



# Proceeding Paper Design of a Novel 8-DOF Hexapod Based Motion Platform <sup>+</sup>

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Abstract: In motion simulation, motion platforms enable the simulation of forces and angular velocities acting, for example, on a person in a car or in an airplane. Other applications include perceptual research and testing the dynamic behavior of mechanical structures. This work presents a novel motion platform consisting of a Stewart platform with two additional rotational axes on top. A Stewart platform can perform highly dynamic movements, resulting in high forces and torques acting on objects mounted on it. The actuators of the two rotary axes must be sized in such a way that they provide sufficient drive torque for each movement of the Hexapod to prevent slippage. In order to select suitable drives, an optimization problem is formulated that generates trajectories in which the torque for the two additional axes is maximized. This method can also be used to determine load cases, which are used to perform a stress analysis of the entire structure on the Stewart platform using finite element simulation.

Keywords: motion simulator; motion platform; motor sizing; optimization; machine design



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# 1. Introduction

Motion platforms are used in flight and driving simulations to imitate a real sense of motion. For example, they reproduce the accelerations and rotation rates that act on a person in a car or an aircraft. Thus, they play an essential role in pilot training and vehicle development. Further motion platforms are used in perception research and for spatial disorientation training. Another field of application is testing the dynamic behavior of mechanical structures or fluids.

Motion platforms come in many different types, all of which have advantages and disadvantages. The majority of motion platforms are based on Stewart platforms [1]. A Stewart platform consists of two frames, where the lower frame is firmly anchored to the ground and the upper frame can move freely in space. The two frames are connected by six linear actuators with ball joints and universal joints. There are three attachment points on both frames, to each of which two linear actuators are attached. Since the attachment points of the lower and upper frames are arranged in a triangle and shifted by 180 degrees to each other, this results in a very rigid system. Usually, a cabin is mounted to the upper frame, where a pilot can take place. However, the platform's workspace, both translational and rotational, is heavily constrained by the reach of the linear actuators. For example, extensive roll maneuvers are not possible because the robot cannot turn the platform overhead.

Motion platforms based on industrial robots are designed to overcome this problem [2]. The advantage of a six-axis robot over a Stewart platform is a larger workspace, whereby especially the rotational workspace is considerably larger. A Stewart platform, on the other hand, has higher stiffness and allows a higher payload at a comparable size. Some motion platforms extend the Stewart platform with additional linear axes [3,4] and an additional rotational axis [5] to increase the workspace. This work discusses a novel motion platform

based on a Stewart platform on which two additional rotational axes are mounted. The platform concept was initially presented in [6]. As a result, the platform has high stiffness and the rotational workspace is extended to be similar to that of an industrial six-axis robot. After the motion platform, a method is presented to determine the maximum torque expected in the two additional axes, in a worst-case scenario. This torque is required for the design and selection of the drives used in the rotational axis. Further, this method allows to determine the maximum moment or the maximum force at a certain point on a structure in a certain direction, which can be used as external moments and forces in a stress analysis.

#### 2. Novel Motion Platform

Figure 1 shows a scheme of the novel motion platform in front and side views. The basis is formed by a Stewart platform, which is extended by two additional axes. A turntable, which represents axis 7, is mounted directly on the Stewart platform and allows for endless rotation in the yaw axis. Axis 8 is mounted onto a screw structure and is arranged perpendicular to axis 7, allowing an endless roll rotation. There are slip rings in both axes for media supply. The axes are driven by a motor-gearbox combination that provides the required torques and holding forces. On top of axis 8, a cabin is mounted, in which a pilot can be seated. The same cabin is already used in the DLR Robot Motion Simulator [2].





#### 3. Methods

To choose suitable motors for the two additional axes the desired rotational speed and the maximum motor torque need to be known. While the rotational speed can be chosen as desired, the maximum torque must be calculated. Therefore a desired angular acceleration is required. In common methods for motor sizing the root mean square (RMS) Torque or RMS Power is used as a measure to avoid overheating of the motor. In the case of the motion platform, however, the maximum torque is many times greater than the RMS torque and the duty cycle is low. Thus, overheating is not a critical design criterion in this application.

The simplest way of calculating the maximum motor torque  $M_{\text{max}}$  is to multiply the desired angular acceleration  $\alpha$  with the mass moment of inertia *I* and add the load torque  $M_{\text{L}}$ :

$$M_{\rm max} = \alpha I + M_{\rm L}.\tag{1}$$

The mass moment of inertia I includes the inertia of the motor, the gear, and all parts which are connected to the axis. The load torque  $M_L$  results from gravity and friction forces. This method is commonly used in applications with a single actuator, like an elevator, or to estimate the motor torque in more complicated systems with low dynamics. For motors that are connected to an actuated base, like an industrial six-axis robot or a Stewart platform, this method of calculating the torque is not sufficient. Additional torques resulting from the movement of the platform need to be considered.

The motors of the two additional axes should be sized to provide sufficient torque, regardless of the Stewart platform's movements. A multibody simulation model of the machine needs to be used to represent the influence of all motors on each other. With the help of the model, an optimization problem can be formulated, which takes into account the position, velocity and acceleration limits of all motors:

$$\begin{array}{ll} \max_{\mathbf{q}} & M(\mathbf{q}(t)) \\ \text{subject to} & \mathbf{q}(0) = \mathbf{q}(t_{\text{end}}) = \mathbf{q}_{\text{neutral}}, \\ & \dot{\mathbf{q}}(0) = \dot{\mathbf{q}}(t_{\text{end}}) = \ddot{\mathbf{q}}(0) = \ddot{\mathbf{q}}(t_{\text{end}}) = \mathbf{0}, \\ & s_{\min} \leq q_i(t) \leq s_{\max}, \\ & |\dot{\mathbf{q}}(t)| \leq \dot{\mathbf{q}}_{\max} & |\ddot{\mathbf{q}}(t)| \leq \ddot{\mathbf{q}}_{\max}, \\ & \text{with} \quad i = 1, \dots, 6 \quad \text{and} \quad t \in [0, t_{\text{end}}]. \end{array}$$

$$(2)$$

By varying the motor positions or joint angles  $\mathbf{q}$ , a trajectory  $\mathbf{q}(t)$  is determined at which the objective function  $M(\mathbf{q}(t))$ , which describes a torque, becomes maximum. The torque  $M(\mathbf{q}(t))$  is calculated with the help of the multibody simulation model and represents, e.g., the torque in the seventh or eighth axis. When solving the optimization problem, all motors start and stop at a certain configuration  $\mathbf{q}_{\text{neutral}}$  and all motors are at rest at t = 0 and  $t = t_{\text{end}}$ . The maximum velocity  $\dot{\mathbf{q}}_{\text{max}}$  and the maximum acceleration  $\ddot{\mathbf{q}}_{\text{max}}$  of all motors are taken into account, as well as the position limits  $s_{\min}$  and  $s_{\max}$  of the Stewart platform motors.

The programming language Modelica was used to set up and solve the optimization problem as well as to model the multibody system. Modelica is an object-oriented programming language for modeling dynamic systems, allowing textual and visual programming [7]. The simulation model of the platform is based on the Modelica MultiBody Library, which is part of the Modelica Standard Library. To solve the optimization problem, the DLR Optimization Library was utilized [8]. In combination with the Modelica multibody model, it is possible to perform an optimization called Trajectory Optimization. For this purpose, the model needs inputs that control the joint's position and outputs that represent the criteria required for the optimization. The criteria are the objective function and the position, velocity and acceleration limits.

In Trajectory Optimization, a B-Spline of degree 3 is generated for the inputs of the model. Each B-Spline is parametrized by *N* control points, which are arranged equidistantly over the duration of the simulation. The control points are then varied by an optimization algorithm so that the objective function is maximized. For more detailed information on Trajectory Optimization, the reader is referred to [8].

### 4. Results and Discussion

To show the difference between equation (1) and the optimization problem (2) the result of both methods for calculating the maximum torque in the 7th and 8th axis is presented in Figure 2. It depicts the calculated torque *M* over time *t*. The blue line shows torque  $M_{7,\text{stat}}$  and  $M_{8,\text{stat}}$  which result from equation (1) and the orange line represents torque  $M_{7,\text{opt}}(\mathbf{q}(t))$  and  $M_{8,\text{opt}}(\mathbf{q}(t))$ , which result from solving the optimization problem (2). For both methods, an angular acceleration of  $100^{\circ} \text{ s}^{-2}$  have been used for axis 7 and a angular acceleration of  $130^{\circ} \text{ s}^{-2}$  for axis 8. Angular velocity limits for axis 7 and axis 8 were set to  $230^{\circ} \text{ s}^{-1}$  and  $130^{\circ} \text{ s}^{-1}$ , respectively. The position, velocity and acceleration limits for the

actuators of the Stewart platform were set to the values specified in its documentation. The sequential quadratic programming (SQP) algorithm, provided by the DLR Optimization Library, was used to solve the optimization problem (2). The number of control points for each input was set to N = 30 and the simulation time was set to  $t_{end} = 5$  s for axis 7 and to  $t_{end} = 3$  s for axis 8. A simulation time of 5 s and 3 s, respectively, was found to be sufficiently long because the velocity and acceleration limits of the actuators are fully utilized. The full utilization of the limits is also the reason why it is assumed that the resulting trajectory represents a global optimum.



**Figure 2.** Torque in axis 7 (**left**) and axis 8 (**right**) which result from solving equation (1) (——) and the optimization problem (2) (——). The solution of the optimization problem (2) represents the maximum torque, which occurs at the worst case movement of the motion platform.

As can be seen in Figure 2, the torques  $M_{7,opt}(\mathbf{q}(t))$  and  $M_{8,opt}(\mathbf{q}(t))$  are significantly higher than  $M_{7,stat}$  and  $M_{8,stat}$ , thus it can be concluded that it is important to take into account the movements of the structure or machine on which a motor is mounted when sizing the motor.

It is also possible to specify a moment in a certain axis or a force along a certain axis at a specified point in the multibody simulation model as the objective function to be maximized in the optimization problem 2. This approach provides load cases that can be used as external moments and forces in a stress analysis. In addition, the translational acceleration and angular acceleration can be determined by the multibody model, which are required for a stress analysis in a finite element software. The problem with this approach is that only one moment or one force can be maximized at a time. Suppose multiple moments and forces are defined as the objective function to be maximized. In that case, the different moments and forces are not maximized simultaneously, but each is maximized individually at any time between t = 0 and  $t = t_{end}$ . This method has been used for the motion platform to determine four load cases, which were used to size the structure mounted on top of the Stewart platform.

The motion platform is currently being built. Once completed, measurement campaigns to validate the simulation results are planned. Additionally, a planning algorithm to optimally perform cartesian movements exploiting the redundant platform design is in development.

## References

- 1. Stewart, D. A Platform with Six Degrees of Freedom. Aircr. Eng 1966, 4, 30–35. https://doi.org/10.1108/eb034141.
- Bellmann, T.; Heindl, J.; Hellerer, M.; Kuchar, R.; Sharma, K.; Hirzinger, G. The DLR Robot Motion Simulator Part I: Design and setup. In Proceedings of the 2011 IEEE International Conference on Robotics and Automation, Shanghai, China, 9–13 May 2011.
- Jameson, A.H.; Horrobin, A.; Auckland, R.A. Whatever Happened to the LADS? Design and development of the new University of Leeds. In Proceedings of the Driving Simulation Conference North America 2007, Iowa City, IA, United States, 12–14 September 2007.
- Pitz, J.; Nguyen, M.; Baumann, G.; Reuss, H. Combined Motion of a Hexapod with a XY-Table System for Lateral Movements. In Proceedings of the Driving Simulation Conference 2014, Paris, France, 4–5 September 2014.

- 5. Wilkinson, M.E.; Brown, T.L.; Ahmad, O. The National Advanced Driving Simulator (NADS) Description and Capabilities in Vision-Related Research. *Am. J. Optom.* **2012**, *6*, 79–84.
- 6. Bernhofer, T. Design and Path Planning of an 8-Axis Parallel-Serial Motion Platform. Master's Thesis, Technical University of Munich, Munich, 31 August 2021.
- Elmqvist, H.; Mattsson, S.E.; Otter, M. Modelica-the new object-oriented modeling language. In Proceedings of the 12th European Simulation Multiconference, Manchester, UK, 16–19 June 1998.
- Pfeiffer, A. Optimization Library for Interactive Multi-Criteria Optimization Tasks. In Proceedings of the 9th International Modelica Conference, Munich, Germany, 3–5 September 2012.