

Molecular Simulation Studies of the Isotropic-to-Nematic Transition of Rod-like Polymers in the Bulk and Under Confinement

Biao Yan (biao.yan@alumnos.upm.es), Daniel Martínez-Fernández, Katerina Foteinopoulou, Nikos Ch. Karayiannis (n.karayiannis@upm.es)



Universidad Politécnica de Madrid



ETSI de Ingenieros Industriales



Institute for Optoelectronic Systems and Microtechnology

OBJECTIVES

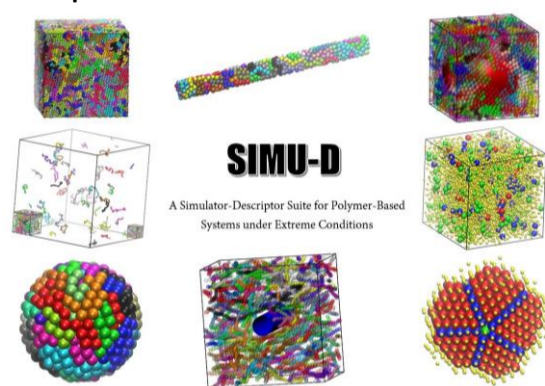
1. Investigate the factors that affect the **isotropic-to-nematic transition** of **hard, colloidal, rod-like polymers**.

- ✓ Chain length, N
- ✓ Packing density, φ
- ✓ Plate Confinement in one, two or three dimensions
- ✓ Intensity of bending potential, k_θ

METHOD

Monte Carlo method: *Simu-D* simulator-descriptor [1].

- Simulator part based on Monte Carlo algorithms [2]



MODEL

Polymers are modelled as **linear chains of identical tangent hard spheres** with a **collision diameter σ** .

Systems are composed of N_{at} monomers distributed in N_{ch} chains of average chain length N_{av} .

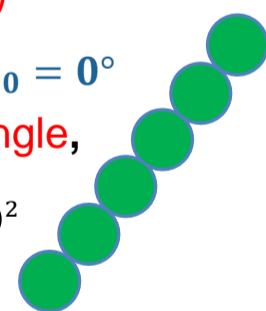
Interactions between monomers are described by the **Hard Sphere (HS) potential**.

Hard Sphere (HS) Potential

$$U_{HS}(r_{ij}) = \begin{cases} 0, & r_{ij} \geq \sigma \\ \infty, & r_{ij} < \sigma \end{cases}$$

Semiflexible polymers
($k_\theta \gg 0$)

$$\theta_0 = 0^\circ$$



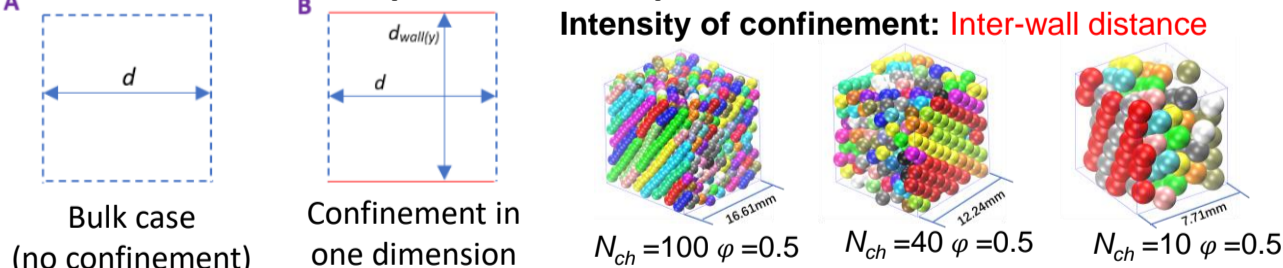
Tuneable harmonic potential controlling the **bending angle, θ** , where:

- k_θ is the **bending constant**.
- θ_0 is the **equilibrium bending angle**.

$$U_{bend}(\theta) = k_\theta (\theta - \theta_0)^2$$

Packing density: $\varphi = \frac{V_{mon}}{V_{cell}} = \frac{\pi N_{at}}{6 V_{cell}} \sigma^3$

Confinement: **Flat, parallel and impenetrable walls** in at least one dimension.



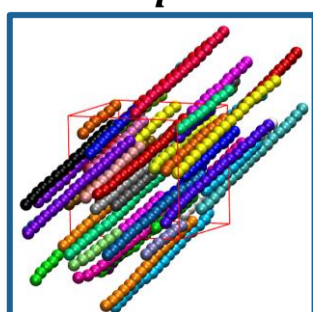
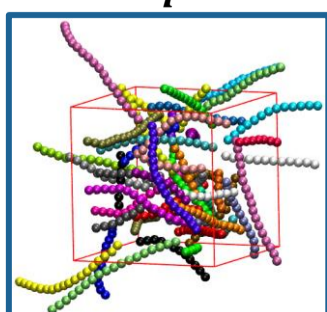
LONG-RANGE ORDER

The **chain orientational order** is defined by the averages of a second-order invariant of all the molecular orientations, the **second-order tensor Q** [3,4].

A **scalar order parameter, q** , is obtained by comparing the Q tensor of the system with the Q^{PRO} tensor of a perfect prolate nematic system.

Isotropic (ISO)
 $q = 0$

Prolate Nematic (PRO)
 $q = 1$

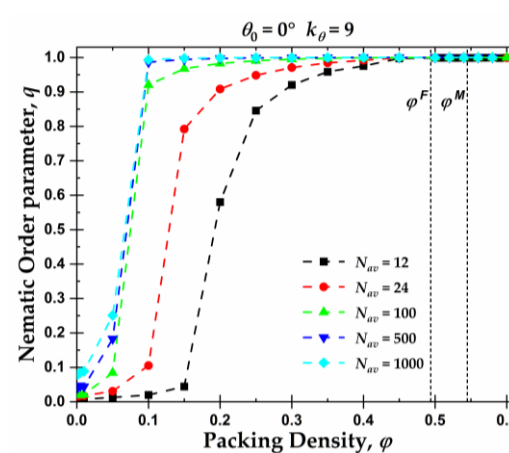


$$Q = \frac{1}{N_{ch}} \sum_{i=1}^{N_{ch}} \mathbf{u}_i \mathbf{u}_i - \frac{1}{3} \delta$$

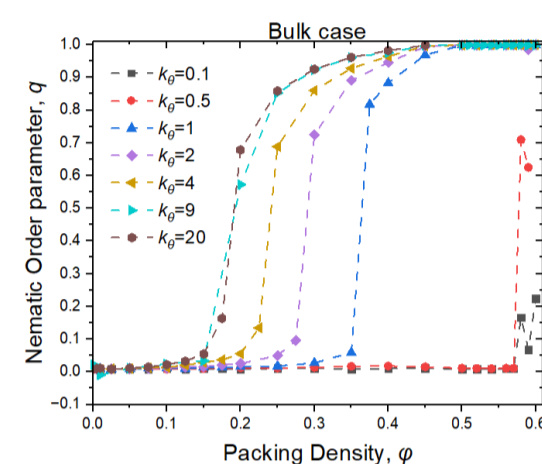
\mathbf{u}_i : Unit vector of chain i

RESULTS & DISCUSSION

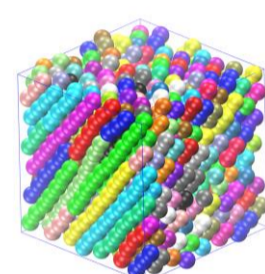
• In **bulk case**, the effect of different N_{av}



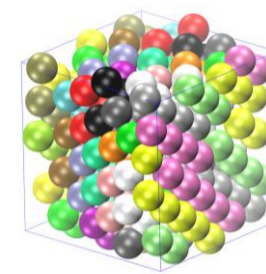
• In **bulk case**, the effect of different k_θ



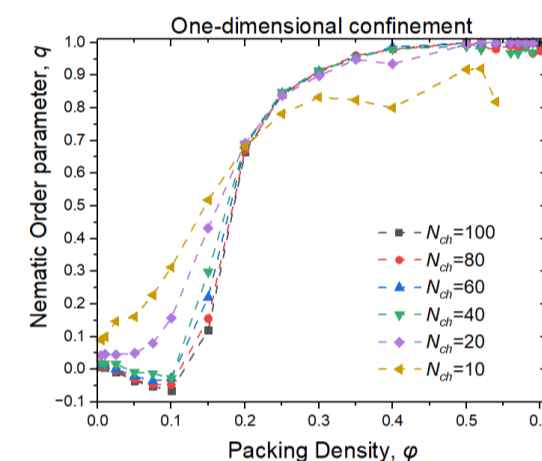
• **One-dimensional confinement**



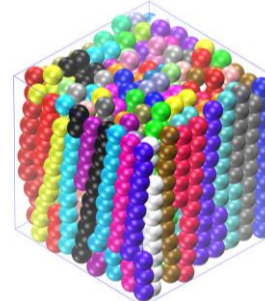
$N_{ch}=100 \varphi=0.5$



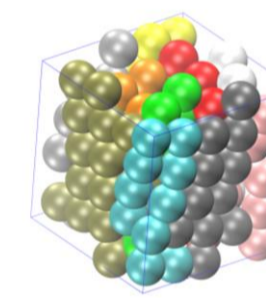
$N_{ch}=20 \varphi=0.5$



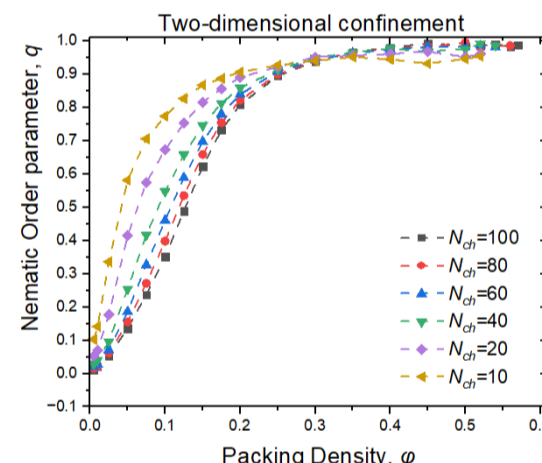
• **Two-dimensional confinement**



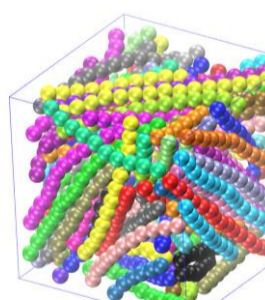
$N_{ch}=80 \varphi=0.5$



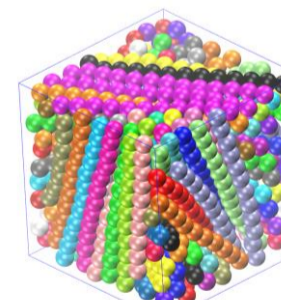
$N_{ch}=10 \varphi=0.5$



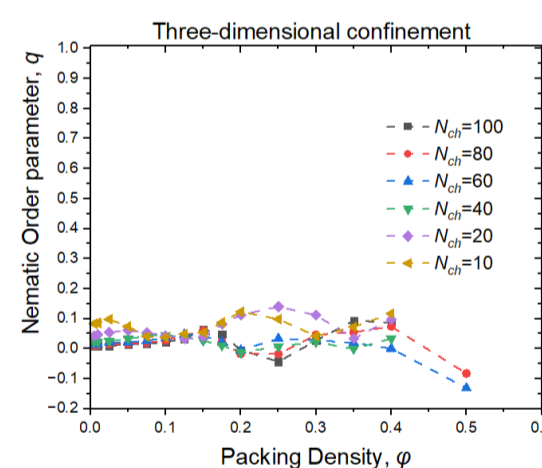
• **Three-dimensional confinement**



$N_{ch}=100 \varphi=0.25$



$N_{ch}=100 \varphi=0.4$



CONCLUSION

- The longer the chain the lower the critical packing density required for the nematic-to-isotropic transition.
- Bending stiffness affects profoundly the isotropic-to-nematic transition. The transition occurs at very high packing densities for low values of k_θ .
- Intensity of confinement accelerates the transition but also reduces the level of long-range order.
- Full confinement inhibits the long-range ordering transition.

REFERENCES

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- [2] P. Ramos, N. C. Karayiannis and M. Laso, *J. Comput. Phys.* **375**, 918 (2018).
- [3] D. Andrienko, *J. Mol. Liq.* **267**, 520(2018).
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