

Online Conference
Algorithms

AVOIDING TEMPORAL CONFOUNDING IN TIMESERIES

FORECASTING USING MACHINE LEARNING

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Timeseries play an important role in many operational tasks

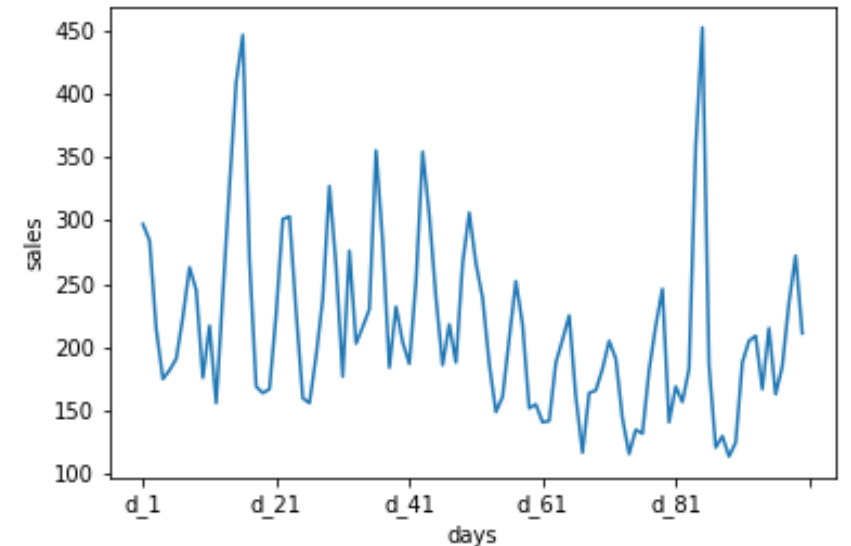
Examples:

- Sales of products
- Number of customers per day
- Price of shares
- ...

Timeseries Forecasting: Determine future value of a timeseries

- Order new products
- Buy/Sell shares (nor not)
- ...

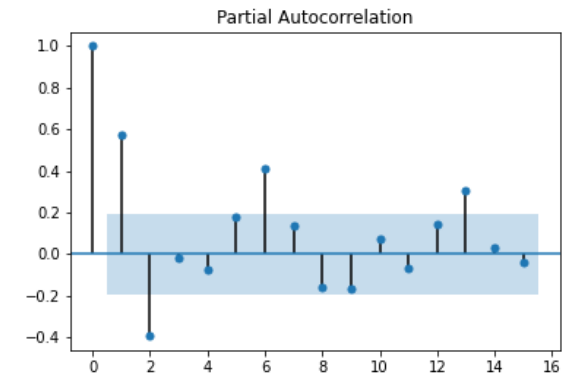
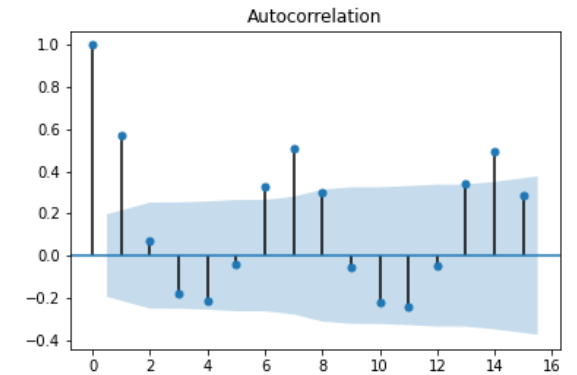
Timeseries for some group of products



Timeseries Forecasting

„Traditional approach“ --- ARIMA

- Analyze (partial) auto-correlation
- Determine order of AR and MA contribution
- If applicable:
 - Differencing for stationary time-series (ARIMA)
 - Plus: Seasonal components (SARIMA)
 - Plus: External influences (SARIMAX)



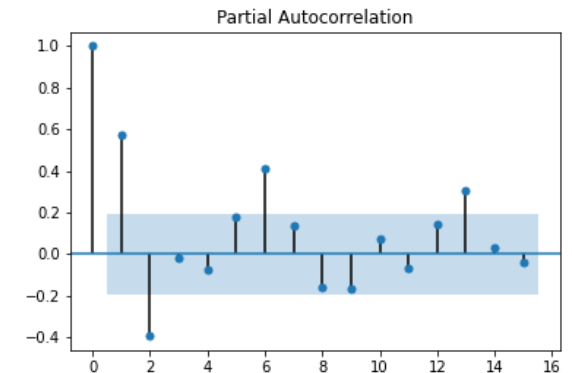
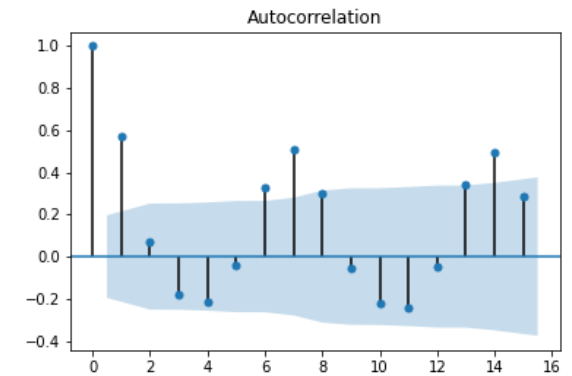
Timeseries Forecasting

„Traditional approach“ --- ARIMA

- Analyze (partial) auto-correlation
- Determine order of AR and MA contribution
- If applicable: determine additional seasonal lags,...

Key point:

- Exploit auto-correlation between subsequent data-points
- Idea:
 - Future behaviour of the timeseries can be learnt from its past behaviour.



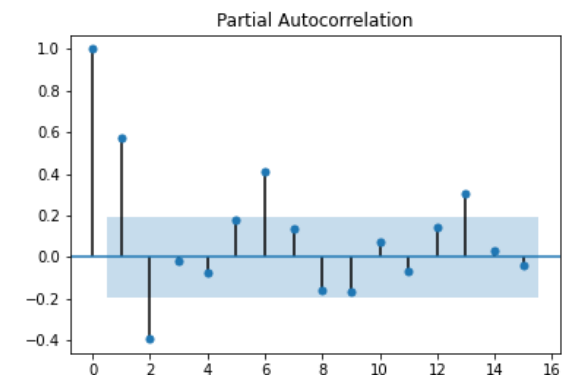
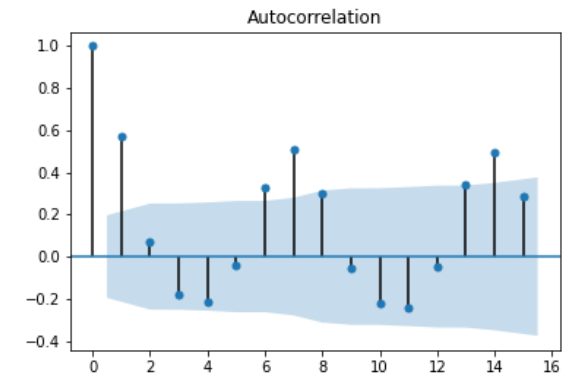
Timeseries Forecasting

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Key point:

- Exploit auto-correlation between subsequent data-points
- Idea:
 - Future behaviour of the timeseries can be learnt from its past behaviour.
- Same underlying concept for other methods:
 - Holt-Winters, exponential smoothing,
 - LSTM
 - Transformer
 - ...



Timeseries Forecasting - Challenge

„Traditional approach“ --- ARIMA

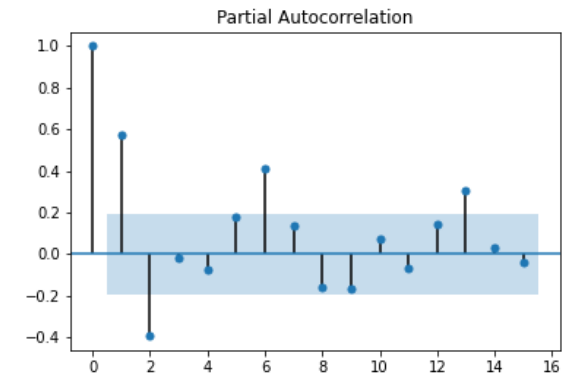
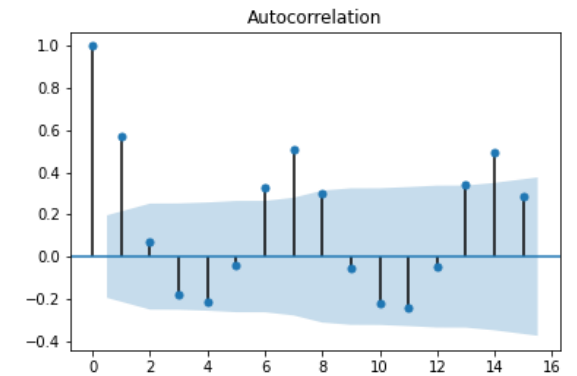
- Analyze (partial) auto-correlation
- Determine order of AR and MA contribution
- If applicable: determine additional seasonal lags and model contributions

Key point:

- Exploit auto-correlation between subsequent data-points

Key challenge:

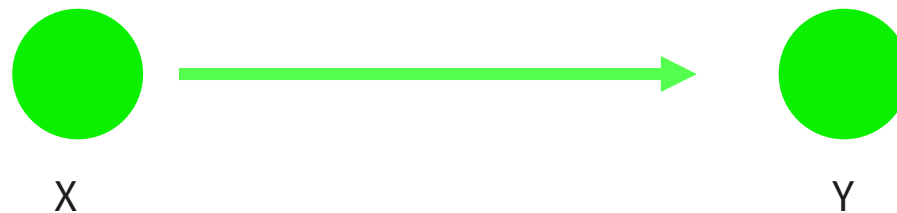
Assumes that the auto-correlation is genuine (not spurious)



Confounding

Causal analysis: Variable X has a causal influence on variable Y

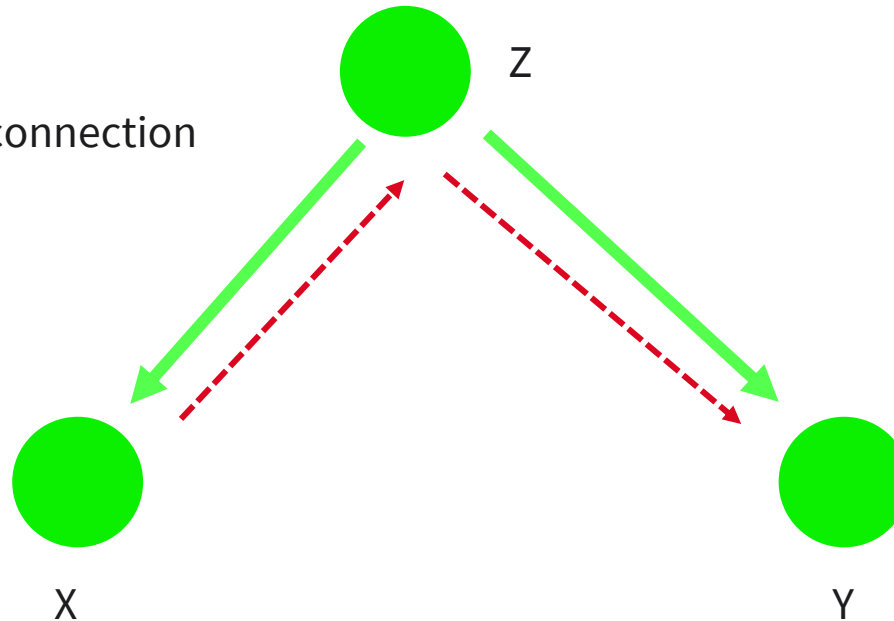
- X and Y are correlated (as are Y and X)
- A change in X causes a change in Y --- but not vice versa



Confounding

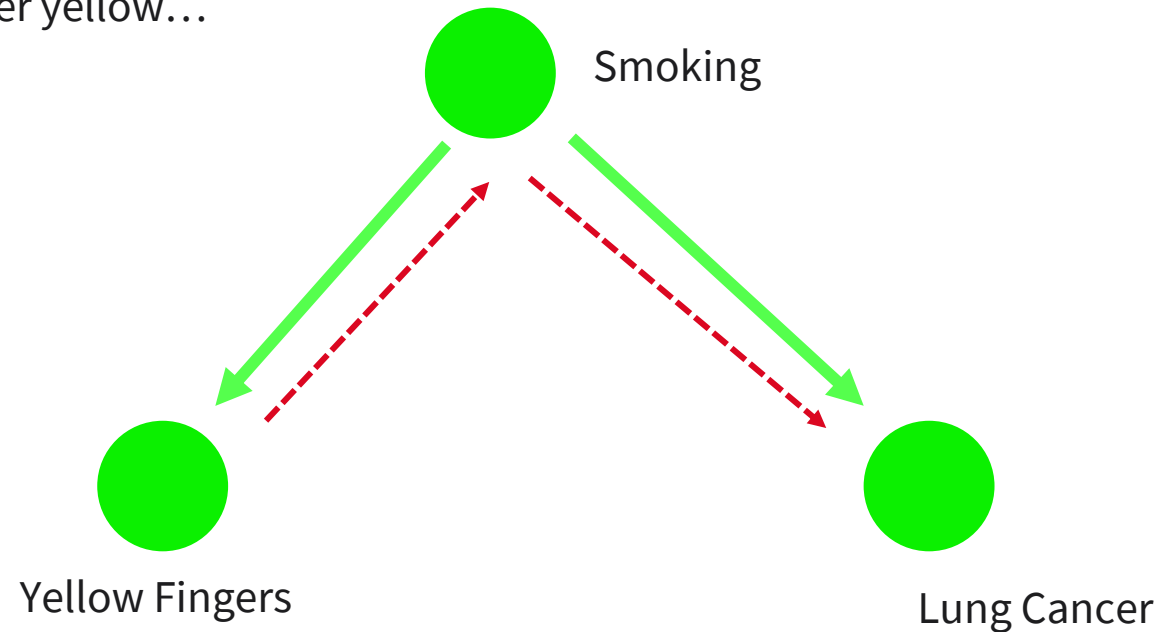
Common cause Z

- Influences both X and Y
- Opens a „backdoor path“ $X - Z - Y$
- X and Y become correlated (spurious correlation)
- **even if** no direct influence / connection between X and Y
- Approach: „control for“ confounder



Confounding - Example

- Smoking causes yellow stains and lung cancer.
- People who smoke often have yellow fingers and a higher risk of lung cancer
 - Lung cancer and yellow stains are correlated
- Yellow fingers do not cause lung cancer (or vice versa)
 - Safe to paint your finger yellow...



Confounding in Timeseries

Assumption:

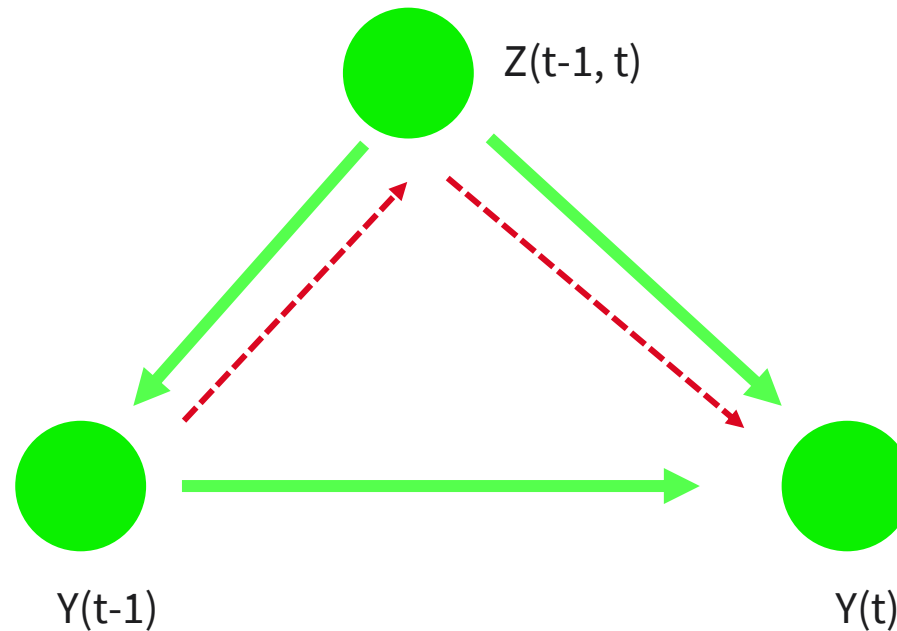
- (Partial) auto-correlation is genuine
- Learning temporal structure of timeseries, lags, ... allows to forecast future values



Confounding in Timeseries

Confounder affecting timeseries at two different timeperiods, e.g. at time $t-1$ and t

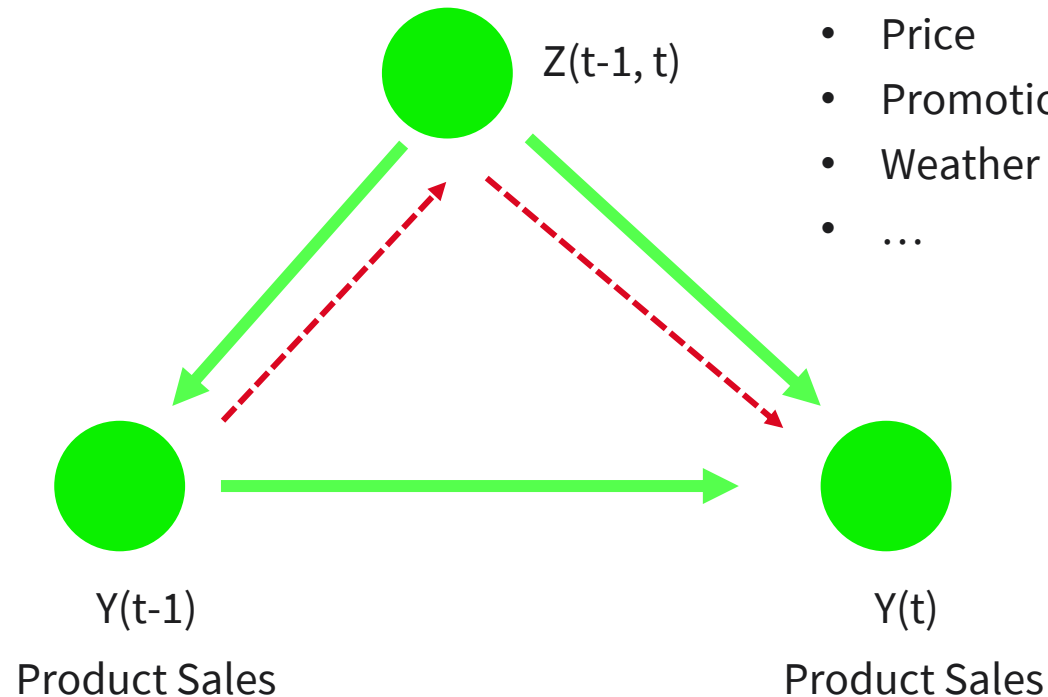
- Opens backdoor path
- Even if a genuine correlation exists: spurious correlation now present



Confounding in Timeseries - Example

Confounder affecting timeseries at two different timeperiods, e.g. at time $t-1$ and t

- Opens backdoor path
- Even if a genuine correlation exists: spurious correlation now present



Examples for temporal confounders:

- Price
- Promotion / Advertisement
- Weather
- ...

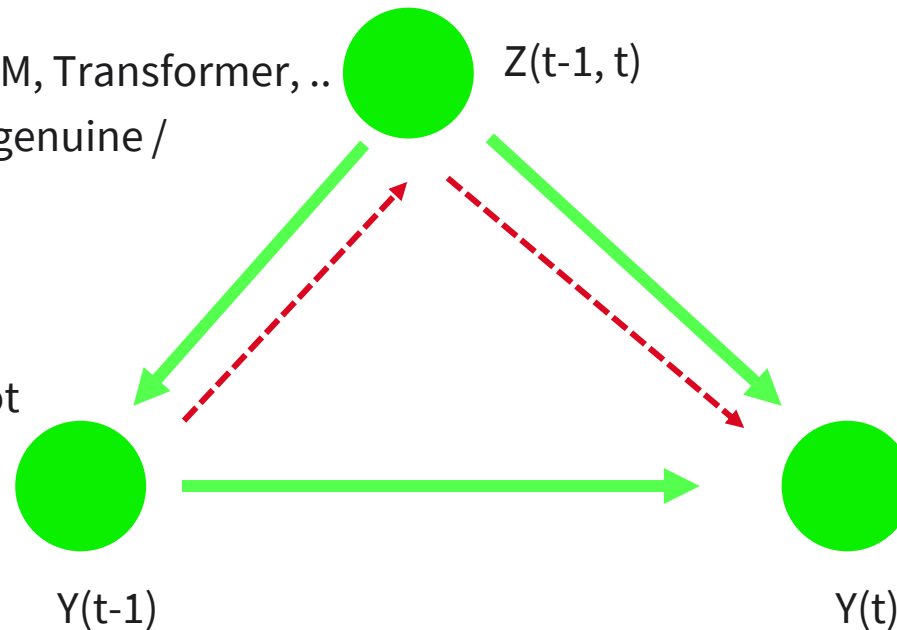
Confounding in Timeseries

Confounder affecting timeseries at two different timeperiods, e.g. at time $t-1$ and t

- Opens backdoor path
- Even if a genuine correlation exists: spurious correlation now present

Challenge:

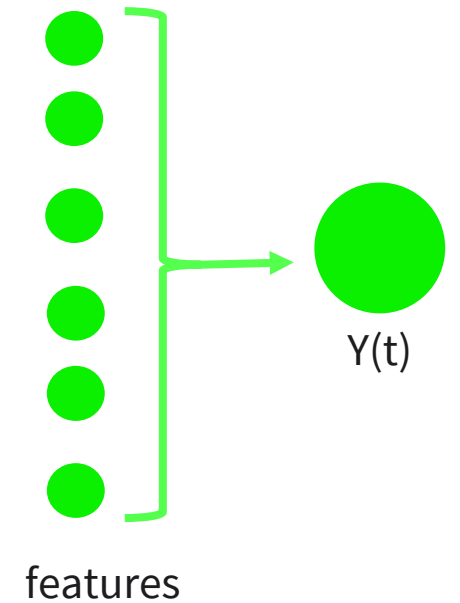
- Methods such as ARIMA, LSTM, Transformer, .. cannot distinguish between genuine / spurious correlation
- Decrease in generalizability: Spurious auto-correlation not an indicator of future behaviour based on past values



Avoiding Confounding in Timeseries

General idea:

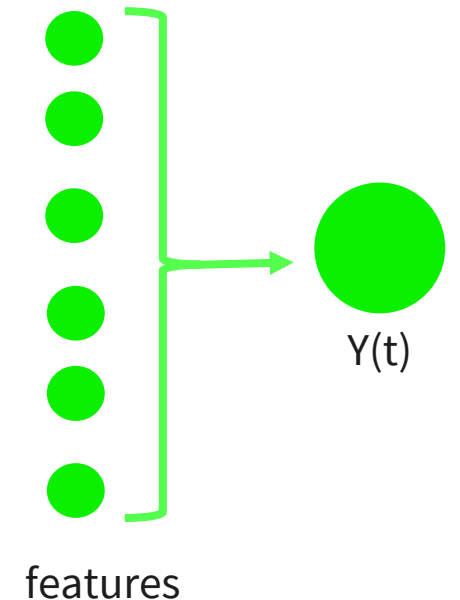
- Treat timeseries forecasting as supervised learning approach
 - Do not rely on auto-correlation
- Learn relationship between „meaningful“ variables
 - „control for“ confounders



Avoiding Confounding in Timeseries

Choose variables with causal influence:

- Include variables with „meaningful“ causal influence
 - Deep expert domain knowledge needed
- Avoid variables with temporal information
 - Damped / weighted moving average,
 - Reference periods
 - ...
- If required:
 - include residual correction based on e.g., ratio of weighted moving averages of prediction and past timeseries
 - Can capture any residual “real” auto-correlations
 - But: may open up backdoor path again – need to investigate thoroughly if all variables with causal meaning have been captured.

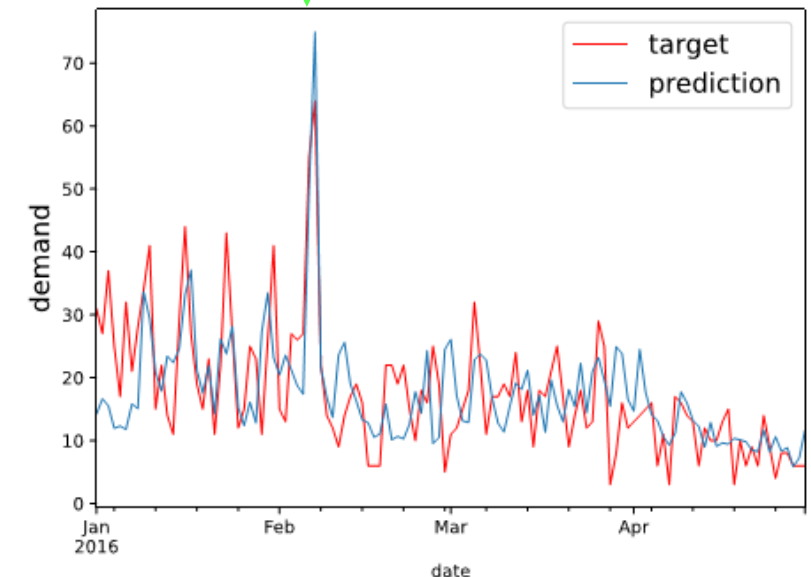
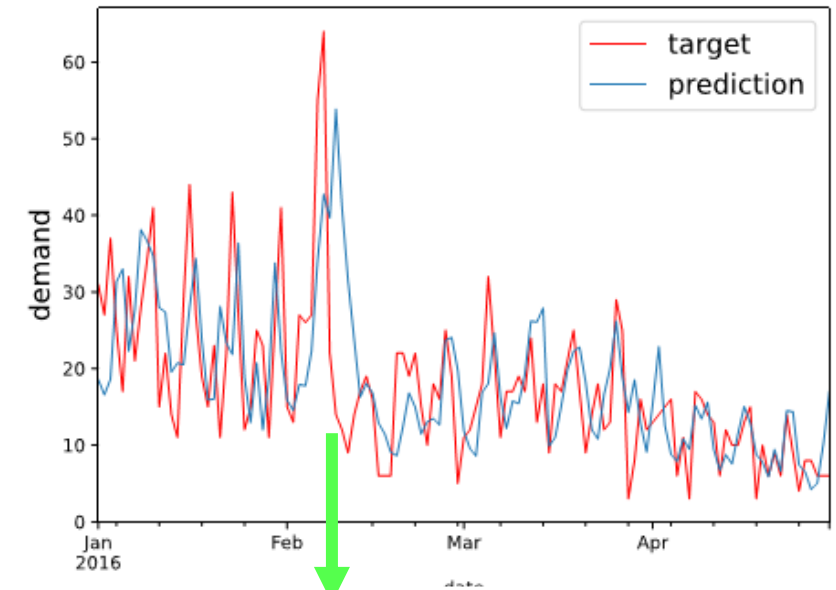


Example: Demand Forecasting

Features used:

Product ID, store ID, special events, sales price and derived variables

- Top: „traditional“ approach:
 - include time-series features, e.g. exponentially weighed moving average as features
- Bottom: only use features with causal meaning
 - Much better prediction of target behaviour
 - Particularly noticeable for „difficult“ events



Summary

- Timeseries (TS) forecasting remains crucial for many applications
- „Traditional“ approaches exploit auto-correlation of events:
 - sequence of events carries forecasting power --- „defining characteristic“
 - ARIMA, Holt-Winters, exponential smoothing, ...
 - Recurrent neural networks, LSTM, Transformer, ...
- Assumption: auto-correlation is genuine
 - Temporal confounders: external factor influencing TS at multiple times
 - Opens backdoor path --- spurious auto-correlation
 - TS forecasts lose generalizeability as non-causal influences are picked up.
- Approach:
 - Use supervised machine learning and avoid features exploiting temporal sequences.