

# Wafer Level Packaged CMOS-SOI-MEMS Thermal Sensor at Wide Pressure Range for IoT Applications

**Moshe Avraham<sup>1</sup>, Gady Golan<sup>1</sup>, Michele Vaiana<sup>2</sup>, Giuseppe Bruno<sup>2</sup>, Maria Eloisa Castagna<sup>2</sup>, Sara Stolyarova<sup>3</sup>, Tanya Blank<sup>3</sup>, Yael Nemirovsky<sup>3,4</sup>**

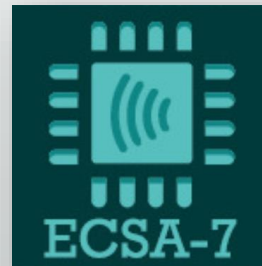
1. Ariel University, Ariel, 40700, Israel

2. STMicroelectronics, Stradale Primosole, 50 – 95121 Catania, Italy

3. Electrical Engineering Dept., Technion- Israel Institute of Technology, Haifa 32000, Israel

4. TODOS TECHNOLOGIES Ltd., Israel.

**Presented at the 7th Electronic Conference on Sensors and Applications, 15 – 30 November 2020;  
Available online: <https://ecsa-7.sciforum.net/>.**



# RESEARCH MOTIVATION

---

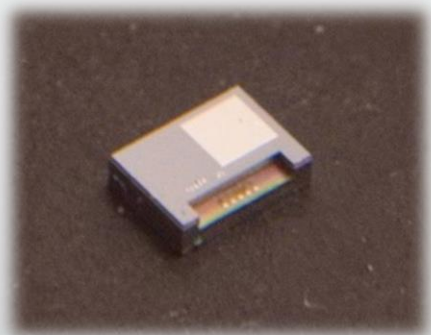
- IR sensors have huge markets: IoT, Smart homes, Automotive, etc
- Thermal sensors detect temperature changes induced by remote sensing of IR radiation and provide **uncooled** IR sensors
- MEMS enable high performance **miniature** thermal sensors



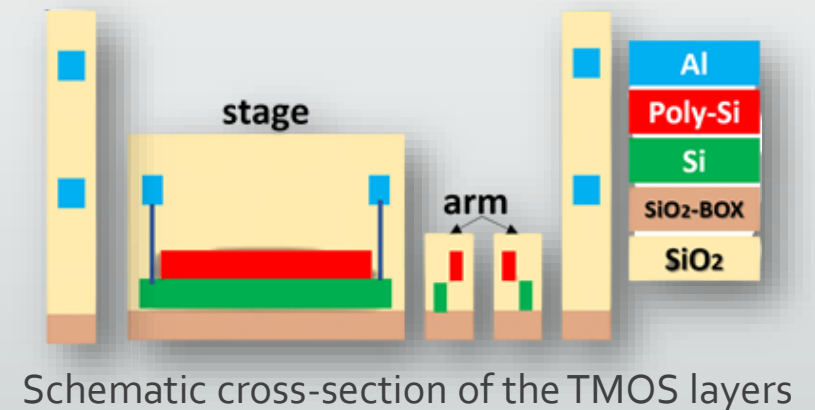
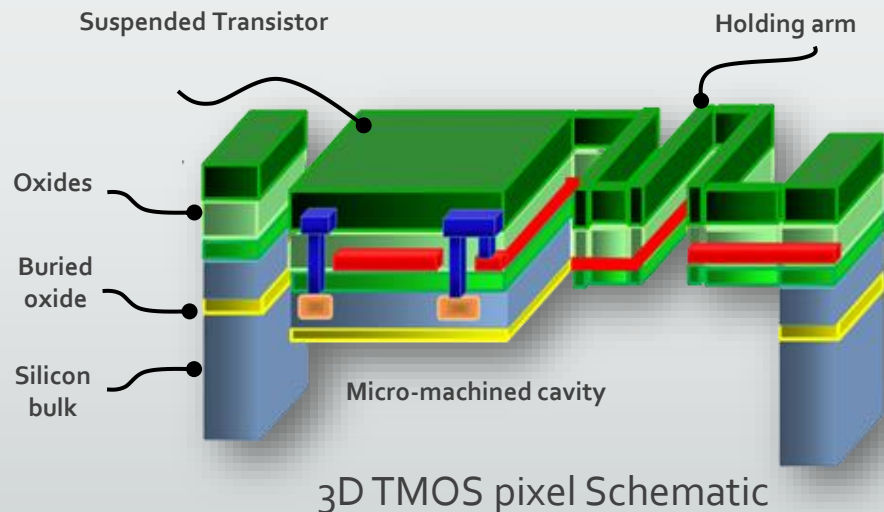
From: <https://www.todos-technologies.com/>

# RESEARCH INNOVATION: TMOS

- The TMOS (Thermal-MOS) is a thermal sensor developed at the Technion
- Achieved by CMOS-SOI-MEMS process
- CMOS transistor is the standard building block of CMOS CHIPS manufactured in FABs
- By applying backend machining – TMOS becomes the highest performance thermal sensor (compared to bolometers, PYRO's and thermopiles)
- Operation at **subthreshold** requires very low power



Fabricated TMOS sensor



# TMOS OPERATION PRINCIPLE

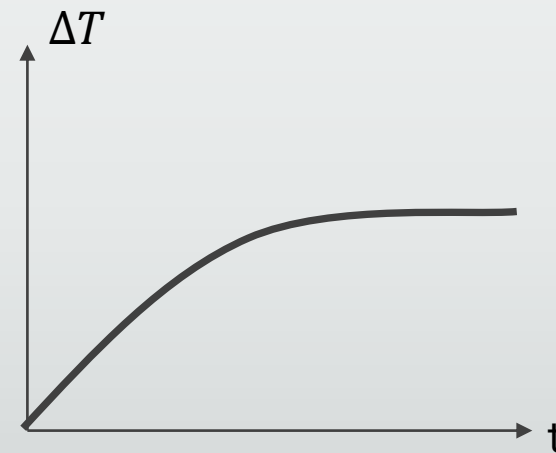
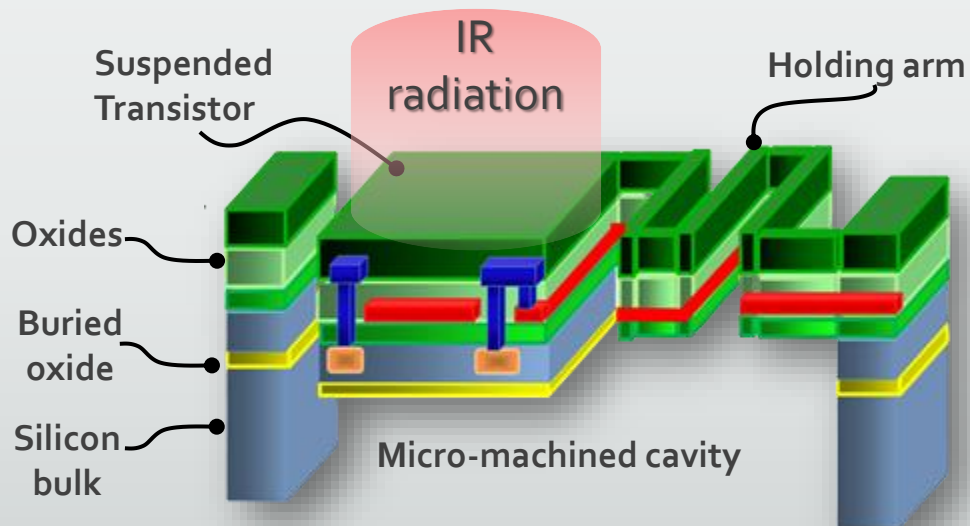
The micro-machined thermally insulated transistor has very low thermal mass and very low thermal conductivity



Absorbed photons increase the TMOS temperature and modify the current-voltage characteristics

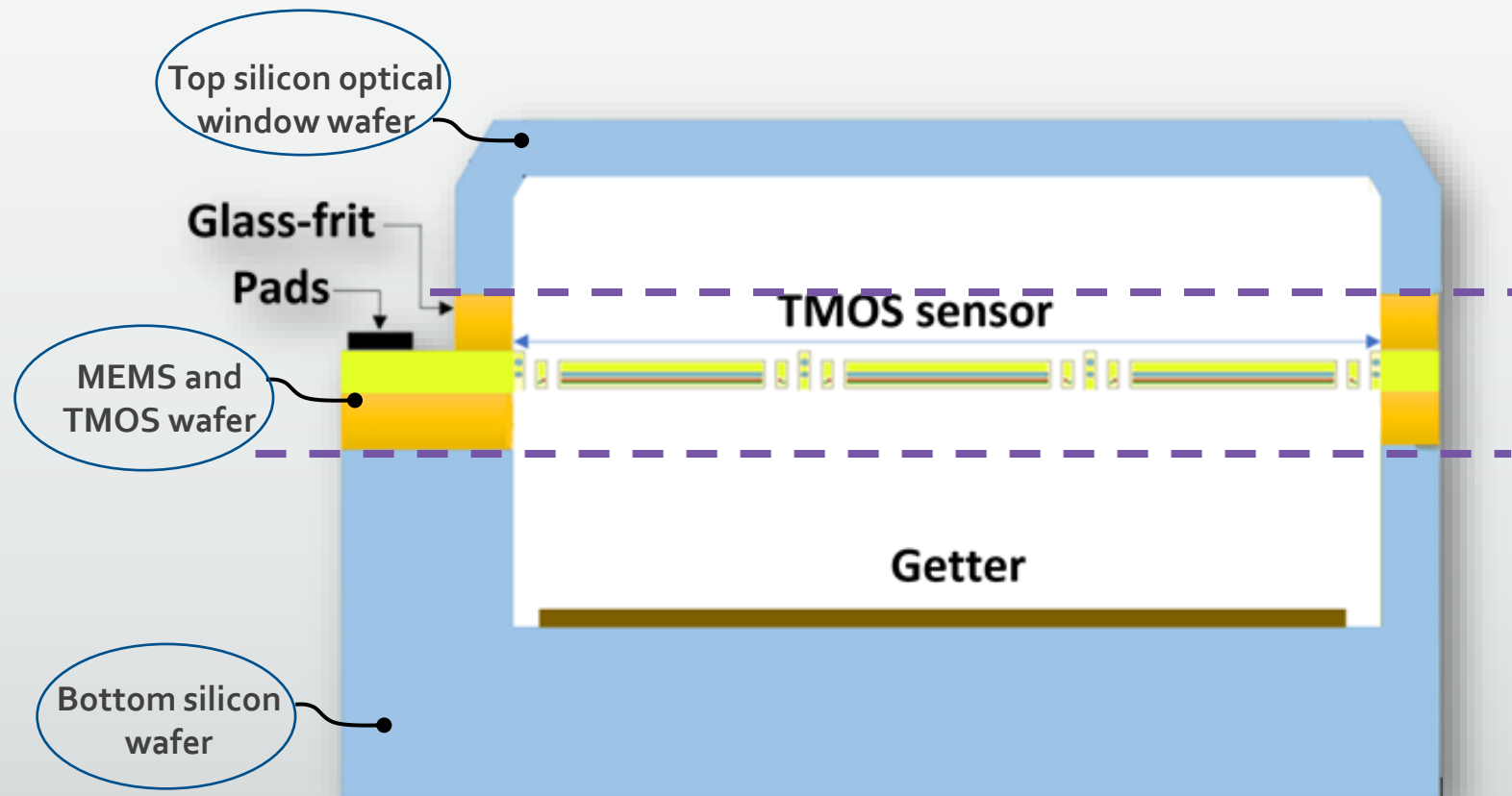


Transistor voltage detects temperature changes at subthreshold



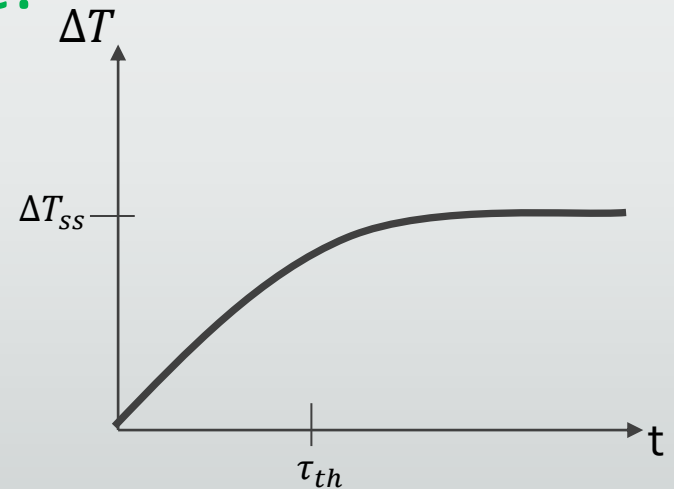
# WAFER LEVEL PROCESSING AND VACUUM PACKAGING

- Currently on 8-inch wafers and  $0.13\mu\text{m}$  CMOS-SOI PROCESS
- 3 silicon wafers are bonded
- vacuum of  $10^{-5}$  atm
- stable over 5 years



# THE RESEARCH QUESTION

- Residual pressure determines the thermal conductance -  $G_{th}$
- thermal time constant  $\tau_{th} = \frac{C_{th}}{G_{th}}$
- What is the effect of the residual vacuum upon performance?
- **What pressure is critical for the proper performance of the device?**



# THERMAL MODELING OF THE PACKAGED TMOS SENSOR

- The power balance equation:

$$\eta P_{opt} = C_{th} \left( \frac{d(\Delta T(t))}{dt} \right) + G_{th} \Delta T(t)$$

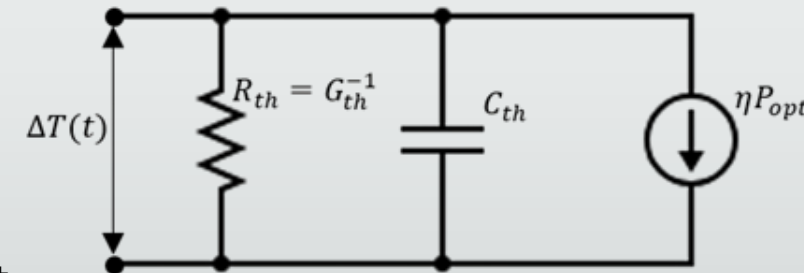
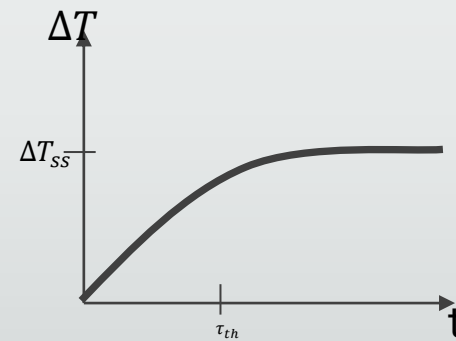
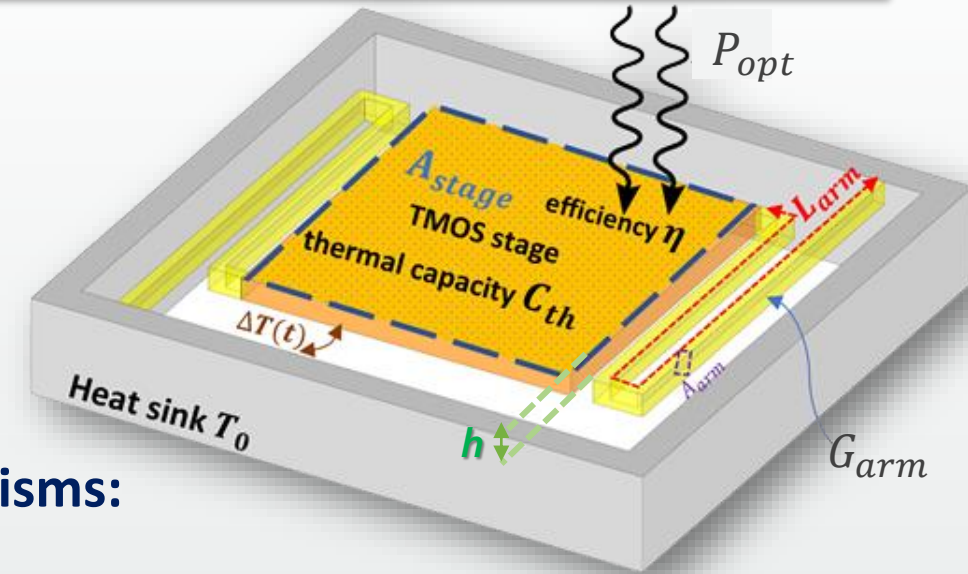
- In steady-state:  $\Delta T_{ss} = \frac{\eta P_{opt}}{G_{th}}$

- The thermal conductance is determined by three mechanisms:

$$G_{th} = G_{solids} + G_{gas} + G_{radiation}$$

- The thermal capacitance:  $C_{th} = \rho c' A_{stage} h$

- The thermal time constant:  $\tau_{th} = \frac{C_{th}}{G_{th}}$



parameters and constants:  $\rho \left[ \frac{\text{kg}}{\text{m}^3} \right]$  – mass density,  $c' \left[ \frac{\text{J}}{\text{kg} \cdot \text{K}} \right]$  – specific heat capacitance,  $\eta$  – optical efficiency,  $h$  – stage height [m]

# THERMAL MODELING – SOLID CONDUCTION AND RADIATION

- Body emits radiation according to its temperature:

$$P_{rad} = \varepsilon\sigma A_{total}T_s^4 \approx \varepsilon\sigma(2 \cdot A_{stage})T_s^4$$

- Hence, the thermal conductance due to thermal radiation:

$$G_{rad} = dP_{rad}/dT = 8\varepsilon\sigma A_{stage}T_s^3$$

- The thermal conduction through a material is derived from Fourier law and equals to:

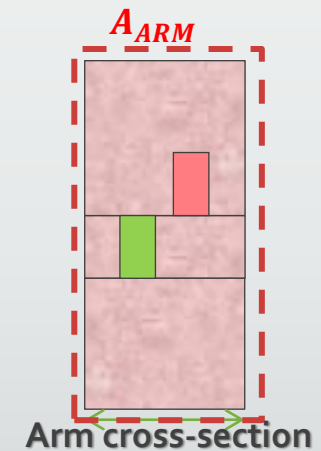
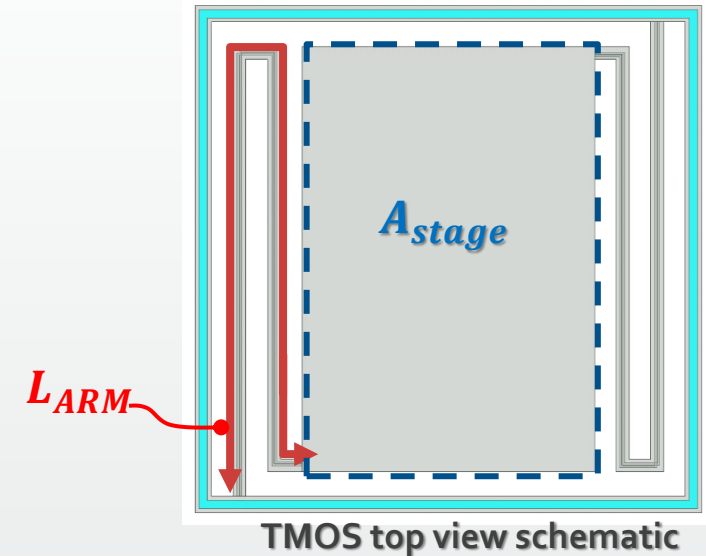
$$G = \frac{Q}{\Delta T \cdot \Delta t} = k \cdot \frac{A}{L}$$

- For example, in our device, the thermal solid conduction is governed by the holding arm:

$$G_{arm} = k_{arm} \cdot \frac{A_{arm}}{L_{arm}}$$

parameters and constants:

$\varepsilon$  – body emmissivity,  $\sigma = 5.67 \cdot 10^{-8} \left[ \frac{W}{m^2 \cdot K^4} \right]$  – Stefan-Boltzmann constant,  $k \left[ \frac{W}{m \cdot K} \right]$  – thermal conductivity,  $A_{stage}$  – stage area[m<sup>2</sup>],  $L_{arm}$  – arm length[m]  
 $Q$  – thermal energy [J],  $T$  – temperature[K],  $t$  – time[s],  $A$  – area,  $L$  – length[m]





# THERMAL MODELING – GAS CONDUCTION AT HIGH PRESSURE

- The thermal conductivity of gas at high pressure is independent on the pressure and equals to a constant for a given temperature (like solids):

$$k_{high-pressure} = \text{constant} \left[ \frac{W}{K \cdot m} \right]$$

- The thermal conductivity of the gas is given by:

$$k_{gas} = \frac{1}{3} \rho c' v_{mol} \cdot l_{mfp} = G_0'' \cdot \frac{p}{p_0} \cdot l_{mfp} \left[ \frac{W}{K \cdot m} \right]$$

- At high pressure where the collision distance between two gas molecules is much smaller than the device typical dimensions. Therefore, the mean-free-path is governed by the molecule collision distance
- In this case, at high pressure, the mean-free-path is proportional to the inverse number of molecules -  $l_{mfp} \propto n^{-1}$ , and the pressure is proportional to the number of molecules -  $p \propto n$ , where n is the number of molecule
- For air at high pressure, the value of  $k_{air}$  is well established and equals to  $0.026 \left[ \frac{W}{m \cdot K} \right]$  at  $300^\circ[K]$

*constants and parameters:*  $p$  – pressure [Pa],  $\rho$  – mass density  $\left[ \frac{kg}{m^3} \right]$ ,  $c'$  – specific thermal capacitance  $\left[ \frac{J}{kg \cdot K} \right]$ ,

$v_{mol}$  – molecule velocity  $\left[ \frac{m}{s} \right]$ ,  $l_{mfp}$  [m] – mean free path,  $G_0'' \left[ \frac{W}{K} \right]$  – normalized thermal conductance for  $p_0 = 1 [Pa]$

# THERMAL MODELING – GAS CONDUCTION AT LOW PRESSURE

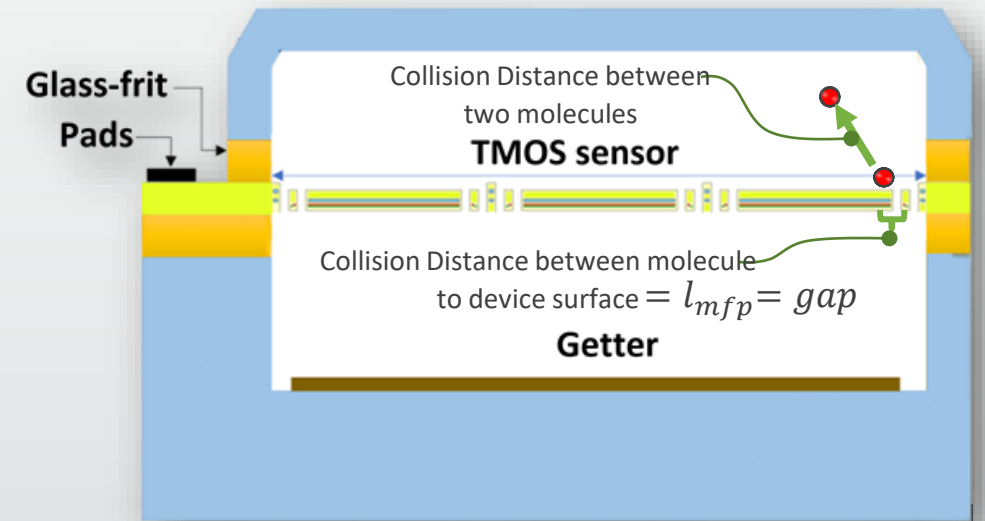
- The thermal conductivity by the gas is given by:

$$k_{gas} = \frac{1}{3} \rho c' v_{mol} \cdot l_{mfp} = G_0'' \cdot \frac{p}{p_0} \cdot l_{mfp} \left[ \frac{W}{K \cdot m} \right]$$

- At low pressure where the collision distance between two gas molecules is much larger than the device typical dimensions. Therefore, the mean-free-path is governed by the device smallest typical dimension

- In this study,  $l_{mfp} = gap = 3\mu m$  and  $\frac{G_0''}{p_0} \approx 2$

- Therefore:  $k_{low-pressure} = 6 \cdot p \left[ \frac{W}{m \cdot K} \right]$



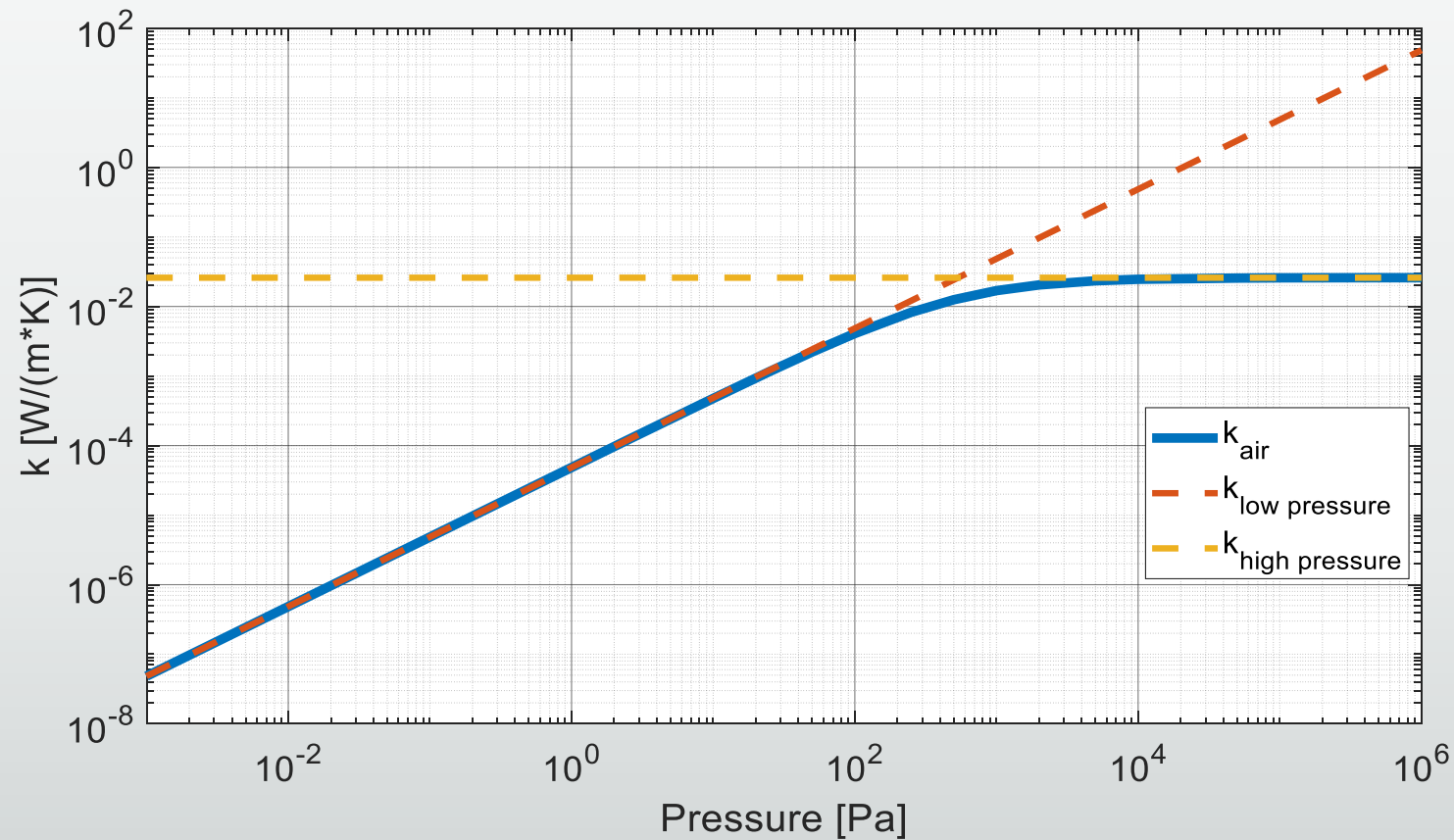
*constants and parameters:*  $p$  – pressure [Pa],  $\rho$  – mass density  $\left[ \frac{kg}{m^3} \right]$ ,  $c'$  – specific thermal capacitance  $\left[ \frac{J}{kg \cdot K} \right]$ ,

$v_{mol}$  – molecule velocity  $\left[ \frac{m}{s} \right]$ ,  $l_{mfp}$  [m] – mean free path,  $G_0'' \left[ \frac{W}{K} \right]$  – normalized thermal conductance for  $p_0 = 1$  [Pa]

# THERMAL MODELING – GAS CONDUCTION AT INTERMEDIATE PRESSURE

- At intermediate pressure, the thermal conductivity is given by the parallel combined of the both mechanisms:

$$\frac{1}{k_{gas}} = \frac{1}{k_{high-pressure}} + \frac{1}{k_{low-pressure}}$$



# THERMAL MODELING - SUMMARY

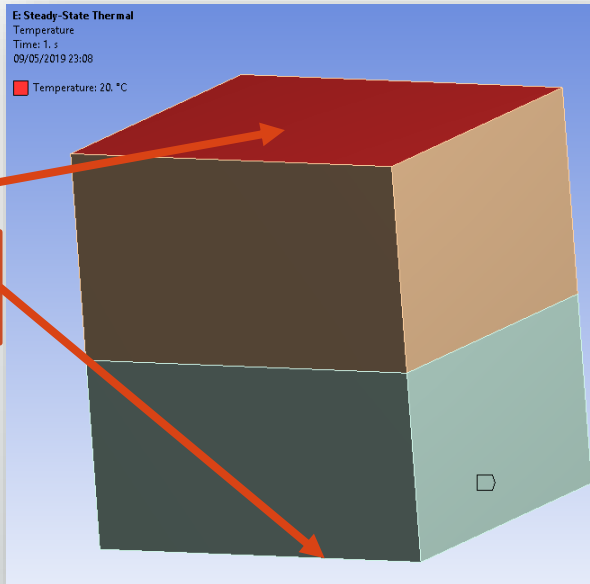
- The holding arm conduction does not depend on pressure
- Typical CMOS-SOI thermal properties required for thermal simulation:

Thermal properties	SiO <sub>2</sub>	Poly Si	Si	Al
Thermal Conductivity, $k$ [ $W/(m \cdot K)$ ]	1.4	40	40	201
Specific Heat Capacity, $C_p$ [ $J/(kg \cdot K)$ ]	730	678	700	900
Density, $\rho$ [ $kg/m^3$ ]	2200	2320	2329	2700

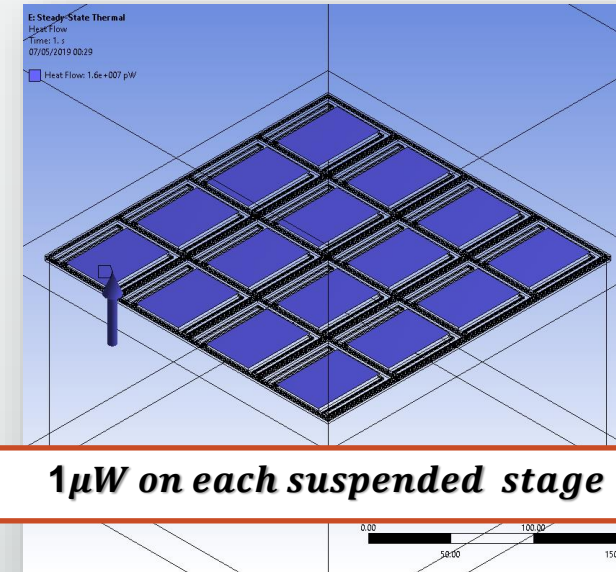
- Air conduction is governed by two mechanisms: at low pressure and high pressure
- **This study evaluates this pressure impact on the thermal conductance of the packaged device**
- The air thermal properties calculated by the ideal gas law and by the method showed in the previous slides

# THERMAL MODELING – BOUNDARY CONDITIONS

- 3D model of the device was generated in FEA software
- Materials thermal properties were assigned
- Applying boundary conditions to our packaged model:



**Constant temperature of  $20^{\circ}[C]$  on the outer package**



***1  $\mu$ W on each suspended stage***

- Simulations for wide pressure range values were performed

# MEASUREMENT AND SIMULATIONS RESULTS OF $\tau_{th}$ AND $G_{th}$

Steady-state thermal simulations yield the increase of the sensors temperature:

$$\Delta T$$



The thermal conductance obtained from the heat balance equation:

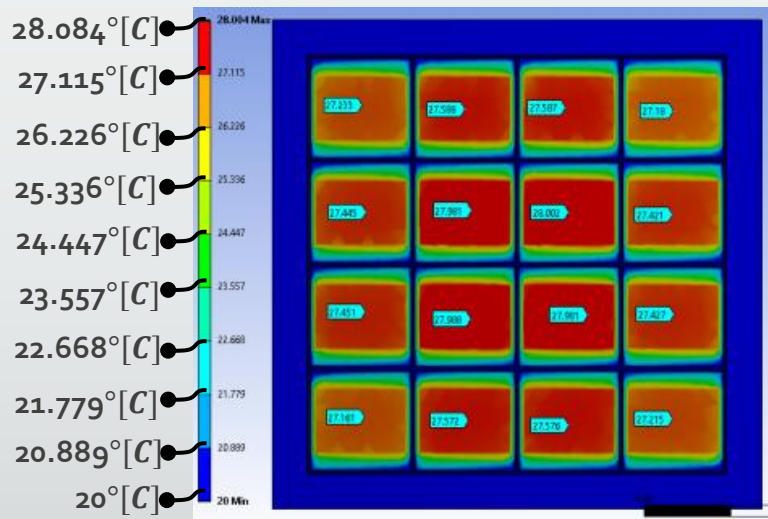
$$G_{th} = \frac{P}{\Delta T}$$



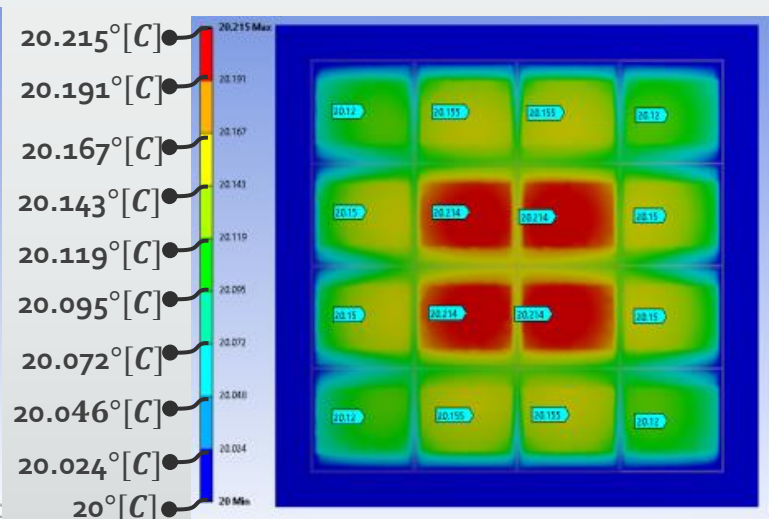
The thermal time constant can be obtained by transient simulation or can be evaluated by:

$$\tau_{th} = \frac{C_{th}}{G_{th}}$$

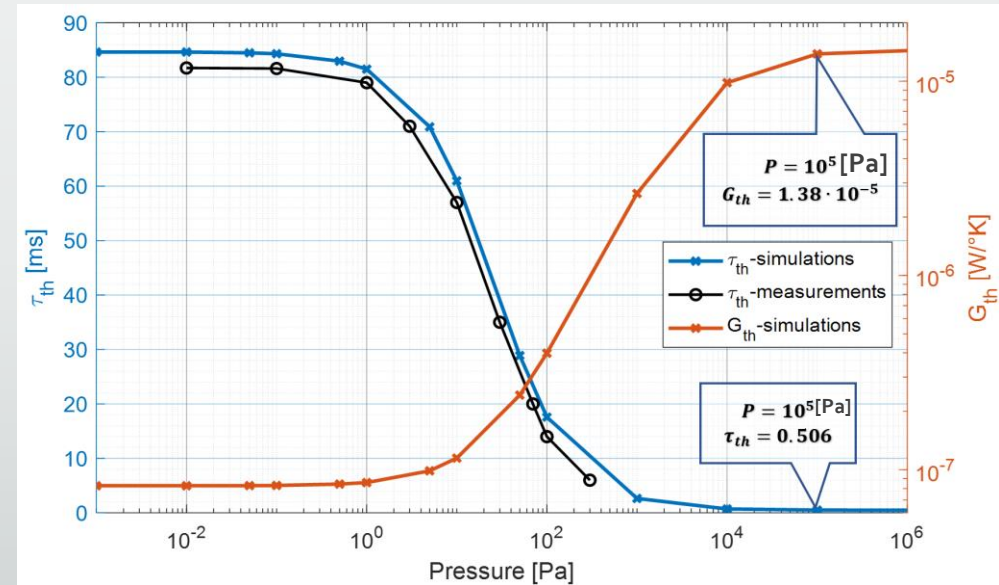
- There is no simple way to measure the temperature of the physical device
- Best way to measure or evaluate the thermal performance of the device is by measure the thermal time constant



$p = 2.5 [Pa]$   
temperature range:  $20^\circ - 28^\circ [C]$



$p = 10^5 [Pa]$   
temperature range:  $20^\circ - 20.215^\circ [C]$



# CONCLUSIONS

---

- **With this modeling the optimal pressure may be selected**
- **Highest performance devices require residual pressure of few pascals**
- **The modeled, simulated and measured thermal time constant are in good agreement**

# ACKNOWLEDGMENTS

---

- The generous funding of TODOS TECHNOLOGIES Ltd. (<https://www.todos-technologies.com>) is gratefully acknowledged. TODOS TECHNOLOGIES holds exclusively the IP related to this work



- The devices were fabricated and packaged at ST Microelectronics. The excellent work of all the engineers supporting this work is highly appreciated

