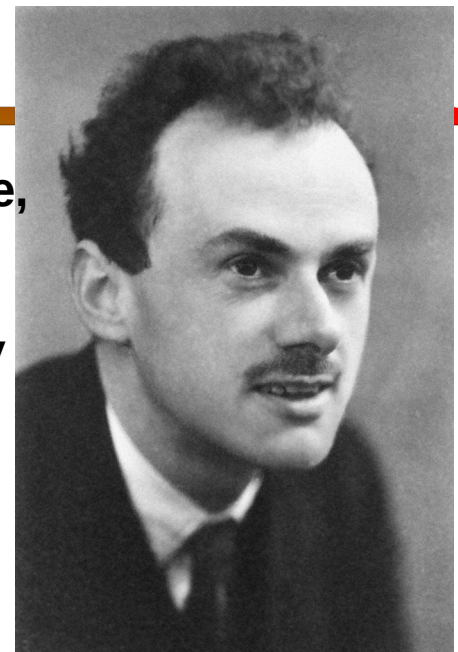
- α and β are terms introduced to satisfy special theory of relativity and Pauli principle,
- Introducing 4 X 4 Gamma matrices , **1929 Dirac Equation** ,

$$\begin{pmatrix} E(\vec{k}) - \sigma \cdot \vec{k} & 0 \\ 0 & E(\vec{k}) + \sigma \cdot \vec{k} \end{pmatrix} \psi = m c^2 \begin{pmatrix} 0 & I_2 \\ I_2 & 0 \end{pmatrix} \dots \dots \dots (3)$$

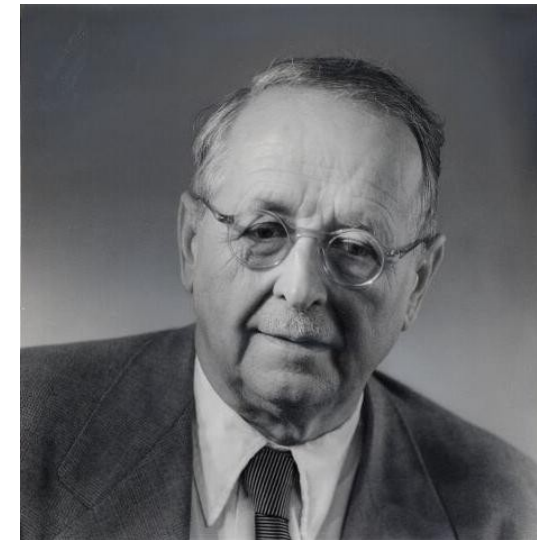
- The solution gives four folded Dirac Points.
- Dirac Points: Sources for Dirac Fermions
- Weyl solved the Dirac equation setting the mass to zero.
- Weyl equation 1930**, 2X2 Matrix equation,

$$i \partial_t \Psi_{\pm} = H \Psi_{\pm} = \pm \vec{k} \cdot \vec{\sigma} \Psi_{\pm} \dots \dots \dots (4)$$

- The solution gives two folded Weyl points with definite Chirality
- Weyl Points: Sources for Weyl Fermions



P. Dirac



H. Weyl

Weyl Semimetals

- Weyl semimetals (WSMs) are the crystalline substances which are the sources for the Weyl fermions.
- Breaking of TRS or IS or both results crossing of valance and conduction band creating Weyl node.
- The Weyl node:
 - Follows Weyl equation.
 - Can act as magnetic monopole
 - Source for Berry Curvature
 - Fermi arc states between two Weyl nodes
- WSMs exhibit high mobilities, magnetotransport phenomenon and large magnetoresistance.
- There are mainly two types of WSMs:
 - Type I : Lorentz violating, direct crossing in k space, nodal line and plane are perpendicular
 - Type II : Lorentz invariant, indirect band gap in k space, nodal line and plane makes some angle

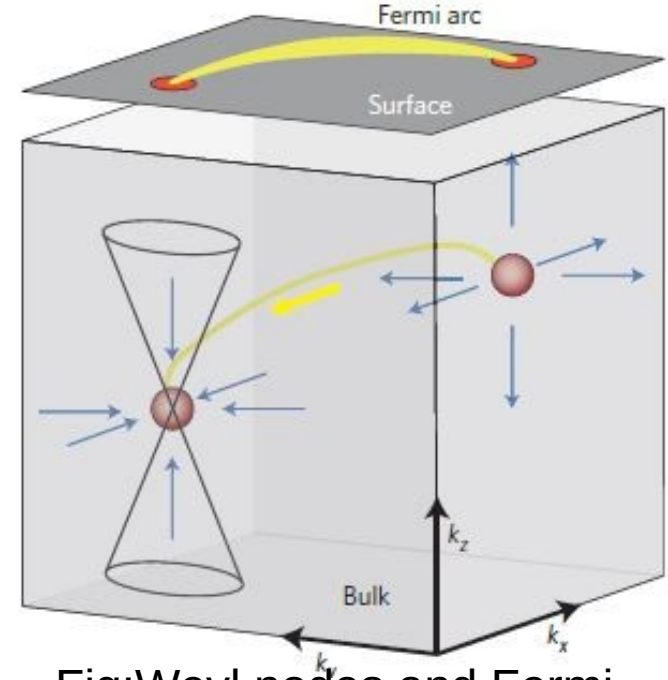


Fig:Weyl nodes and Fermi Arc States [1]

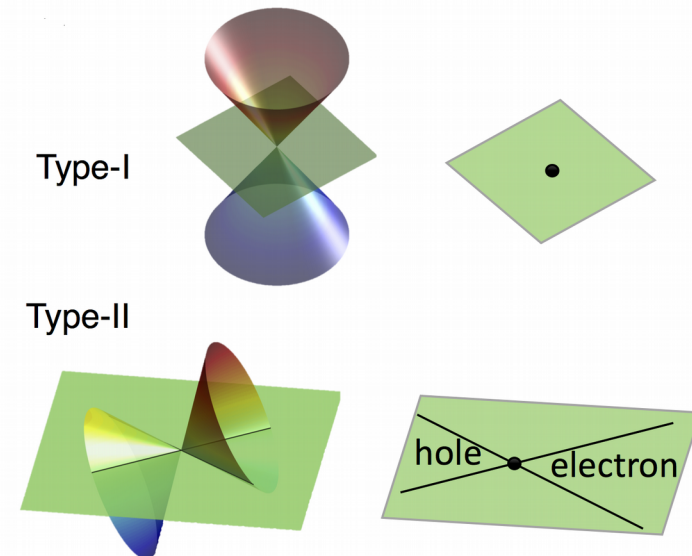


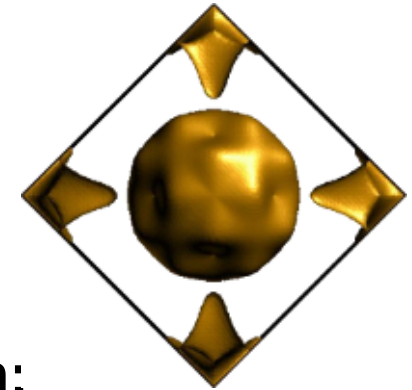
Fig:Types of WSMs [2]

[1] Bernevig *Nat. Phys.* **11**, 698 (2015)

[2] Felser et al., *ARCOMP*, **8**, 337 (2017)

Computational Approach

- Full potential local orbital minimum basis code (FPLO) is used which is based on Density functional theory (DFT) approach
- DFT formalism
 - Electronic Properties
 - Magnetic Properties
- Wannier Interpolation and Berry Phase Formalism:
 - Topological Properties
 - Weyl Properties
 - Chern Numbers
 - Anomalous Hall effects



Crystal Structure: Fe_3Sn

- Layered Material
- Hexagonal crystal
- Kagome System
- Space Group No: 194 ($P63/mmc$)
- Point Group $D6h$ with 24 full group operations
- Non Symmorphic
- Breaks Inversion Symmetry
- Candidate for Weyl Semimetals
- Lattice Constants: $a=b= 5.487 \text{ \AA}$
 $c= 4.310 \text{ \AA}$
- $\alpha=\beta= 90^\circ, \gamma=120^\circ$

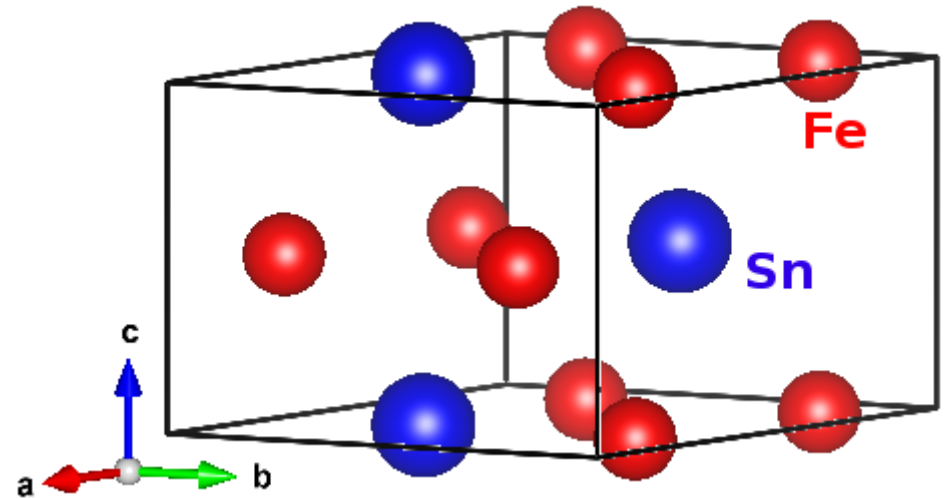


Figure. Crystal Structure

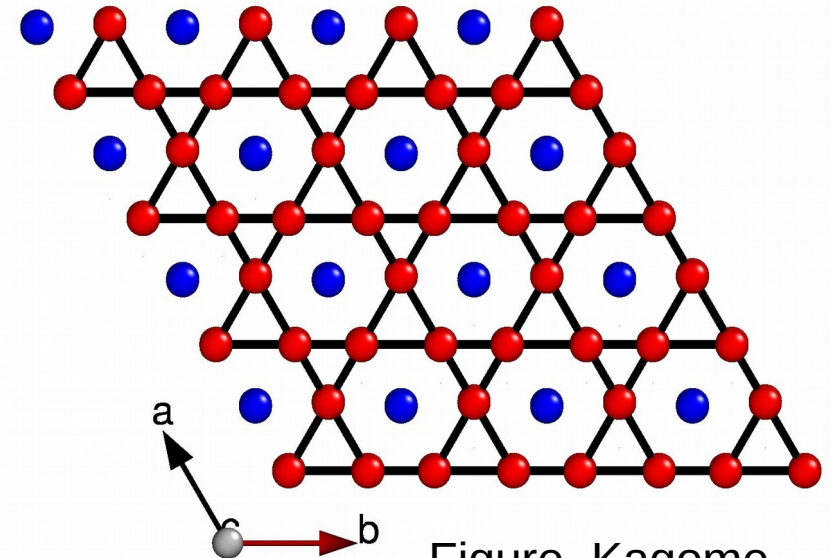
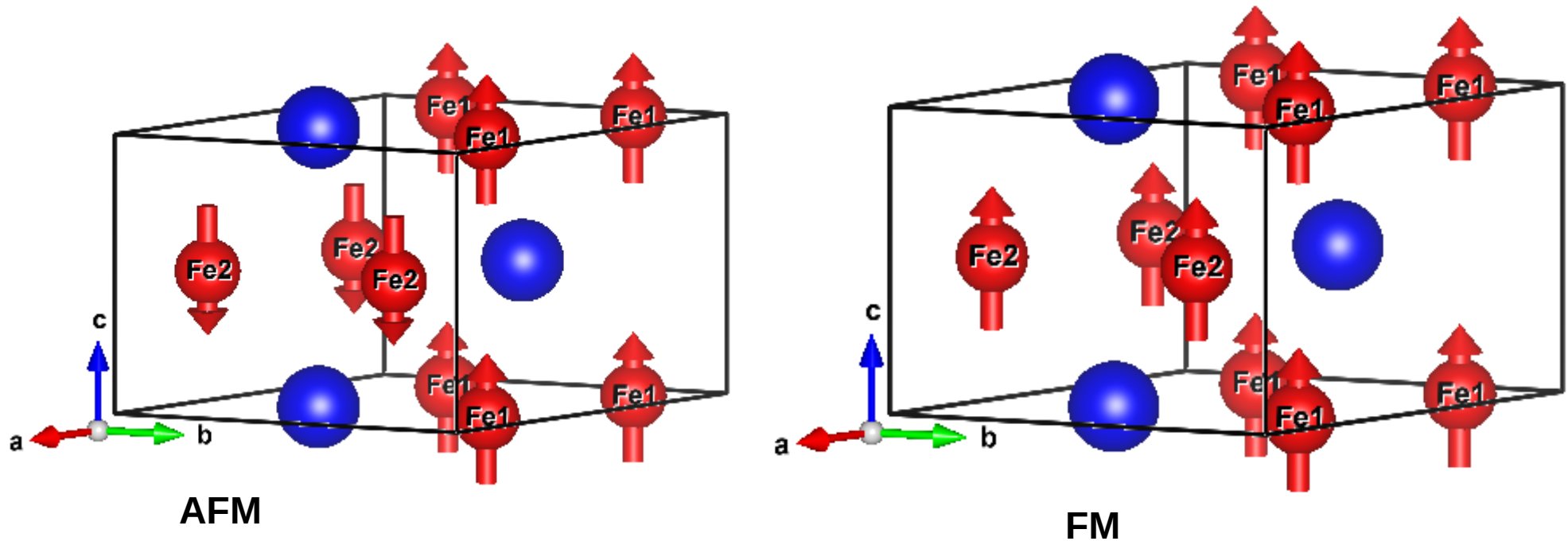


Figure. Kagome Structure

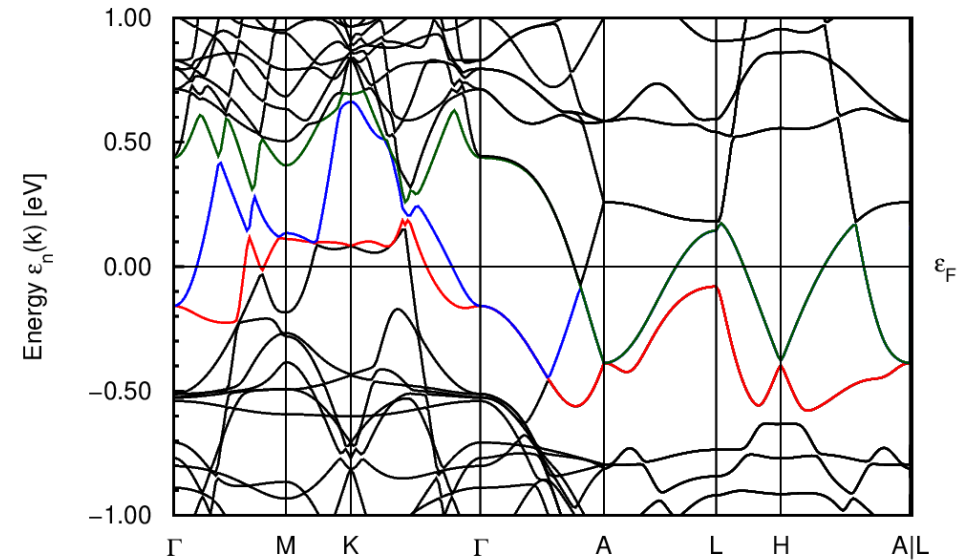
Magnetic Ground State



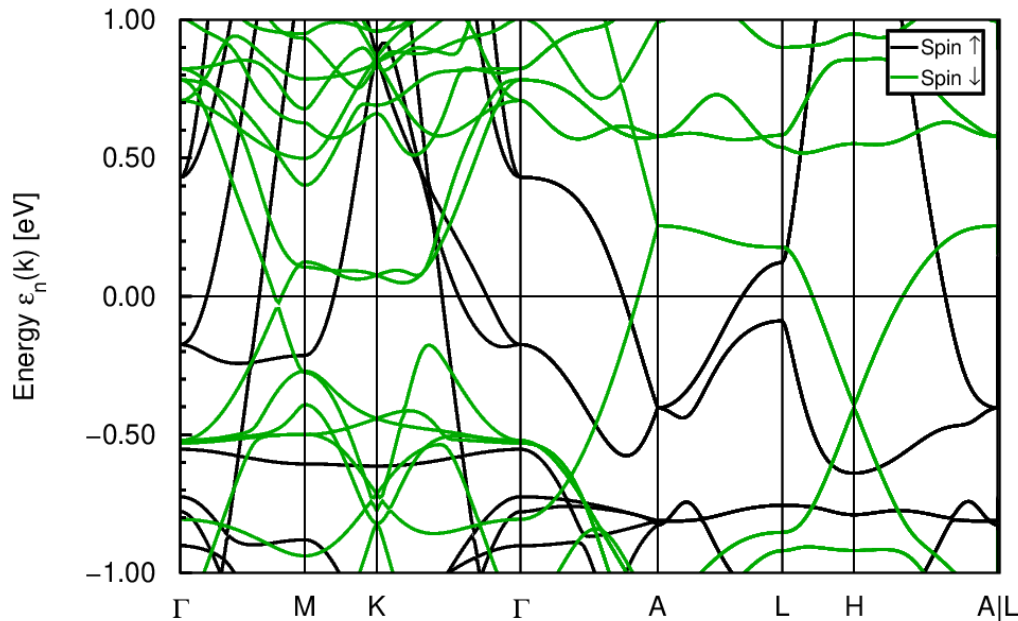
- Two magnetic configurations are possible from the spin texture configuration
- Fe1 and Fe2 : $\uparrow\downarrow$ for AFM and $\uparrow\uparrow$ for FM
- FM ground state is observed
(Magnetic compound breaks Time Reversal Symmetry suitable for Weyl Phases)

Electronic Band Structures

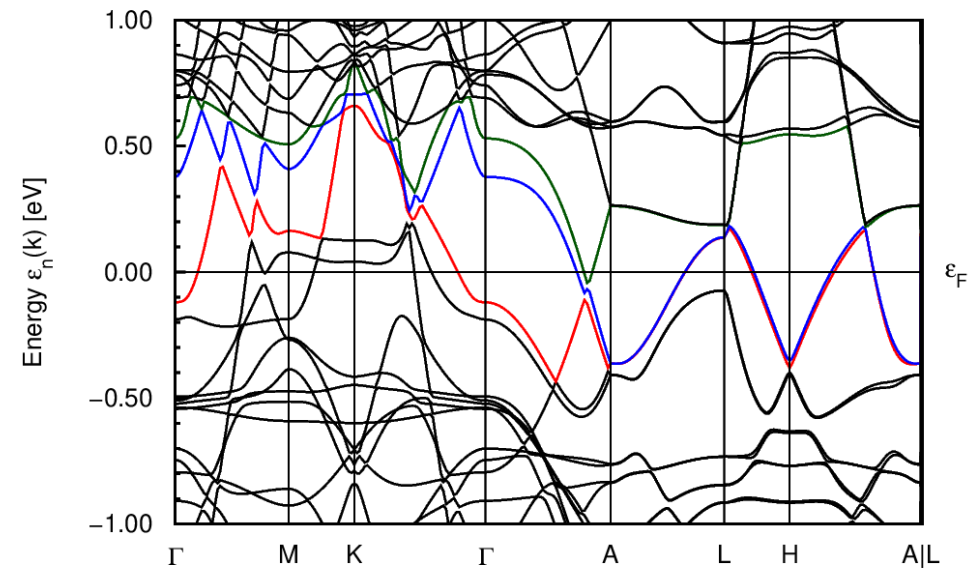
- Presence of heavy atom Sn shows SOC effects in band structure
- Degenerate bands open to form non degenerate bands
- Crossings at the Fermi level: Weyl Indication
- Magnetic Anisotropic Effects
- $E_{001} - E_{100} = 1.08 \text{ meV}$



SOC (100)



Without SOC



SOC (001)

Contribution of States

- No band gap around Fermi level :
Metallic in nature
- Major contribution of Fe- 3d orbital
and minor contribution from Sn – 5p
- These orbitals plays role for Weyl
point formation
- Flat nature around -0.5 eV mainly
contributed by d_{yz} and d_{zx}
-

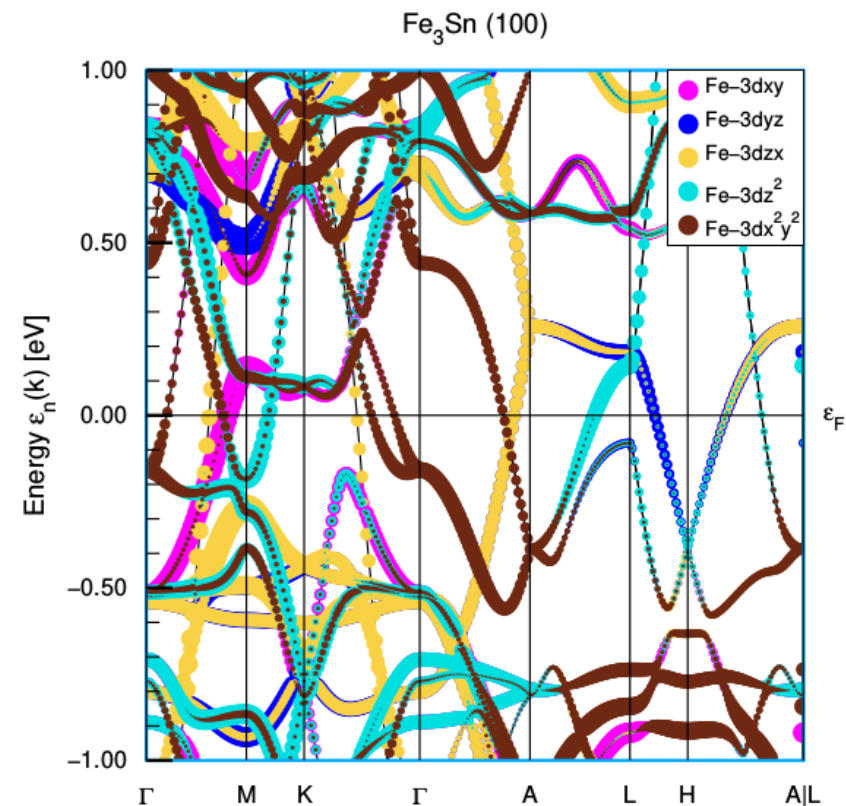


Fig: Contribution of Fe-3d
and Sn-5p states in band structure

Weyl Points

- **Wannier Fitting : Matching of DFT band, Wannier band and Tight band approximation**
- **Generation of Wannier Hamiltonian**
- **Weyl points are identified using Berry Curvature Formalism**
- **Chern Numbers or Chirality of nodes**

- **Along 100 (easy axis)**

Weyl Points	Energy(eV)	Chirality (χ)
W1	78.1 meV	+1
W2	141.0 meV	-1
W3	202.6 meV	+1
W4	397.8 meV	+1

Conclusions

- Fe_3Sn a layered material with ferromagnetic ground state
- SOC effects and magnetic anisotropic effects prevalent in the system
- Breaking of Time Reversal and Inversion Symmetry creates Weyl Points in the momentum space: Weyl Semimetal

Acknowledgments

- IFW-Dresden, Helmholtzstr-20, 01069 Dresden, Germany
- Condensed Matter Physics Research Center, Butwal-11, Rupandehi, Nepal



➤ **Thank You !**

