



**1st International Electronic  
Conference on Entropy and  
Its Applications**

3 - 21 November 2014

# **Variations of Neighbor Diversity for Fraudster Detection in Online Auction**

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# Introduction (1)

- Online shopping/auction websites have attracted both legitimate users and fraudsters.
- To evaluate the trustworthiness of a user, online shopping/auction websites often provide a reputation system
  - The reputation system requests the buyer and the seller of a transaction to give each other a rating
  - Users with higher reputation scores are more trustworthy, and consequently are more likely to attract sales
- To gain the higher reputation in a short period of time, fraudsters often commits the so-called “inflated reputation fraud”

# Introduction (2)

- The inflated reputation fraud is accomplished by a group of collusive users who conduct many fake transactions for low-price merchandises and give each other good ratings
- In our recent work, we adopted Shannon entropy to quantify the neighbor diversity
- However, different ways to define and calculate diversity exist in the literature
- In this study, we adopt the four different definitions of diversity to calculate the neighbor diversity

# Related Work (1)

- The earlier approaches used the properties derived from the transaction history, e.g. sum, average, and standard deviation of buying or selling price of merchandises in a period of time
- Most of the recent approaches used SNA to detect group of fraudsters
  - The characteristics such as  $k$ -plex, clique, betweenness, and  $k$ -core are often used to detect cohesive groups
  - $k$ -core has been found to be the most effective for detecting fraudsters
  - Fraudsters frequently usually appear in  $k$ -core with  $k \geq 2$

# Related Work (2)

- Problem with  $k$ -core
  - Using  $k$ -core alone results in low precision
  - Applying both center weight (CW) and  $k$ -core improves the precision, but the recall is reduced
- Neighbor diversity
  - It was proposed to improve both precision and recall
  - The neighbor diversity on the number of received ratings provides an effective way to discern fraudsters from normal users

# Variants of Neighbor Diversity (1)

- $x$  denote a user
- $x$ 's neighbors are the users who gave at least one rating to  $x$
- The neighbors of  $x$  are partitioned into several classes based on the number of received ratings
  - $r$  denote the number of received ratings of a user. If  $0 \leq r < 50$ , then the user is placed into class 1
  - If  $50 \times 2^{i-2} \leq r < 50 \times 2^{i-1}$ , then the user is placed into class  $i$ , where  $i > 1$
- $p_i(x)$  denote the proportion of the  $x$ 's neighbors in the  $i$ -th class, and  $n$  denote the total number of classes. Then, all diversity constraints must hold:

$$0 \leq p_i(x) \leq 1, \text{ for } i = 1 \text{ to } n$$

$$\sum_{i=1}^n p_i(x) = 1$$

# Variants of Neighbor Diversity (2)

- **Shannon Entropy Diversity**

- The neighbor diversity of  $x$  based on Shannon entropy is denoted as  $D_s(x)$  and calculated as:

$$D_s(x) = - \sum_{i=1}^n p_i(x) \log_2 p_i(x)$$

- **Max Weight Diversity and Min Weight Diversity**

- The max weight diversity, denoted as  $D_{max}(x)$ , is the maximum of all  $p_i(x)$  for  $i=1$  to  $n$ , and defined as:

$$D_{max}(x) = \max_{i=1 \text{ to } n} p_i(x)$$

- The min weight diversity, denoted as  $D_{min}(x)$ , is calculated using the minimum of all  $p_i(x)$  for  $i=1$  to  $n$ , and defined as:

$$D_{min}(x) = 1 + (1 - n) \min_{i=1 \text{ to } n} p_i(x)$$

# Variants of Neighbor Diversity (3)

- **Canonical  $L^p$ -norm Diversity**

- The Canonical  $L^p$ -norm diversity, denoted as  $D_{pow}(x)$ , is similar to the  $L^p$ -norm except the outer exponent is  $\frac{1}{pow-1}$  instead of  $\frac{1}{pow}$ , as shown below:

$$D_{pow}(x) = \left( \sum_{i=1}^n |p_i(x)|^{pow} \right)^{\frac{1}{pow-1}}$$

- **Canonical Shannon Entropy Diversity**

- The max weight diversity, denoted as  $D_{cs}(x)$  and defined as:

$$D_{cs}(x) = e^{-D_s(x)} = e^{\sum_{i=1}^n p_i(x) \log_2 p_i(x)}$$



# Experimental Settings (1)

- Data was collected from Ruten ([www.ruten.com.tw](http://www.ruten.com.tw)), which is one of the largest online auction websites in Taiwan
- The dataset grows from a list of suspended users, and then conducts a level-wise expansion to include more users
- The dataset consists of 4,407 users
  - 1,080 are fraudsters
  - 3,327 are non-fraudsters (i.e. normal accounts)

# Experimental Settings (2)

- Each neighbor diversity was calculate (i.e.  $D_s(x)$ ,  $D_{max}(x)$ ,  $D_{min}(x)$ ,  $D_2(x)$ ,  $D_3(x)$  and  $D_{cs}(x)$ ) and used to build the classifier
- Three classification algorithms from Weka were used to perform 10-fold cross-validation
  - J48 decision tree
  - Neural Networks (NN)
  - Support Vector Machine (SVM)

# Experimental Results (1)

- Part one
  - Used only one of the neighbor diversities to build classifiers
  - The results are shown in Tables 1, 2 and 3
  - The best results of each classification algorithm are shown in bold
  - $D_{min}$  performs the worst
  - $D_{max}$  performs the best

# Experimental Results (2)

- Table 1 J48 Performance (Part one)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$D_s$	84.1843	0.8019	0.6420	0.7131
$D_{max}$	84.1616	0.8009	0.6417	0.7125
$D_{min}$	82.0059	0.6639	0.6251	0.6439
$D_2$	84.1162	0.7944	0.6422	0.7103
$D_3$	84.1162	<b>0.8028</b>	0.6403	0.7124
$D_{cs}$	<b>84.2523</b>	<b>0.8028</b>	<b>0.6432</b>	<b>0.7142</b>

# Experimental Results (3)

- Table 2 Neural Network performance (Part one)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$D_s$	83.1405	0.7620	0.6287	0.6890
$D_{max}$	<b>83.8212</b>	<b>0.8120</b>	0.6323	<b>0.7110</b>
$D_{min}$	82.0286	0.6648	0.6254	0.6445
$D_2$	83.7077	0.7870	<b>0.6353</b>	0.7031
$D_3$	83.7985	0.7991	0.6346	0.7074
$D_{cs}$	83.5943	0.7713	0.6364	0.6974

# Experimental Results (4)

- Table 3 Support Vector Machine performance (Part one)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$D_s$	83.1405	0.7306	0.6358	0.6799
$D_{max}$	<b>83.5716</b>	<b>0.7556</b>	<b>0.6395</b>	<b>0.6927</b>
$D_{min}$	82.0059	0.6639	0.6251	0.6439
$D_2$	83.0270	0.7222	0.6352	0.6759
$D_3$	83.2539	0.7361	0.6370	0.6830
$D_{cs}$	82.6639	0.6944	0.6334	0.6625

# Experimental Results (5)

- Part one
  - Used  $k$ -core and CW and one of the neighbor diversities to build classifiers
  - The results are shown in Tables 4, 5 and 6
  - Compared to Part one, the addition of  $k$ -core and CW slightly improves
  - The improvement on accuracy is most significant with J48
  - The improvement on accuracy is less significant with NN and SVM

# Experimental Results (6)

- Table 4 J48 Performance (Part two)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$k$ -core+CW+ $D_s$	85.8180	0.8731	0.6590	0.7511
$k$ -core+CW+ $D_{max}$	85.8861	0.8731	0.6604	0.7520
$k$ -core+CW+ $D_{min}$	84.1162	0.8278	0.6349	0.7186
$k$ -core+CW+ $D_2$	86.1130	0.8685	0.6662	0.7540
$k$ -core+CW+ $D_3$	<b>86.2038</b>	0.8704	<b>0.6676</b>	<b>0.7556</b>
$k$ -core+CW+ $D_{cs}$	85.8180	<b>0.8741</b>	0.6588	0.7513



# Experimental Results (7)

- Table 5 Neural Network performance (Part two)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$k$ -core+CW+ $D_s$	83.7758	0.7787	0.6386	0.7017
$k$ -core+CW+ $D_{max}$	<b>84.1616</b>	<b>0.8083</b>	<b>0.6400</b>	<b>0.7144</b>
$k$ -core+CW+ $D_{min}$	82.3916	0.6620	0.6350	0.6482
$k$ -core+CW+ $D_2$	83.9120	0.7981	0.6371	0.7086
$k$ -core+CW+ $D_3$	83.9573	0.8028	0.6370	0.7104
$k$ -core+CW+ $D_{cs}$	83.8212	0.7843	0.6383	0.7038

# Experimental Results (8)

- Table 5 Neural Network performance (Part two)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$k$ -core+CW+ $D_s$	83.7758	0.7787	0.6386	0.7017
$k$ -core+CW+ $D_{max}$	<b>84.1616</b>	<b>0.8083</b>	<b>0.6400</b>	<b>0.7144</b>
$k$ -core+CW+ $D_{min}$	82.3916	0.6620	0.6350	0.6482
$k$ -core+CW+ $D_2$	83.9120	0.7981	0.6371	0.7086
$k$ -core+CW+ $D_3$	83.9573	0.8028	0.6370	0.7104
$k$ -core+CW+ $D_{cs}$	83.8212	0.7843	0.6383	0.7038

# Experimental Results (7)

- Table 6 Support Vector Machine performance (Part two)

Diversity	Accuracy(%)	Recall	Precision	F <sub>1</sub> -measure
$k$ -core+CW+ $D_s$	<b>84.4112</b>	<b>0.7685</b>	<b>0.6551</b>	<b>0.7073</b>
$k$ -core+CW+ $D_{max}$	83.0043	0.6835	0.6428	0.6625
$k$ -core+CW+ $D_{min}$	83.4581	0.7630	0.6353	0.6933
$k$ -core+CW+ $D_2$	83.2539	0.7370	0.6368	0.6833
$k$ -core+CW+ $D_3$	83.2993	0.7398	0.6372	0.6847
$k$ -core+CW+ $D_{cs}$	83.0951	0.7426	0.6320	0.6828

# Conclusions

- This paper proposes to use various methods to calculate diversity, and study whether these methods cause significant difference on the classification performance of fraudster detection
- The experimental results show that the diversity  $D_{min}$  performs the worst.
- The remaining five diversities (i.e.,  $D_s$ ,  $D_{max}$ ,  $D_2$ ,  $D_3$  and  $D_{cs}$ ) achieve similar performance
- The addition of  $k$ -core and CW only slightly improves the classification performance of the neighbor diversity

# Future Study

- Finding new features to work better with the neighbor diversity for fraudster detection is planned for future work